

TAM 212 Class 24 : Rigid Bodies in Contact

COMING UP

* Midterm 2

* Final

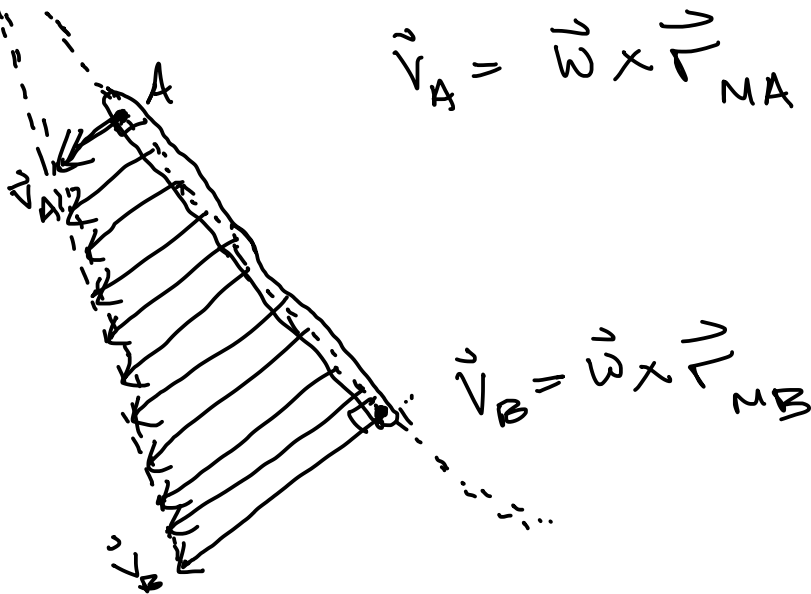
Apr 9th (Thurs)

May 13th (W) 1:30 - 4:30 pm

Review: Instantaneous center of velocity^(M) of a R.B. is the point the R.B. is rotating about at that instant.

- ① The IC can be on or off the R.B. itself
- ② The IC can vary during the motion (not nec. constant)

Ex)

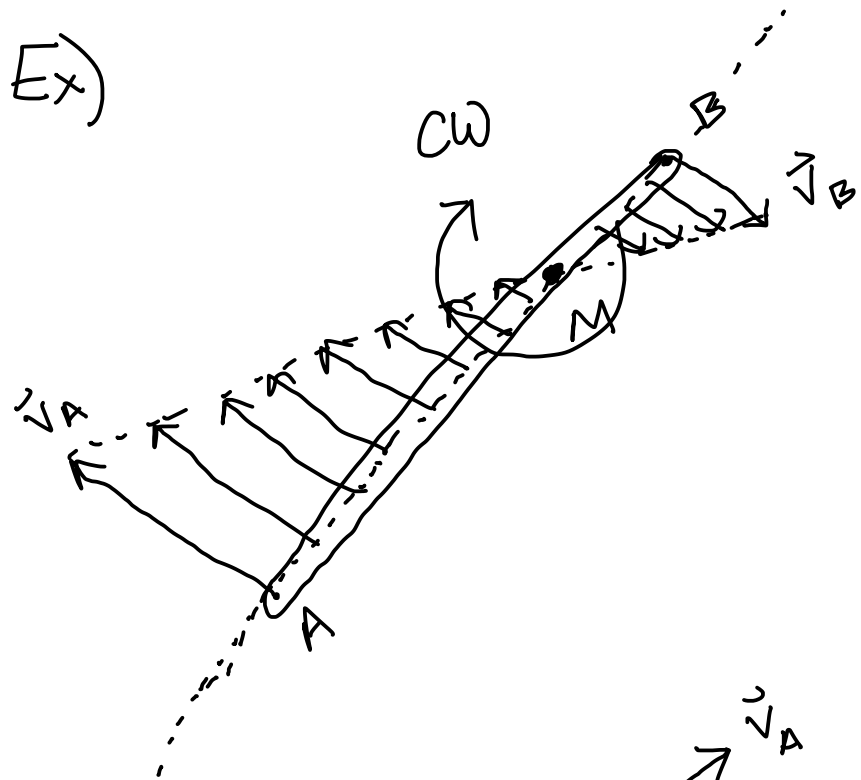


$$\vec{v}_A = \vec{\omega} \times \vec{r}_{MA}$$

$$\vec{v}_O = \vec{\omega} \times \underline{\underline{\vec{r}_{MO}}}$$

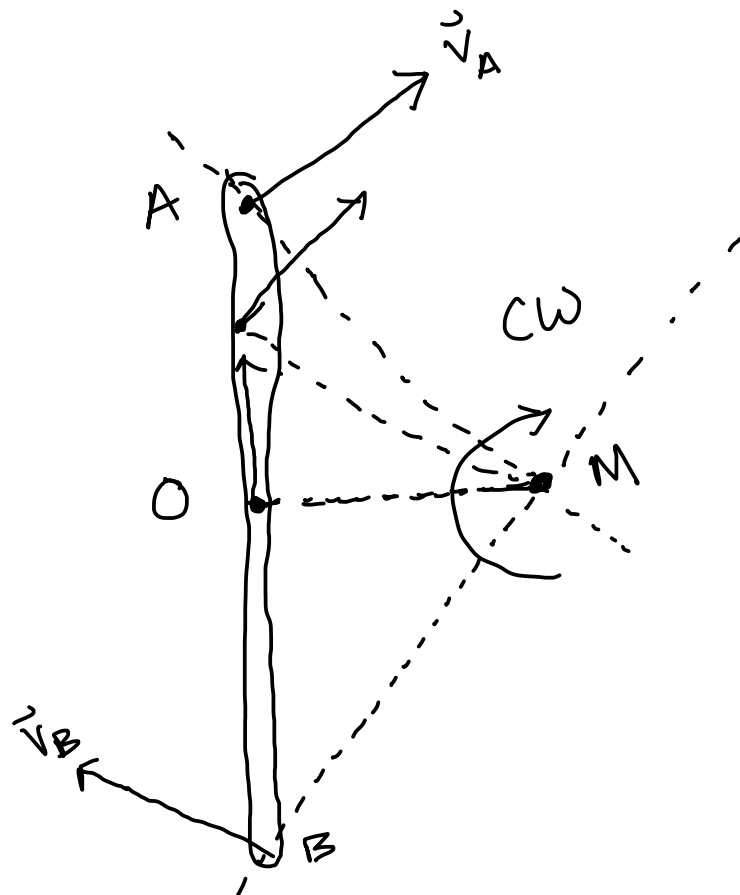
$$\vec{v}_B = \vec{\omega} \times \vec{r}_{MB}$$

Ex)



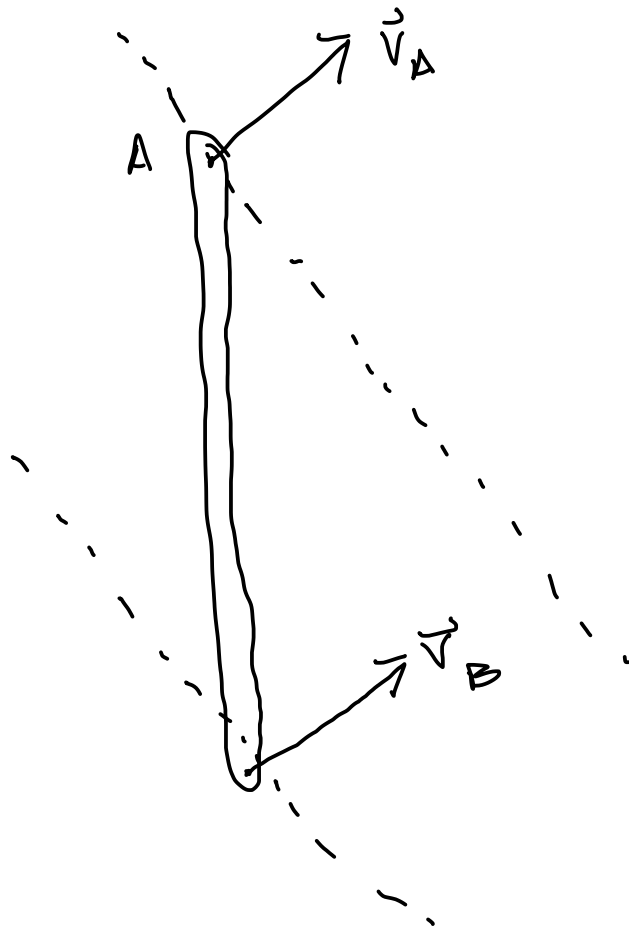
$$\vec{v}_O = \vec{\omega} \times \vec{r}_{MO}$$

Ex)



$$\vec{v}_O = \vec{\omega} \times \vec{r}_{MO}$$

Ex)

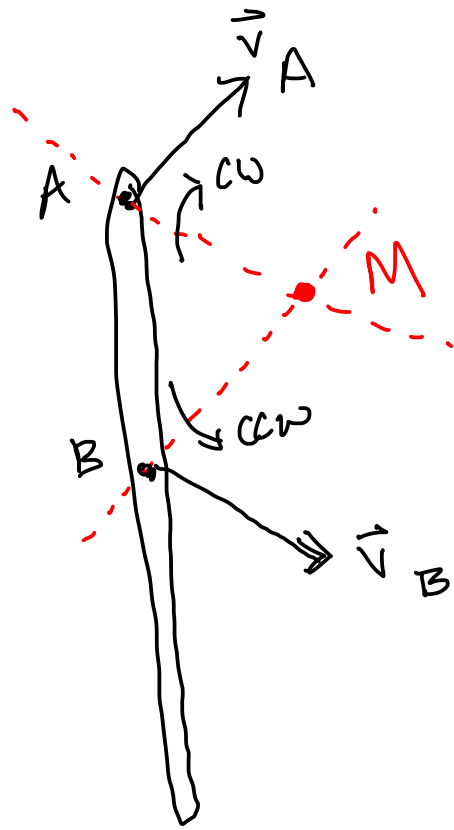


$$\vec{v}_A = \vec{v}_B$$

$$\vec{\omega} = 0 \hat{k} \text{ rad/sec}$$

Ex)

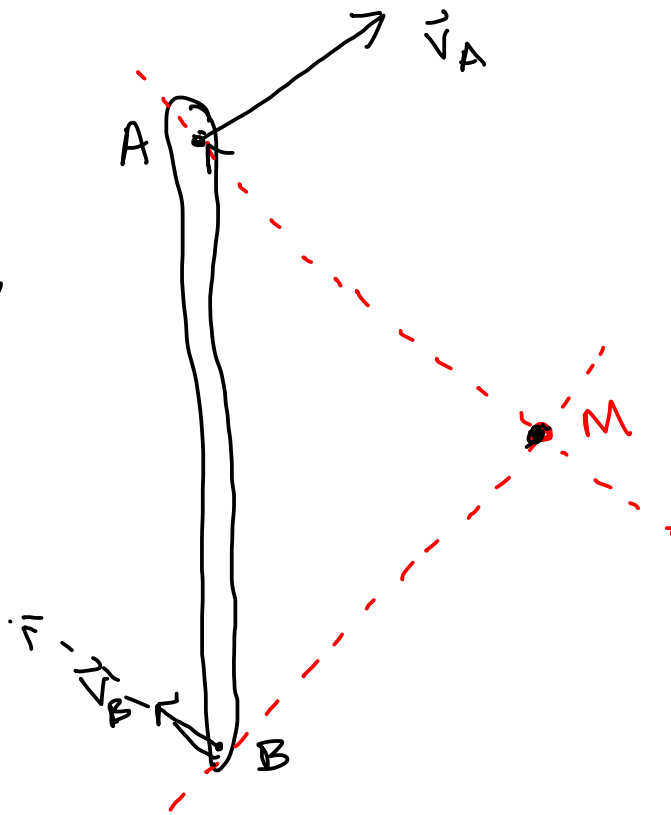
Not possible!



There is no possible $\vec{\omega}$ that is consistent with $\vec{v}_A, \vec{v}_B$

Ex)

Not possible!



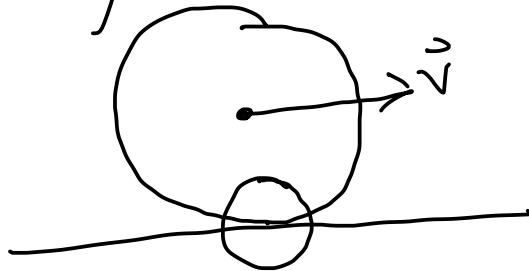
$$\vec{v}_A = \vec{\omega} \times \vec{r}_{MA}$$

$$\vec{v}_B = \vec{\omega} \times \vec{r}_{MB}$$

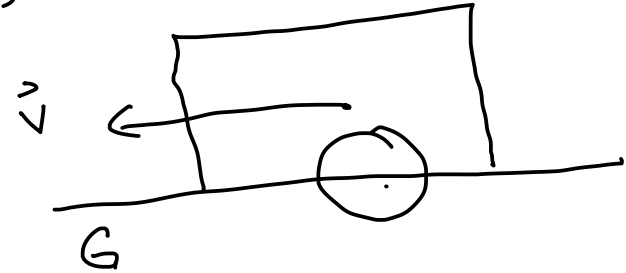
There is not one $\vec{\omega}$ that satisfies both equations

Rigid Bodies in Contact

ex) rolling wheel

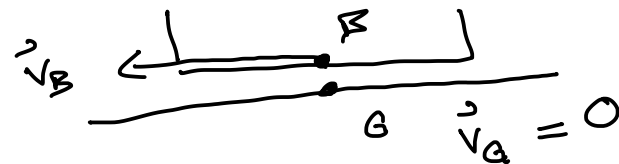


SLIPPING
ex) sliding block

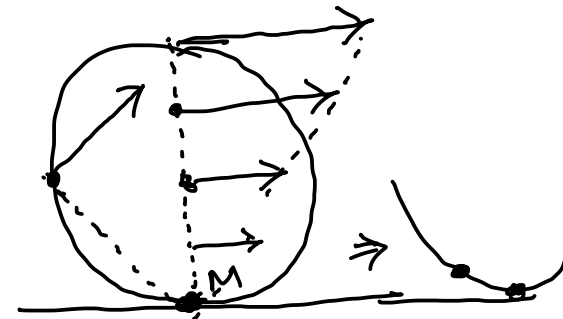
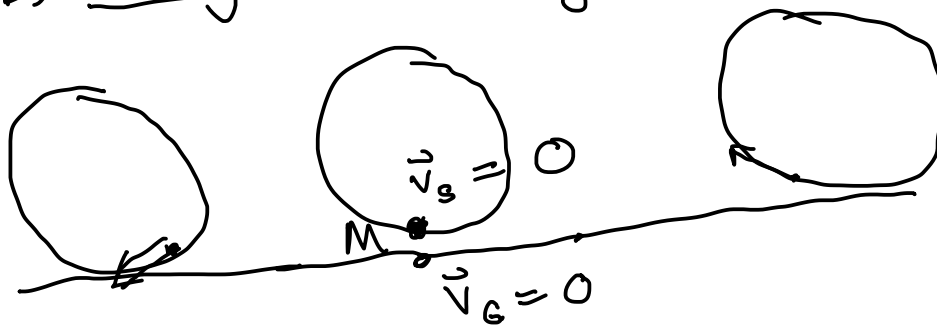


Generally two types of contact:

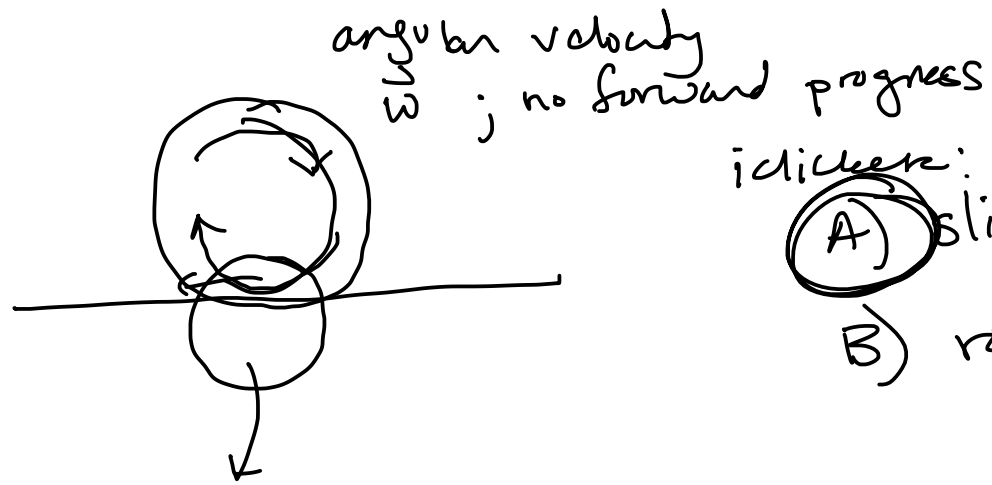
A) slipping: points in contact have different velocities



B) rolling without slipping: points in contact have the same velocity



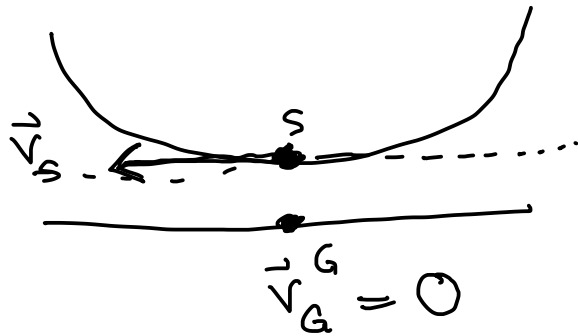
Ex)



indications:

(A) slipping

(B) rolling without slipping



Notice that $\vec{v}_S \neq \vec{v}_G \Rightarrow$ slipping

But

(1) Normal Components of $\vec{v}$ are the same.

(2) Tangential components are different

Ex) wheel rolls w/o slipping

