

Announcements

- TAM 210/211 students – check your grades on Compass
- Written Assignment 6 regrade submission
- 1 written assignment “accident forgiveness”

❑ Upcoming deadlines:

- Friday (3/15) – Today!
 - PL HW 8
 - Written Assignment

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Happy Pear Helene Day!

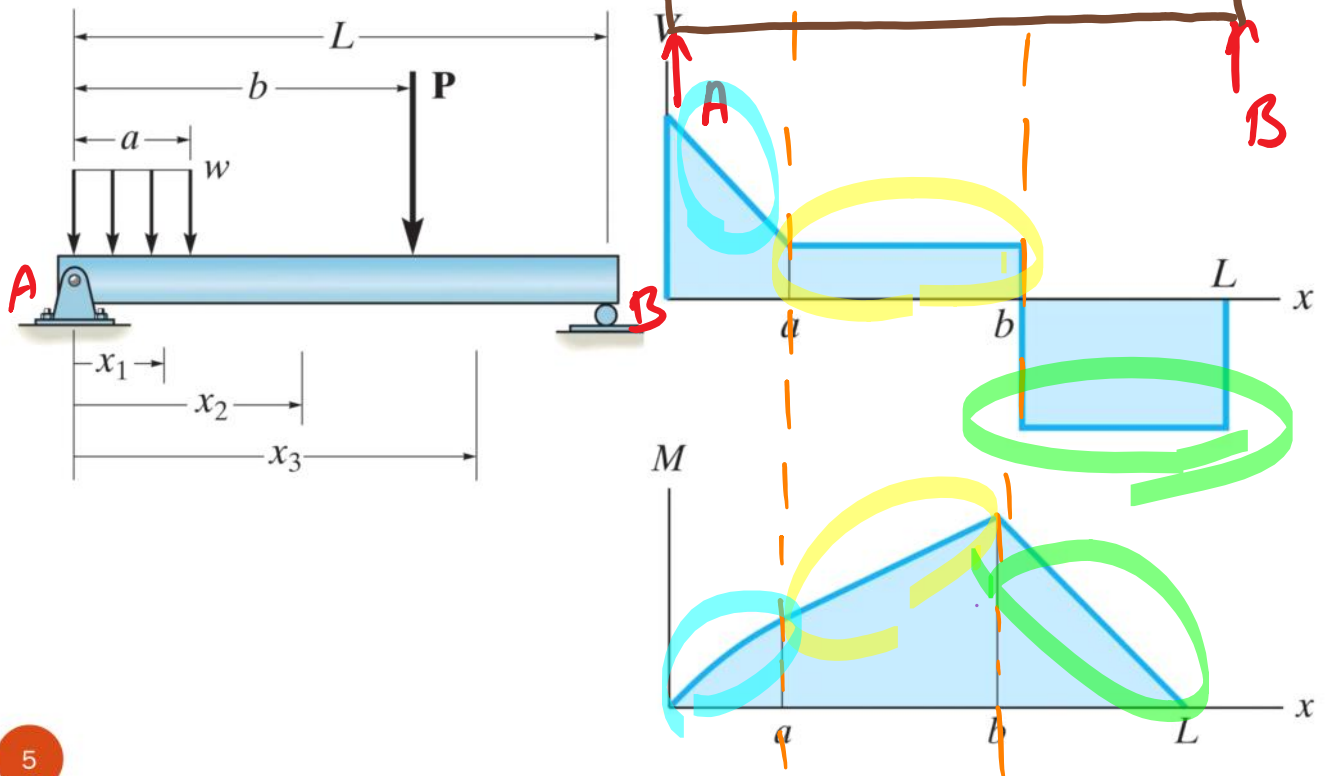


Objective

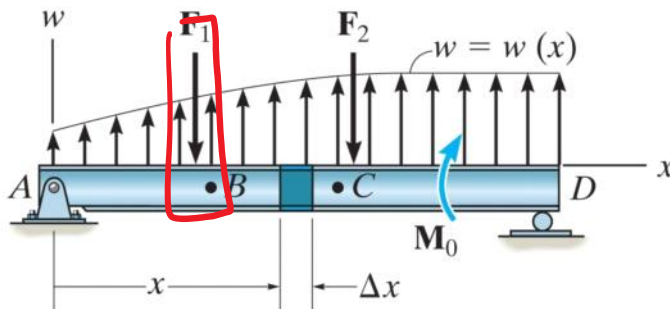
- Relations among external load (distributed force, concentrated force, couple moment) and internal load (shear force and bending moments)

Relationships between w , V , M

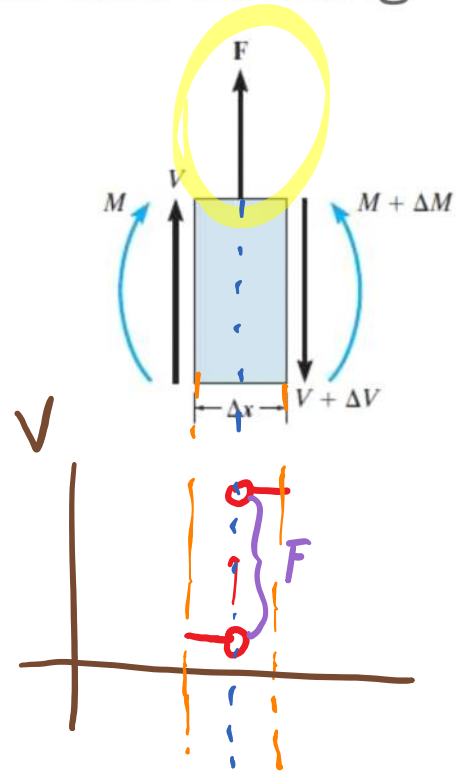
Draw the shear and moment diagrams for the beam.



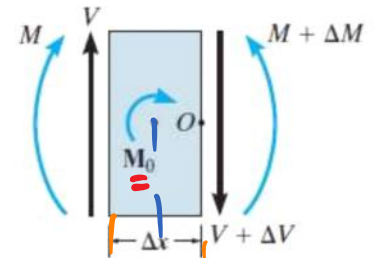
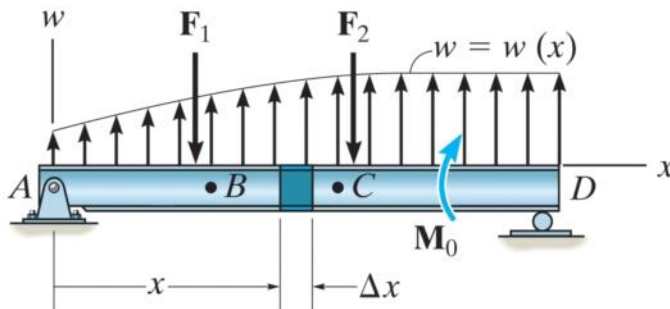
Relations Among Load, Shear and Bending Moments



Wherever there is an external concentrated force, there will be a change (jump) in internal shear force.

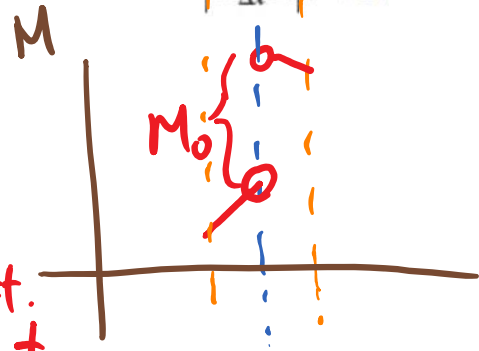


Relations Among Load, Shear and Bending Moments

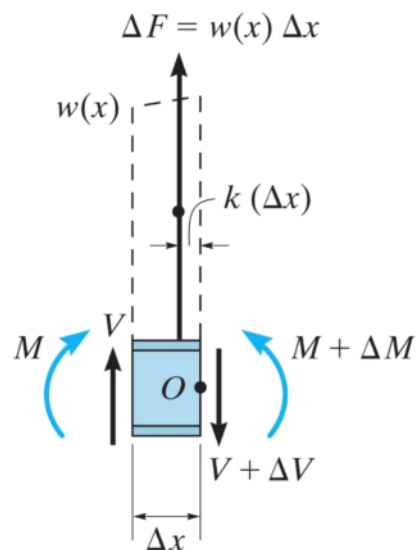
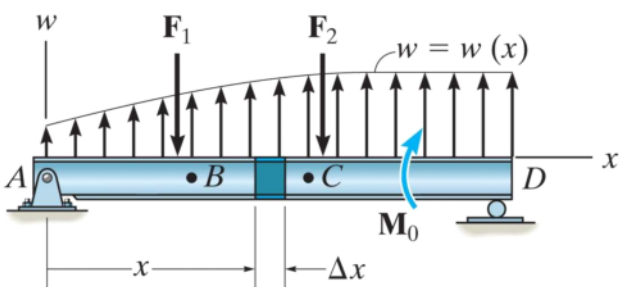


Wherever there is an external couple moment, there will be a change (jump) in internal bending moment.

upward jump = clockwise ext. moment.



Relations Among Load, Shear and Bending Moments



Relationship between load and shear:

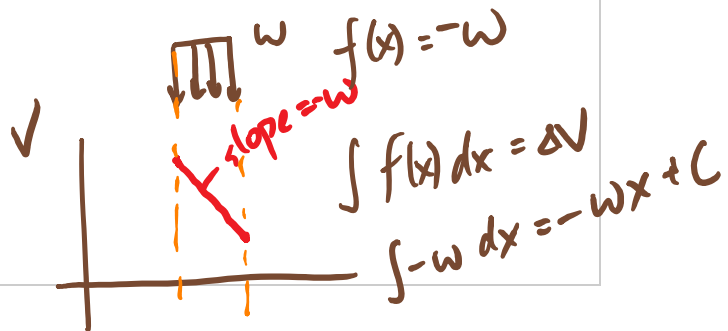
$$\sum F_y = 0: V - (V + \Delta V) + w \Delta x = 0$$

$$\Delta V = w \Delta x$$

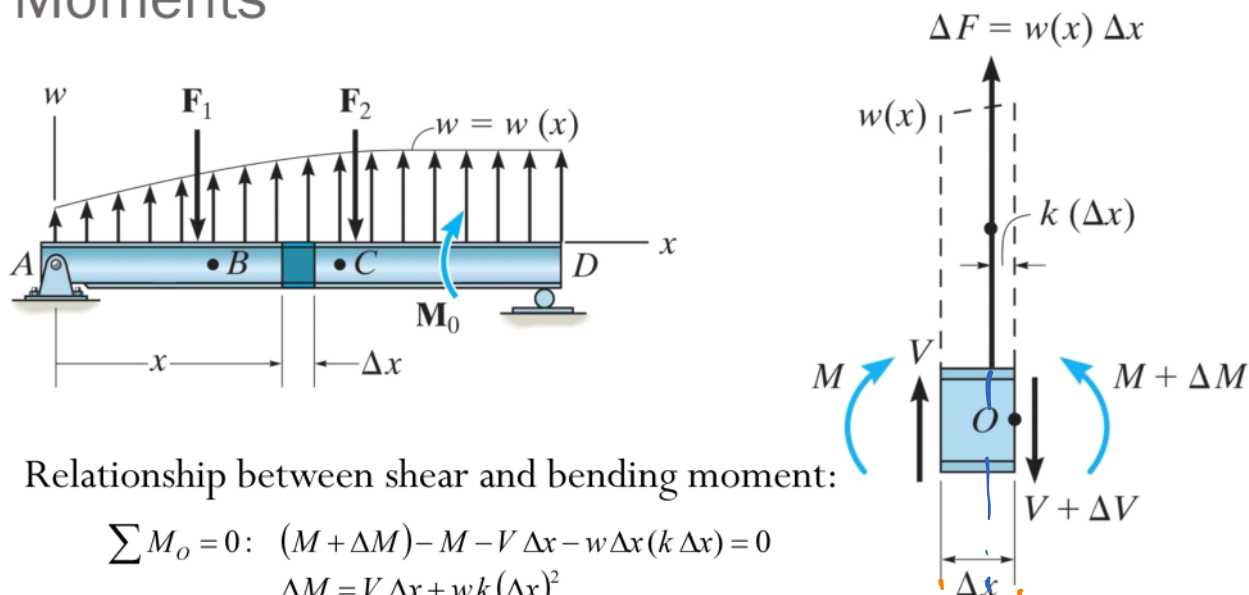
Dividing by Δx and letting $\Delta x \rightarrow 0$, we get:

$$\frac{dV}{dx} = w \quad \Delta V = \int w \, dx$$

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Relations Among Load, Shear and Bending Moments



Relationship between shear and bending moment:

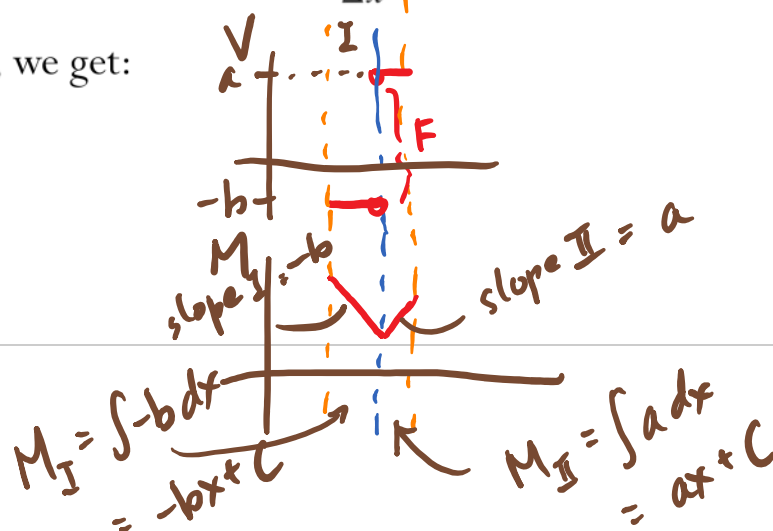
$$\sum M_O = 0: (M + \Delta M) - M - V\Delta x - w\Delta x(k\Delta x) = 0$$

$$\Delta M = V\Delta x + w k(\Delta x)^2$$

Dividing by Δx and letting $\Delta x \rightarrow 0$, we get:

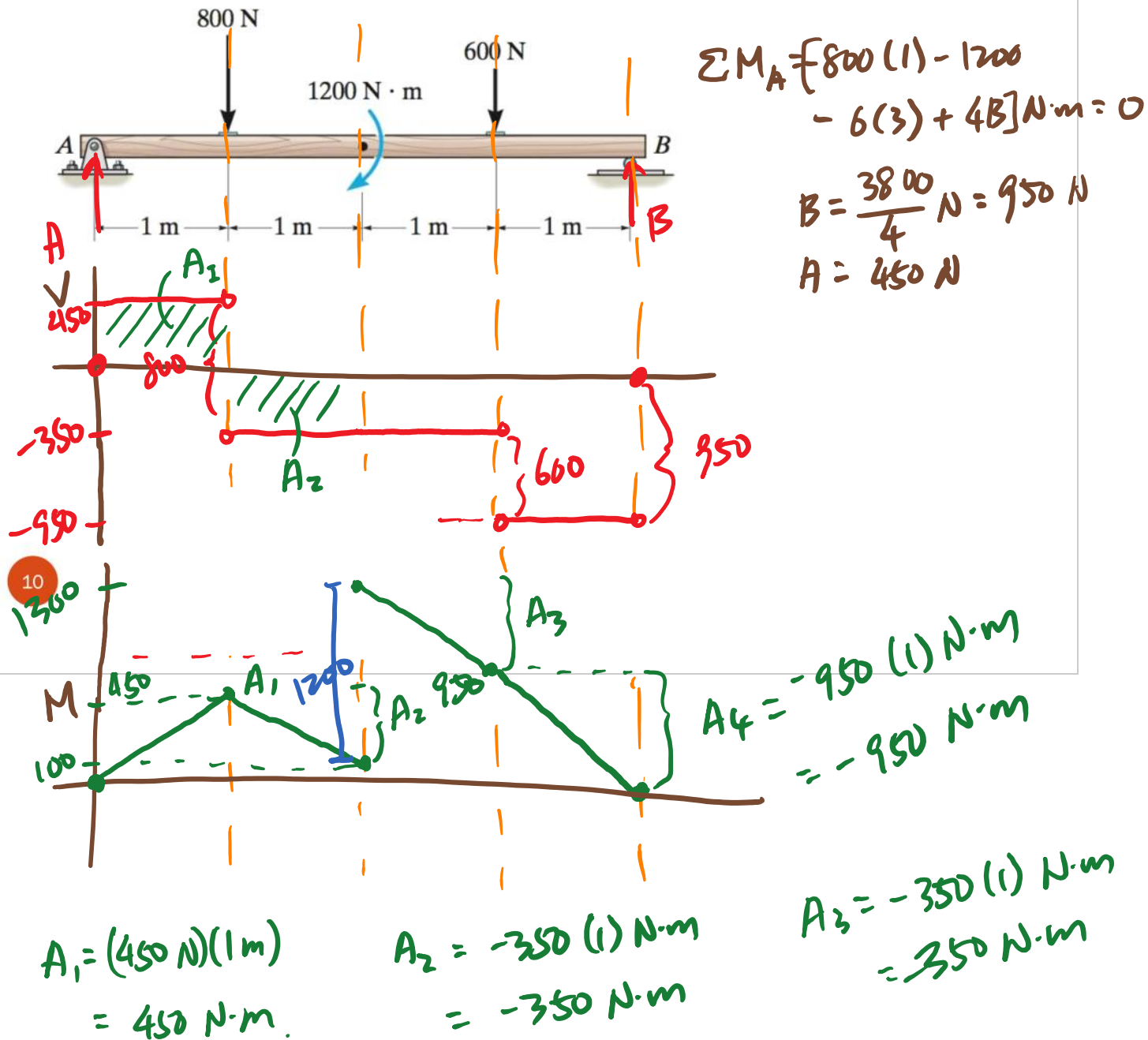
$$\frac{dM}{dx} = V \quad \Delta M = \int V dx$$

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Example

Draw the shear and moment diagrams for the beam.



Example

Draw the shear and bending moment diagram for the beam below.

