# ECE 598HH: Advanced Wireless Networks and Sensing Systems

Lecture 15: Machine Learning Part 3: RF Imaging Haitham Hassanieh





# Rising Interest in Fully Autonomous Driving

for the

2009 and

### Honda to invest \$2.8bn in GM's selfdriving car unit



4 October 2018

Honda is to invest driving unit, GM C autonomous vehic

GM has done extens



Elon Musk, chief

#### **Elon Musk to investors: Self-driving** will make Tesla a \$500 billion company

Automotive is a big focus for Qualcomm

PUBLISHED THU MAY 2 2019-6-01 PM EDT LUP

Google Has Spent Over \$1.1 Billion on Self-Driving Tech

► LISTEN - 03:15

Qualcomm eyes self-driving cars with **Snapdragon Ride Platform at CES** 2020

The company has developed its first system for autonomous vehicles, as well as new offerings for automakers to do things like deliver services.





WIRED

### Snow and Ice Pose a Vexing Obstacle for Self-Driving Cars

Most testing of autonomous vehicles until now has been in sunny, dry climates. That will have to change before the technology will be useful everywhere.



Jim Foerster Contributor ©

Self-Driving Cars Can Handle Neither Rain nor Sleet nor Snow

### Self-Driving Cars Still Can't Handle Snow, Rain, or Heavy Weather

By Joel Hruska on October 30, 2018 at 4:53 pm 88 Comments





If you listen to the companies deploying self-driving vehicle technology, the date for full deployment and L5 capability (full self-driving, no need for driver intervention at all) is just

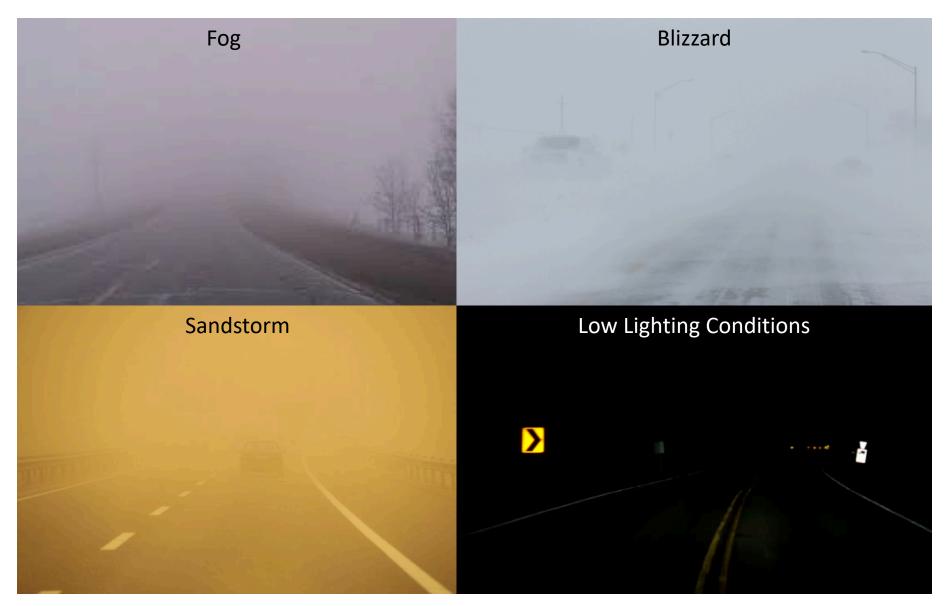
les solve inclement conditions. that can see below the ground.





# **Millimeter Wave Radar**

### Radar can function in adverse conditions



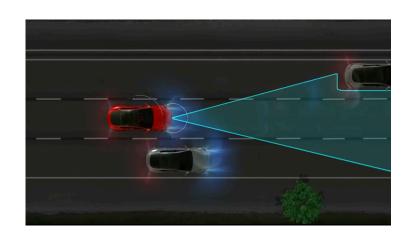
### Millimeter Wave Radar

### Radar can function in adverse conditions



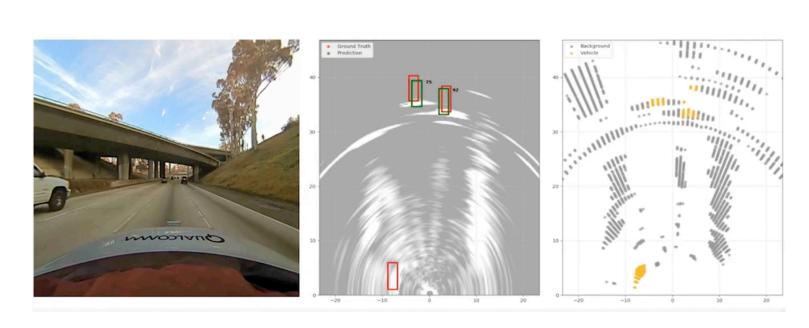
Can we use millimeter wave radars in scenarios where LiDARs and cameras fail?

## **State of the Art Millimeter Wave Radars**



Automotive Radars mainly used for 1D Ranging & Speed estimation

### Recent works extend it to 2D Ranging & Object detection





# Can we use millimeter wave radars for 3D imaging and not just ranging?

### **Millimeter Wave Radar:**

- Uses FMCW for ranging and antenna arrays for 2D ranging.
- Operates at very high frequencies around 24 GHz and 77 GHz.
- Called millimeter wave since wavelength is in millimeter scale.
- Huge bandwidth available at high frequency:
  - Large sweep bandwidth Accurate ranging.
  - E.g. 2 GHz  $\rightarrow$  resolution = c/2B = 7.5 cm

# Can we use millimeter wave radars for 3D imaging and not just ranging?

### **Need 2D Phased Arrays!**

## 5G pushing research into delivering large 2D millimeter wave phased arrays



Nokia & National Instruments



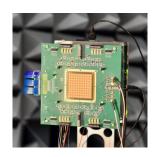
UCSD 256 elements



UCSD 64 elements



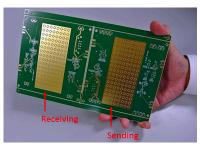
Bell Labs 384 elements



Anokiwave 256 elements



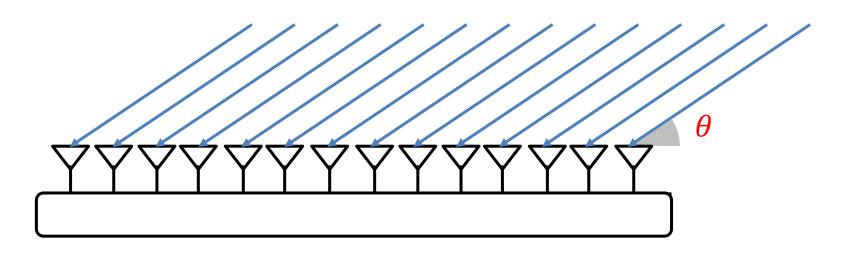
IBM 64 elements



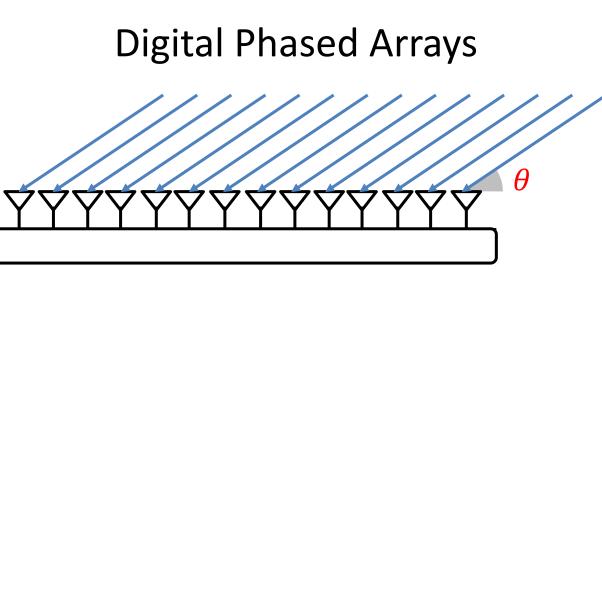
Fujitsu 64 elements

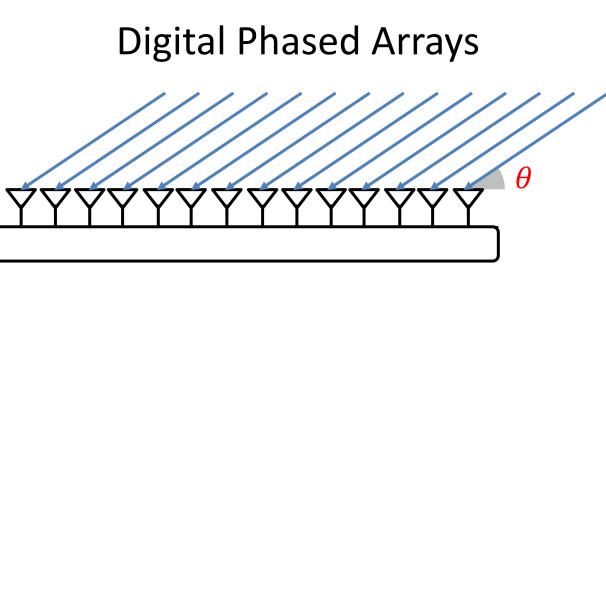
Small wavelength enables thousands of antennas to be packed into small space

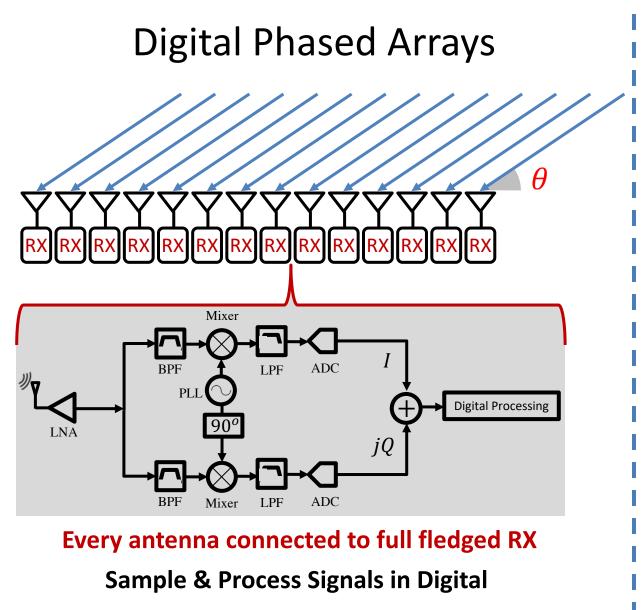
→ Extremely narrow beams



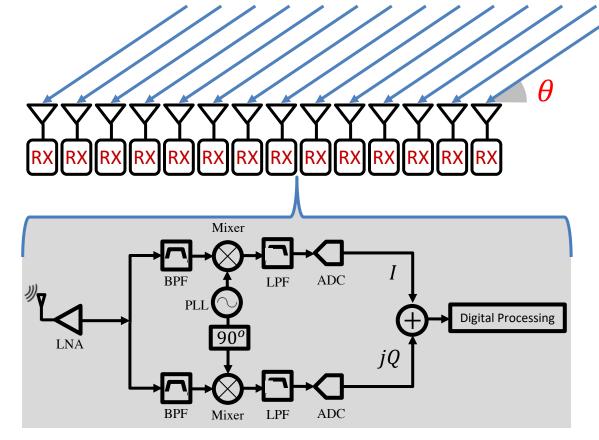
$$h_k = \alpha_1 e^{-j2\pi \frac{d_1 - k \, s \cos \theta_1}{\lambda}}$$







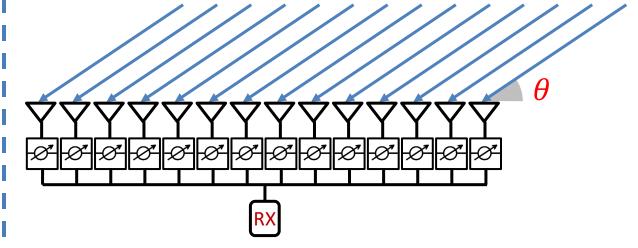
**Digital Phased Arrays** 



**Every antenna connected to full fledged RX** 

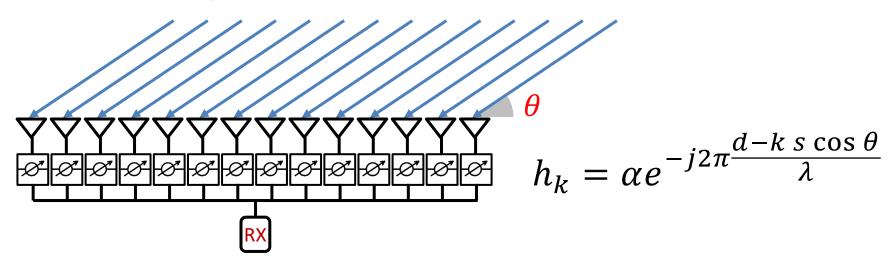
**Sample & Process Signals in Digital** 

**Analog Phased Arrays** 



### All antennas connected to a single receiver

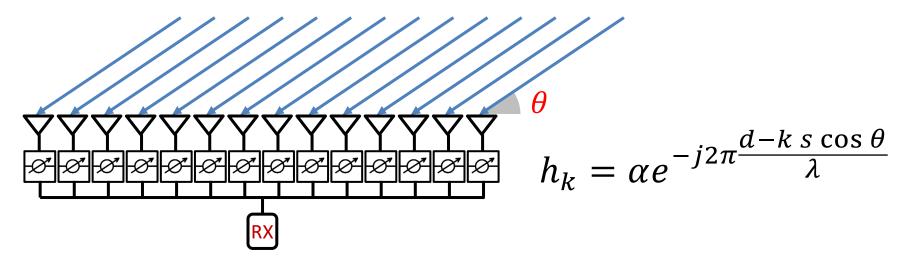
- Each antenna connected to a phase shifter.
- Phase shifter changes the phase of the signal on each antenna by multiplying with  $e^{j\phi}$ .
- Steer the beam electronically by changing the phases of the signals.
- Get the sum along a certain direction.

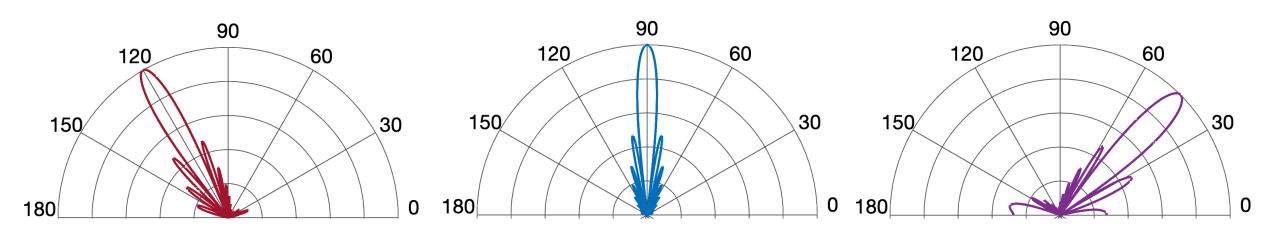


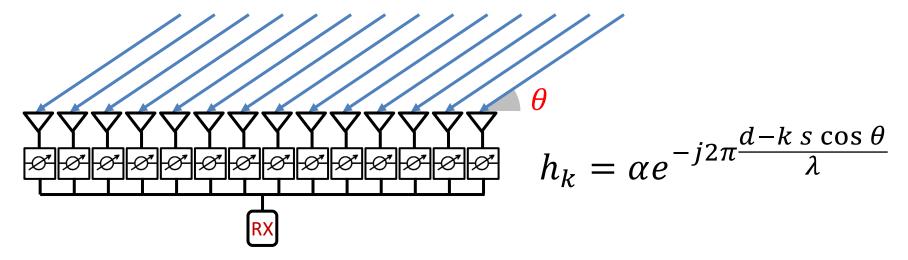
$$y(t) = \sum_{1}^{N} y_k(t) e^{j\phi_k} = \sum_{1}^{N} h_k x(t) e^{j\phi_k} = \sum_{1}^{N} \alpha e^{-j2\pi \frac{d-k \, s \cos \theta}{\lambda}} x(t) e^{j\phi_k}$$

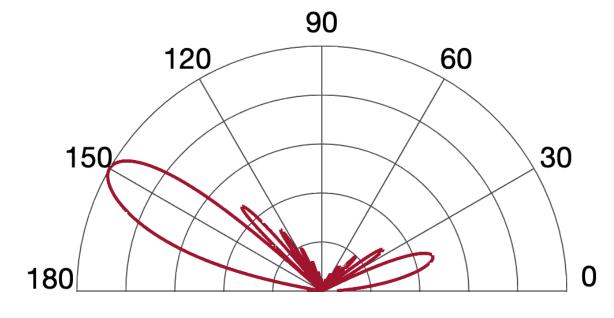
$$= x(t)\alpha e^{-j2\pi \frac{d}{\lambda}} \sum_{1}^{N} e^{j\pi k \cos \theta} e^{j\phi_k}$$

To get signal along direction  $\theta_1$ , set the phases on the phase shifters to  $\phi_k = -\pi k \cos \theta$ 

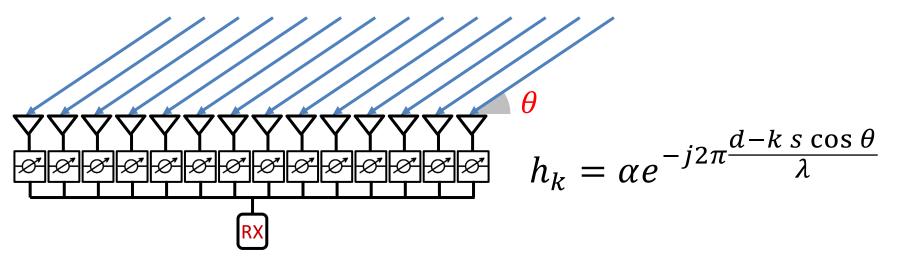


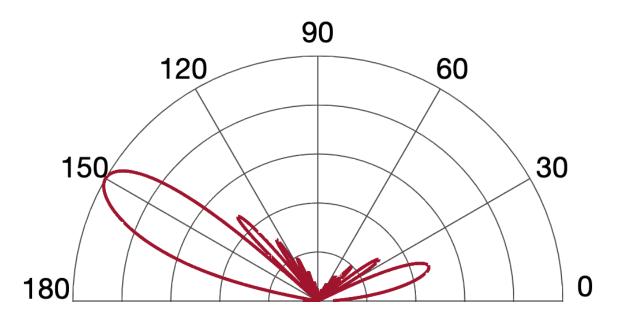




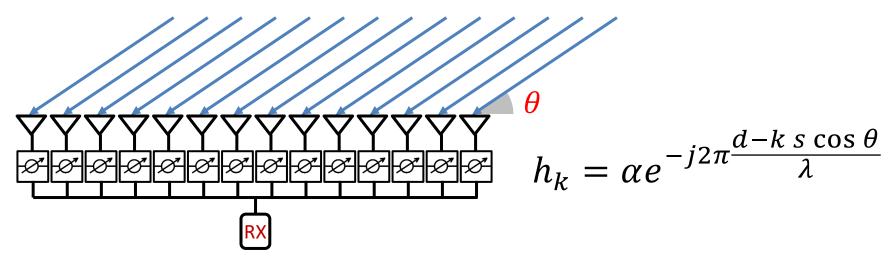


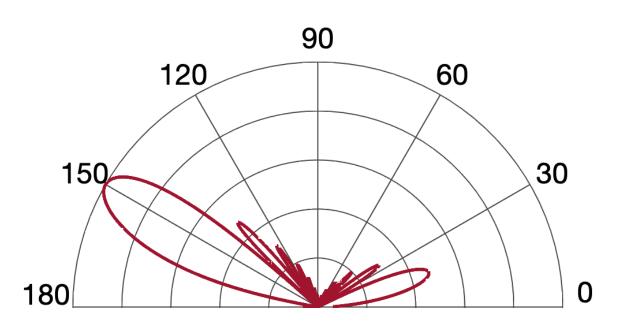
- (1) Set the phase shifters to receive signals from a given direction.
- (2) Send FMCW signals.
- (3) Receiver FMCW reflections, down convert, sample and compute range FFT.
- (4) Repeat until you get 2D range image: AoA + Range

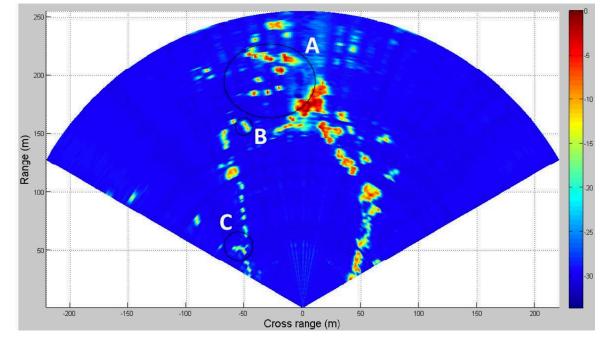


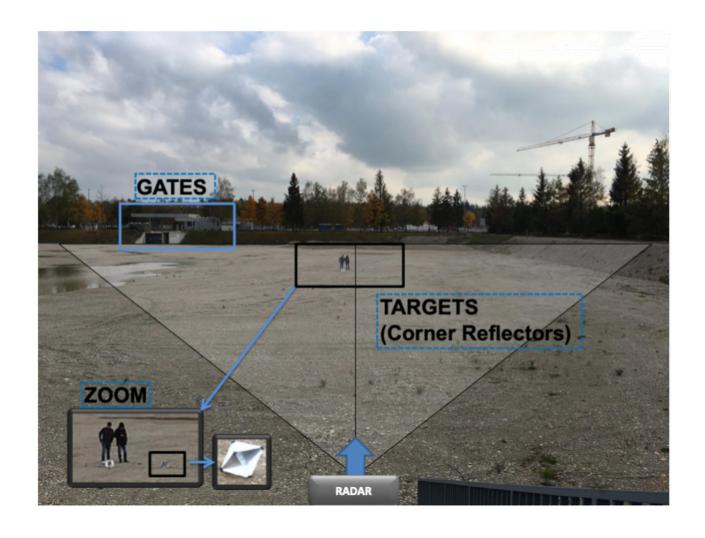


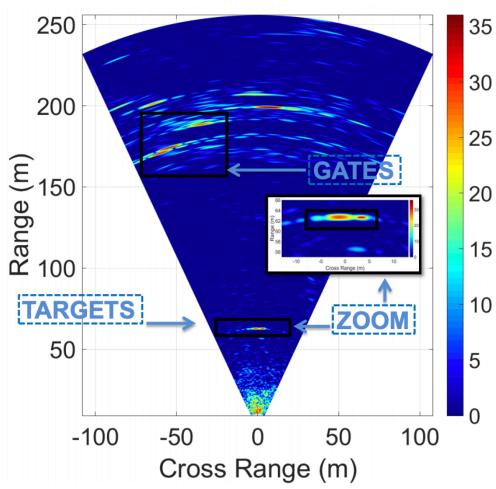




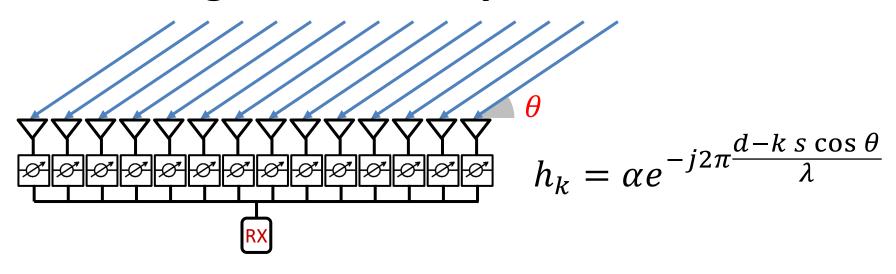


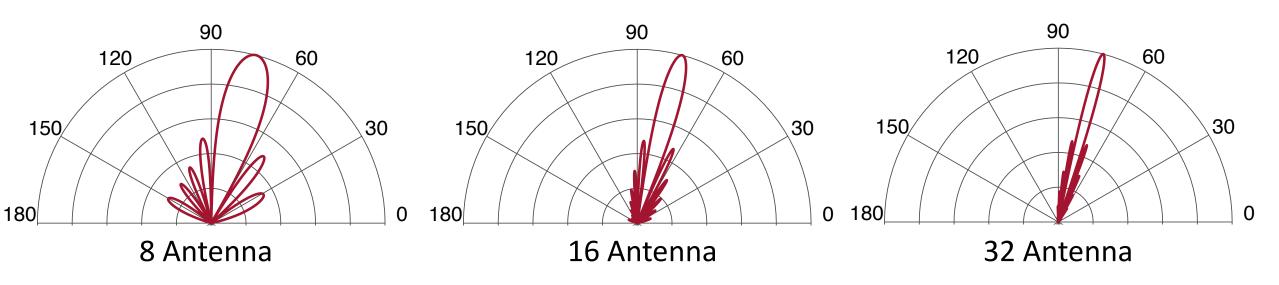




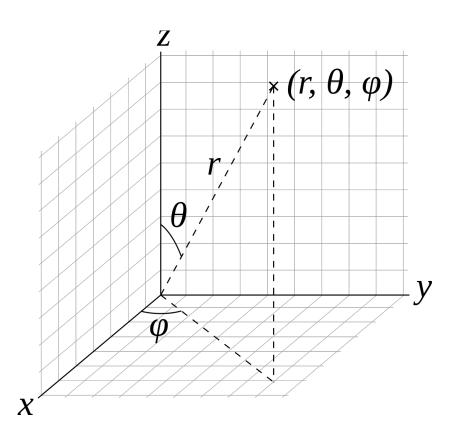


Ganis, A.; Miralles-Navarro, E.; Schoenlinner, B.; Prechtel, U.; Meusling, A.; Heller, C.; Spreng, T.... (2018). A portable 3D Imaging FMCW MIMO Radar Demonstrator with a 24x24 Antenna Array for Medium Range Applications. IEEE Transactions on Geoscience and Remote Sensing. 56(1):298-312. https://doi.org/10.1109/TGRS.2017.2746739



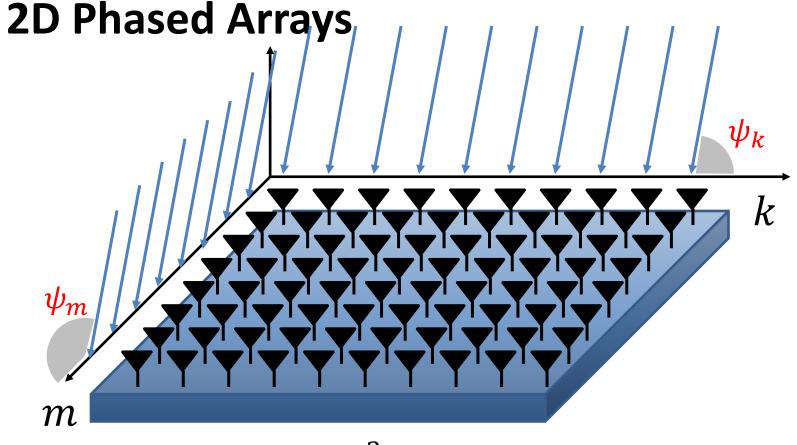


Larger Array → Narrower Beams → Higher Resolution



### Can recover:

- Range: *r*
- Azimuth AoA:  $\varphi$
- Elevation AoA:  $\theta$



$$h_{m,k} = \alpha e^{-j\frac{2\pi}{\lambda}(r+f(m)+f(k))}$$

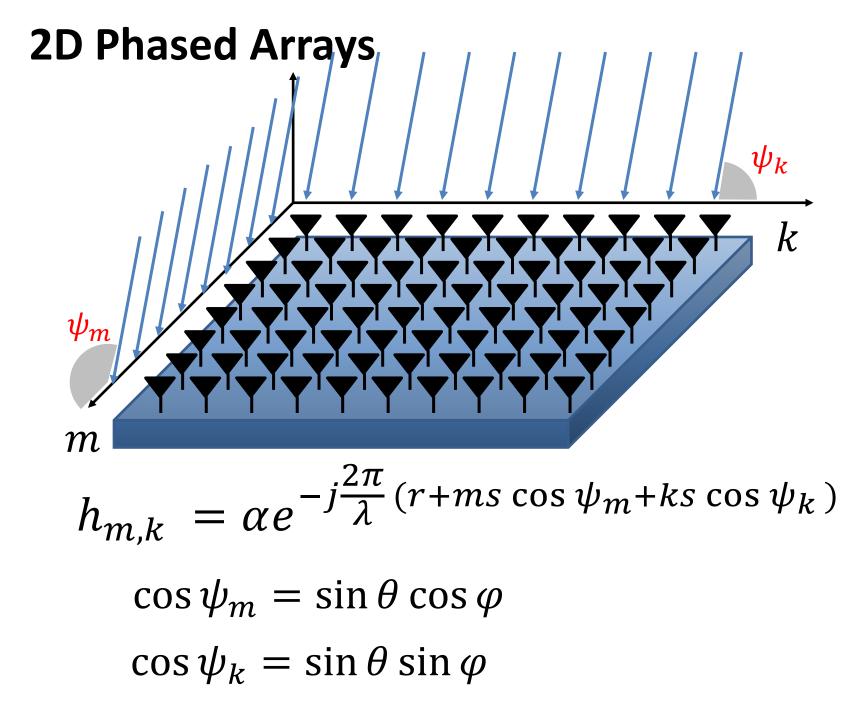
Fix 
$$m$$
:  $h_{m,k} = \alpha e^{-j\frac{2\pi}{\lambda}(r+f(m)+ks\cos\psi_k)}$ 

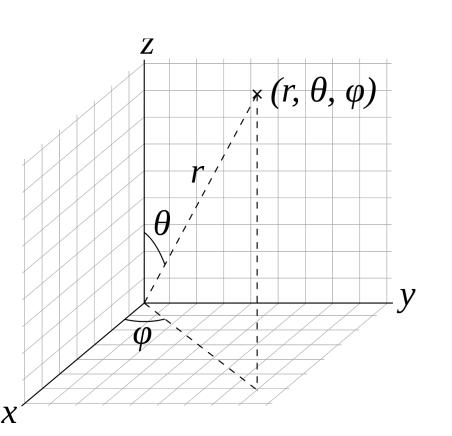
Fix 
$$k$$
:  $h_{m,k} = \alpha e^{-j\frac{2\pi}{\lambda}(r+ms\cos\psi_m+ks\cos\psi_k)}$ 

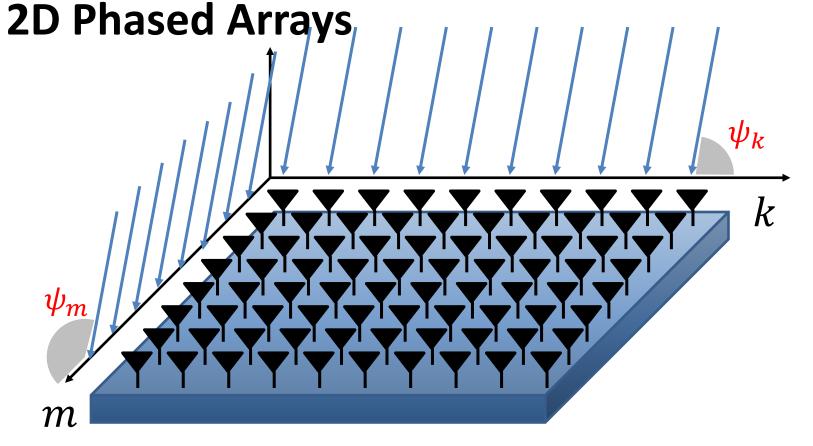
# $\star$ (r, $\theta$ , $\varphi$ )

### Can recover:

- Range: *r*
- Azimuth AoA:  $\varphi$
- Elevation AoA:  $\theta$







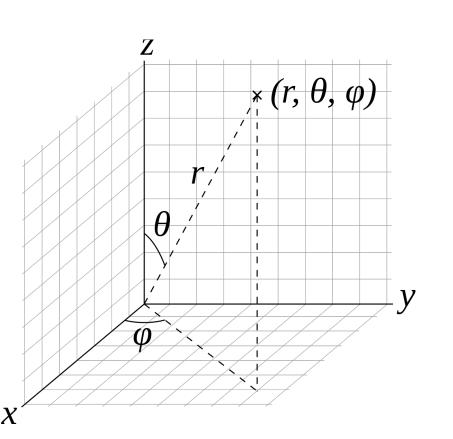
### Can recover:

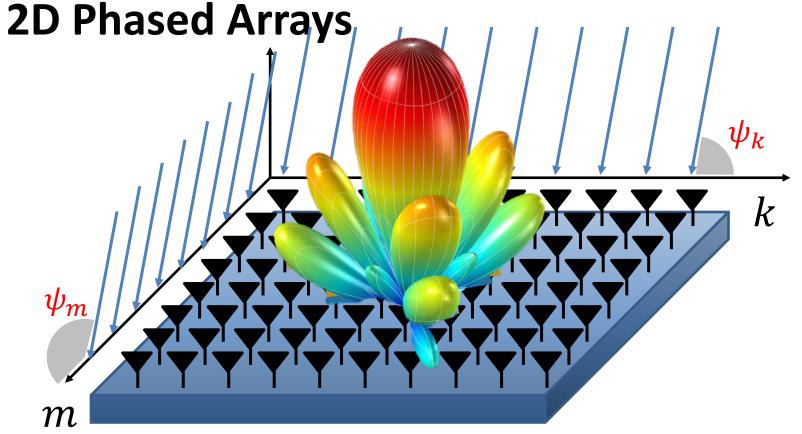
• Range: *r* 

• Azimuth AoA:  $\varphi$ 

• Elevation AoA:  $\theta$ 

$$h_{m,k} = \alpha e^{-j\frac{2\pi}{\lambda}(r+ms\sin\theta\cos\varphi+ks\sin\theta\sin\varphi)}$$





### Can recover:

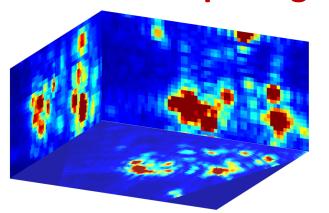
- Range: *r*
- Azimuth AoA:  $\varphi$
- Elevation AoA:  $\theta$

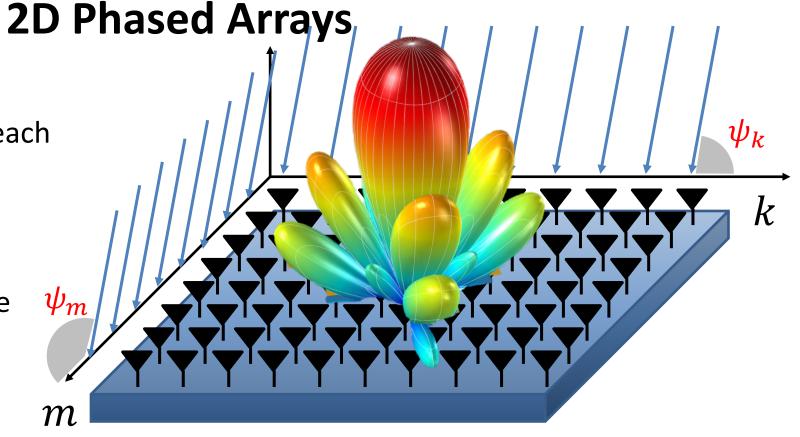
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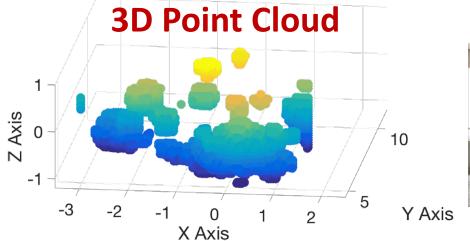
 Pick the phase shift on each antenna to create a beam in each 3D direction.

- 2) Transmit FMCW signals and receive reflections.
- 3) Mix RX signal with TX and take range FFT.
- 4) Repeat in every direction.



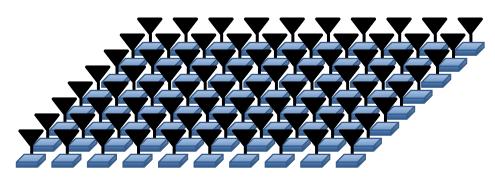








# **Digital Phased Arrays**

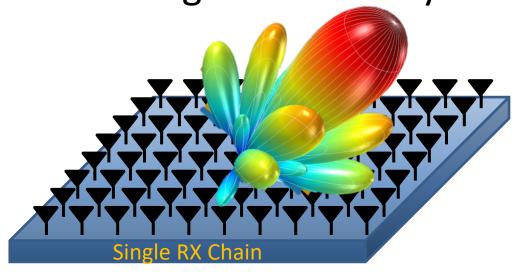


 $N \times N$  RX Chains

### **Could Potentially Do the Same thing:**

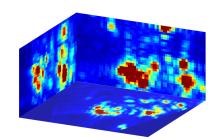
- 1) Mix the RX signal with TX.
- 2) Multiply the resulting signal on each antenna with  $e^{j\phi_{m,k}}$  and sum the signals.
- 3) Compute Range FFT.
- 4) Repeat in every direction.

 $(N \times N \times T + T \log T) \times N \times N = O(N^4T + N^2T \log T)$ 

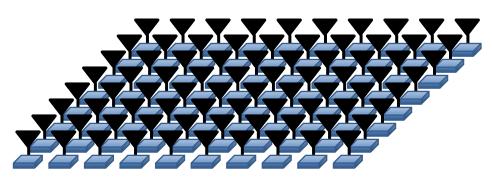


- 1) Pick the phase shift on each antenna to create a beam in each 3D direction.
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- 4) Repeat in every direction.





# **Digital Phased Arrays**

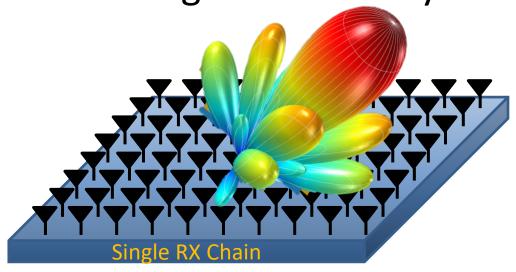


 $N \times N$  RX Chains

### **Could Potentially Do the Same thing:**

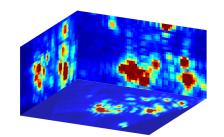
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 $N \times N \times T \log T + N \times N \times T \times N \times N = O(N^4T + N^2T \log T)$ 

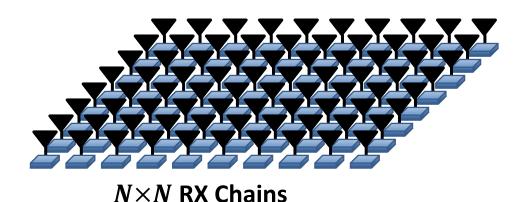


- 1) Pick the phase shift on each antenna to create a beam in each 3D direction.
- 2) Transmit FMCW signals and receive reflections.
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- 4) Repeat in every direction.





# Digital Phased Arrays



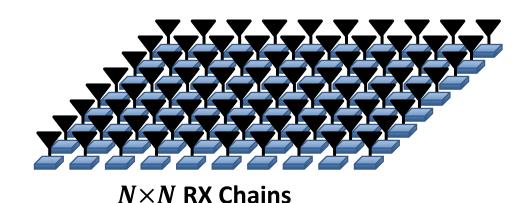
Algorithm 2: (Faster) IDEA: antenna arrays are Fourier Transforms

$$h_{m,k} = \alpha e^{-j\frac{2\pi}{\lambda}(r+ms\sin\theta\cos\varphi+ks\sin\theta\sin\varphi)}$$

Algorithm 1:  $O(N^4T + N^2T \log T)$ 

- 1) Mix the RX signal with TX.
- 3) Compute Range FFT.
- 2) Multiply the resulting signal on each antenna with  $e^{j\phi_{m,k}}$  and sum the signals.
- 4) Repeat in every direction.

# Digital Phased Arrays



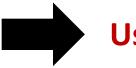
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- 1) Mix the RX signal with TX.
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- 4) Repeat in every direction.

### **Algorithm 2: (Faster)** IDEA: antenna arrays are Fourier Transforms

$$h_{m,k} = \sum_{l} \sum_{l} \alpha_{l} e^{-j\frac{2\pi}{\lambda}(r_{l} + ms\sin\theta_{l}\cos\varphi_{l} + ks\sin\theta_{l}\sin\varphi_{l})} \begin{bmatrix} f_{\chi} = \sin(\theta_{l})\cos(\varphi_{l}), \\ f_{\chi} = \sin(\theta_{l})\sin(\varphi_{l}), \end{bmatrix}$$

$$h(x,y) = \sum_{f} \sum_{f} P(f_x, f_y) e^{-j2\pi (xf_x + yf_y)}$$



$$f_{x} = sin(\theta_{l})cos(\phi_{l}),$$

$$f_{y} = sin(\theta_{l})sin(\phi_{l}),$$

$$x = ms/\lambda,$$

$$y = ks/\lambda$$

$$P(f_{x}, f_{y}) = \alpha_{l}e^{-j\frac{2\pi r_{l}}{\lambda}}$$

# **Digital Phased Arrays**



Algorithm 1:  $O(N^4T + N^2T \log T)$ 

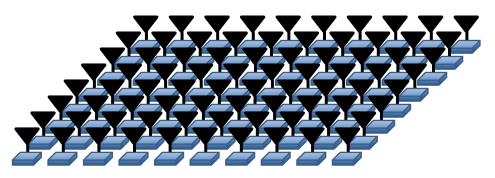
- 1) Mix the RX signal with TX.
- 3) Compute Range FFT.
- 2) Multiply the resulting signal on each antenna with  $e^{j\phi_{m,k}}$  and sum the signals.
- 4) Repeat in every direction.

### Algorithm 2: (Faster) IDEA: antenna arrays are Fourier Transforms

- 1) Mix the RX signal with TX.
- 2) Compute 2D FFT across antennas
- 3) Compute Range FFT.

$$N^2 \log N^2 \times T + N \times N \times T \log T = O(N^2 T \log NT)$$

# Digital Phased Arrays



 $N \times N$  RX Chains

**Algorithm 3: (More Accurate)** 

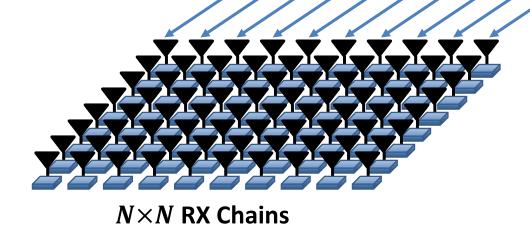
### Algorithm 1: $O(N^4T + N^2T \log T)$

- 1) Mix the RX signal with TX.
- 3) Compute Range FFT.
- 2) Multiply the resulting signal on each antenna with  $e^{j\phi_{m,k}}$  and sum the signals.
- 4) Repeat in every direction.

### Algorithm 2: (Faster) $O(N^2T \log NT)$ 3D FFT

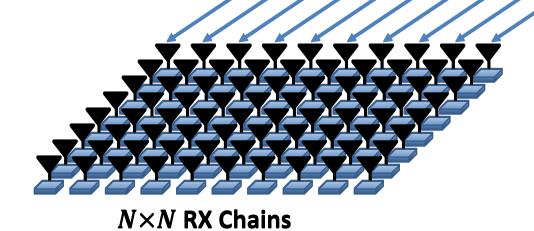
- 1) Mix the RX signal with TX.
- 2) Compute 2D FFT across antennas
- 3) Compute Range FFT.

Assumes parallel waves Reflector is far away



**Algorithm 3: (More Accurate)** 

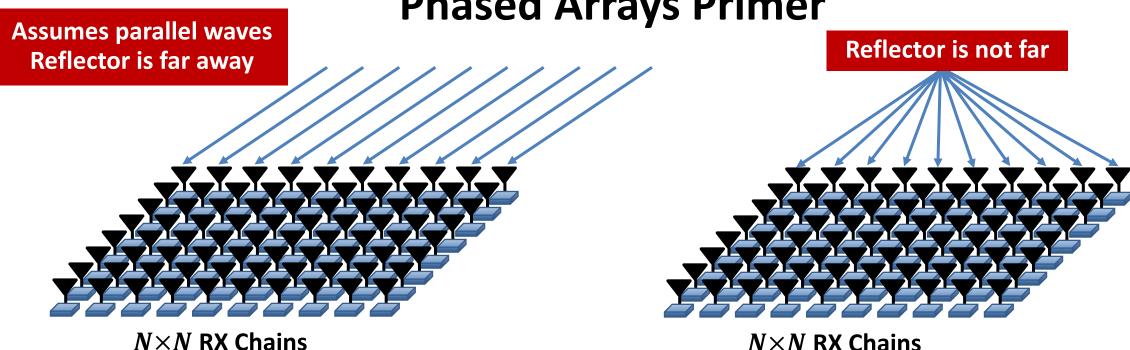
Assumes parallel waves Reflector is far away



**Algorithm 3: (More Accurate)** 



 $N \times N$  RX Chains

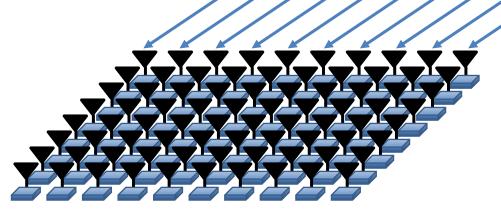


Algorithm 3: (More Accurate) IDEA: use the exact equation

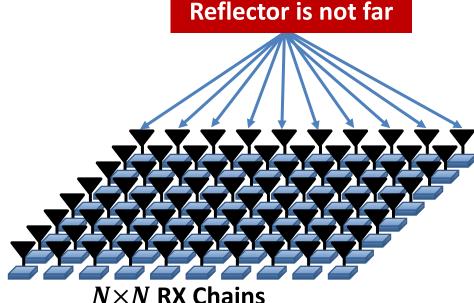
$$S_{m,k}(t) = \alpha_l e^{-j2\pi(k\tau_l t + f_0 \tau_l)} = \alpha_l e^{-j2\pi(k2d_l t/c + 2d_l/\lambda)}$$

Received FMCW signal from reflector  $\boldsymbol{l}$  after mixing with TX

**Assumes parallel waves** Reflector is far away



 $N \times N$  RX Chains



 $N \times N$  RX Chains

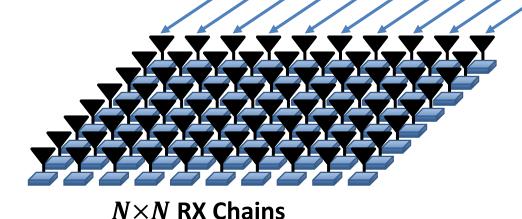
Algorithm 3: (More Accurate) IDEA: use the exact equation

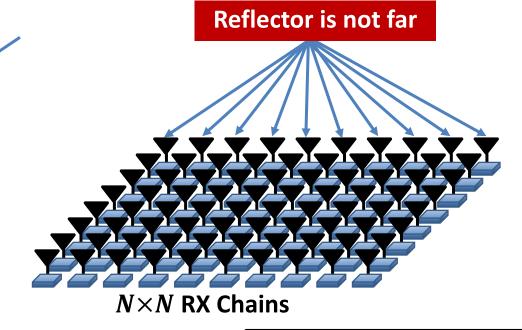
Assume antenna 0,0 at origin  $x_{m,k} = ms, y_{m,k} = ks, z_{m,k} = z_c$ 

$$S_{m,k}(t) = \alpha_l e^{-j2\pi(k\tau_l t + f_0 \tau_l)} = \alpha_l e^{-j2\pi(k2d_l t/c + 2d_l/\lambda)}$$

$$d_{l} = \sqrt{(x_{l} - x_{m,k})^{2} + (y_{l} - y_{m,k})^{2} + (z_{l} - z_{m,k})^{2}} = \sqrt{(x_{l} - ms)^{2} + (y_{l} - ks)^{2} + (z_{l} - z_{c})^{2}}$$

Assumes parallel waves Reflector is far away



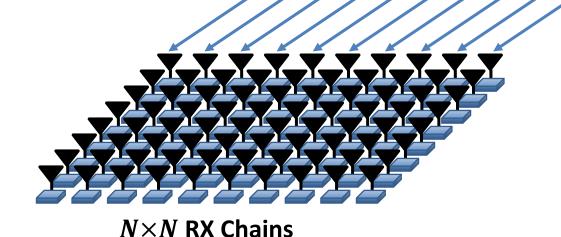


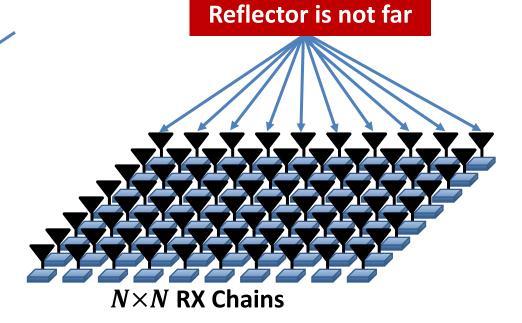
Algorithm 3: (More Accurate) IDEA: use the exact equation

Assume antenna 0,0 at origin  $x_{m,k}=ms$ ,  $y_{m,k}=ks$ ,  $z_{m,k}=z_c$ 

$$S_{m,k}(t) = \alpha_l e^{-j2\pi(k\tau_l t + f_0 \tau_l)} = \alpha_l e^{-j2\pi(k2d_l t/c + 2d_l/\lambda)}$$
$$= \alpha_l e^{-j4\pi(kt/c + 1/\lambda)\sqrt{(x_l - ms)^2 + (y_l - ks)^2 + (z_l - z_c)^2}}$$



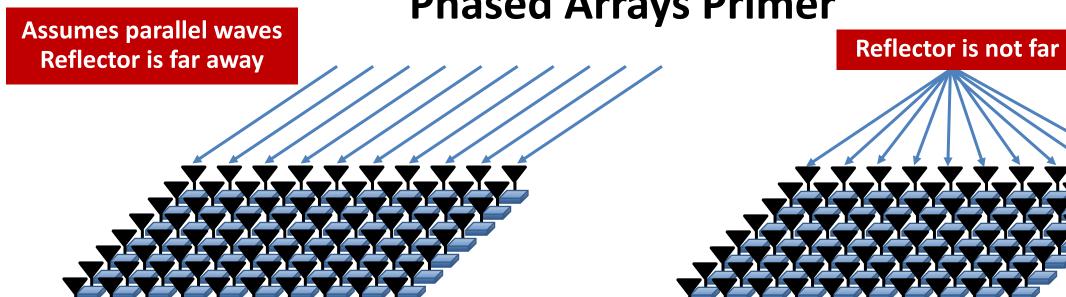




Algorithm 3: (More Accurate) IDEA: use the exact equation

Assume antenna 0,0 at origin  $x_{m,k}=ms, y_{m,k}=ks, z_{m,k}=z_c$ 

$$s_{m,k}(t) = \sum_{l} \alpha_{l} e^{-j2\pi(k\tau_{l}t + f_{0}\tau_{l})} = \sum_{l} \alpha_{l} e^{-j2\pi(k2d_{l}t/c + 2d_{l}/\lambda)}$$
$$= \sum_{l} \alpha_{l} e^{-j4\pi(kt/c + 1/\lambda)\sqrt{(x_{l} - ms)^{2} + (y_{l} - ks)^{2} + (z_{l} - z_{c})^{2}}}$$



Algorithm 3: (More Accurate) IDEA: use the exact equation

 $N \times N$  RX Chains

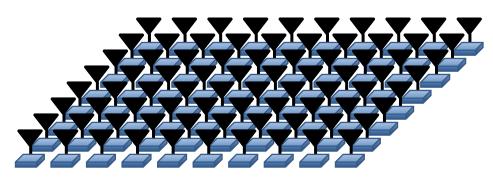
Assume antenna 0,0 at origin  $x_{m,k} = ms, y_{m,k} = ks, z_{m,k} = z_c$ 

 $N \times N$  RX Chains

$$S_{m,k}(t) = \sum_{l} \alpha_{l} e^{-j4\pi(kt/c+1/\lambda)\sqrt{(x_{l}-ms)^{2}+(y_{l}-ks)^{2}+(z_{l}-z)^{2}}}$$

$$P(x, y, z) = \sum_{i=1}^{n} \sum_{l=1}^{n} s_{m,k}(t) \times e^{j4\pi(kt/c+1/\lambda)\sqrt{(x-ms)^2+(y-ks)^2+(z-z_c)^2}} = N^2 T \alpha_l$$

#### Digital Phased Arrays



 $N \times N$  RX Chains

#### Algorithm 3: (More Accurate) $O(L^3N^2T) = o(N^5T)$

- 1) Descritize space into  $L \times L \times L$  grid.
- 2) For each point in space compute the received signal using the below equation.

$$P(x, y, z) = \sum_{k} \sum_{l} \sum_{k} s_{m,k}(t) \times e^{j4\pi(kt/c + 1/\lambda)\sqrt{(x - ms)^2 + (y - ks)^2 + (z - z_c)^2}}$$

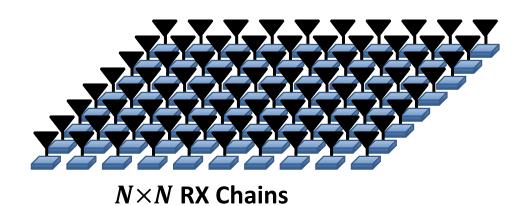
#### Algorithm 1: $O(N^4T + N^2T \log T)$

- 1) Mix the RX signal with TX.
- 3) Compute Range FFT.
- 2) Multiply the resulting signal on each antenna with  $e^{j\phi_{m,k}}$  and sum the signals.
- 4) Repeat in every direction.

#### Algorithm 2: (Faster) $O(N^2T \log NT)$ 3D FFT

- 1) Mix the RX signal with TX.
- 2) Compute 2D FFT across antennas
- 3) Compute Range FFT.

### **Digital Phased Arrays**

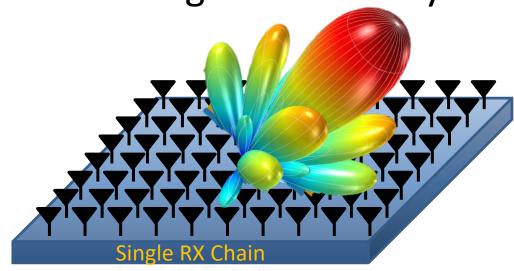


Algorithm 1:  $O(N^4T + N^2T \log T)$  Similar to Analog

Algorithm 2: (Faster)  $O(N^2T \log NT)$  3D FFT

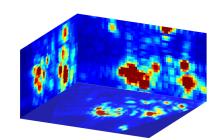
Algorithm 3: (More Accurate)  $O(L^3N^2T) = o(N^5T)$ 

#### **Analog Phased Arrays**



- 1) Pick the phase shift on each antenna to create a beam in each 3D direction.
- 2) Transmit FMCW signals and receive reflections.
- 3) Mix RX signal with TX and take range FFT.
- 4) Repeat in every direction.





# Can we use millimeter wave radars for 3D imaging and not just ranging?

#### 5G pushing research into delivering large 2D millimeter wave phased arrays



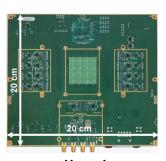
Nokia & National Instruments



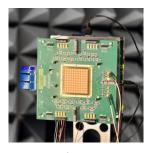
UCSD 256 elements



UCSD 64 elements



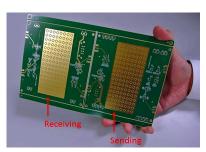
Bell Labs 384 elements



Anokiwave 256 elements



IBM 64 elements



Fujitsu 64 elements

Small wavelength enables thousands of antennas to be packed into small space

→ Extremely narrow beams

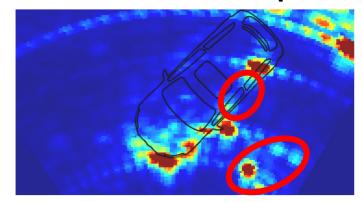
## Challenges in mmWave Imaging

- 1. Extremely Low Resolution
- Blobs of radar reflections
- No Sharp Boundaries/Shapes
- 2. Specularity
- Major parts of Car are Missing
- 3. Multipath and artifacts
- Spurious Reflections

(a) Camera Image



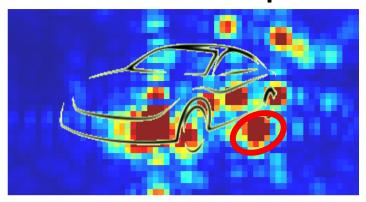
(c) Top-View of Radar Heatmap



(b) Radar Point Cloud



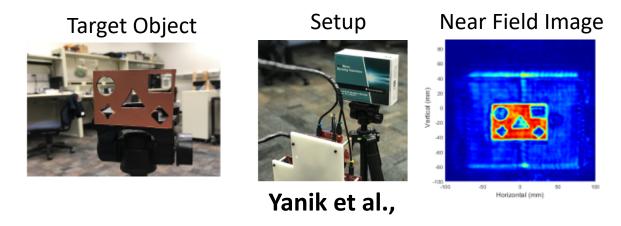
(d) Front-View of Radar Heatmap



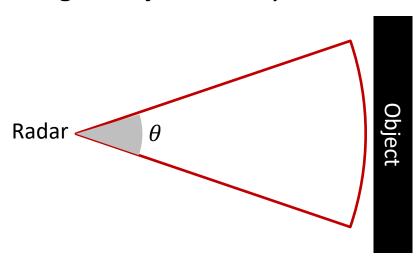
Radar images lack perceptual and contextual information about the scene

## State of the Art Millimeter Wave Imaging

#### **Limited to Near Field**



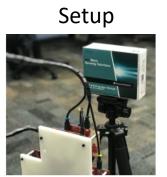
Imaged object is only few cm away from radar



## State of the Art Millimeter Wave Imaging

#### **Limited to Near Field**

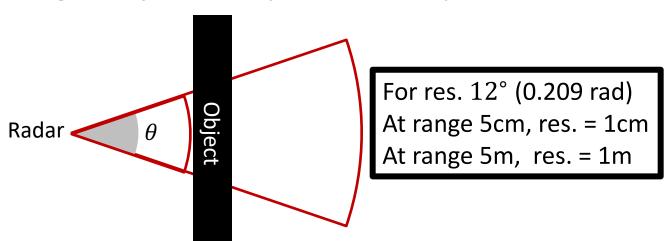




Near Field Image

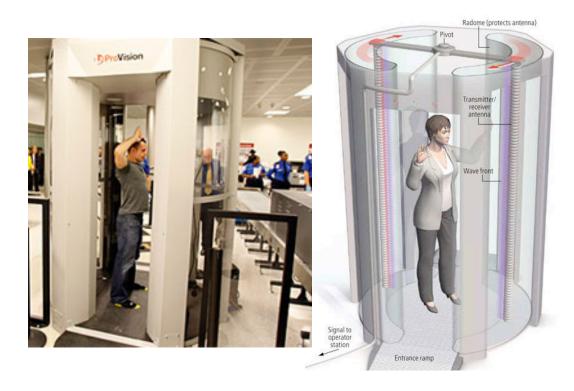
Yanik et al.,

Imaged object is only few cm away from radar



#### **Airport Security Scanners**

- Human-sized Arrays
- 360° Scanning with Rotation
- Isolation in Near Field

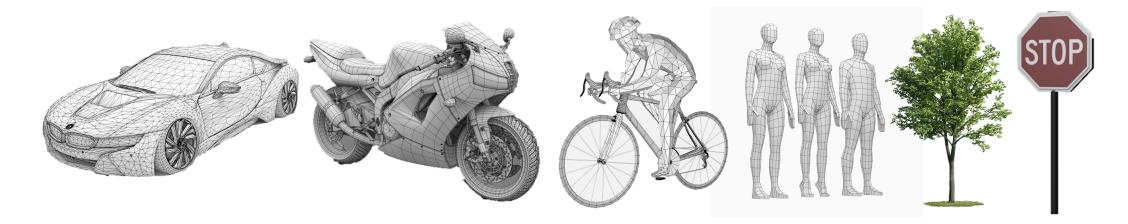


Resolution = AoA resolution × Range =  $r \theta$ 

## **HawkEye Paper**

Cast mmWave Imaging as learning problem:

- Taking a data driven approach to recover high frequency shapes and details
- Leveraging geometric priors on structures of commonly found streetside objects
- Providing robustness to hard-to-model radar reflections and sources of noise

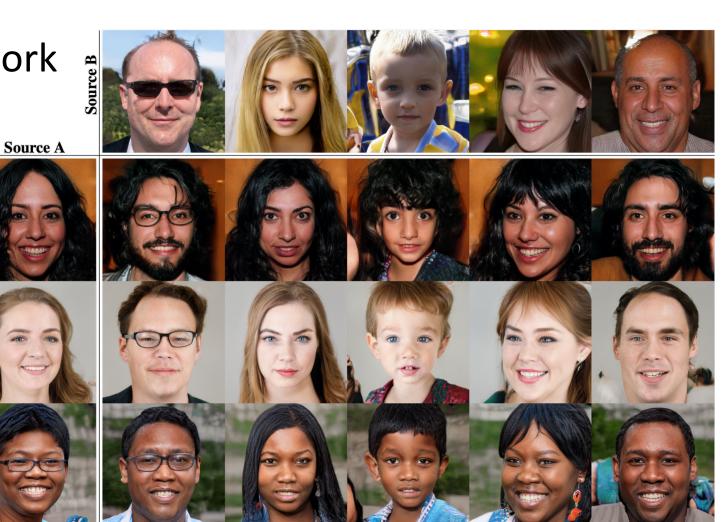


Leverage Conditional Generative Adversarial Network (GAN)
Framework with Deep ConvNets

# Generative Adversarial Network (GAN)

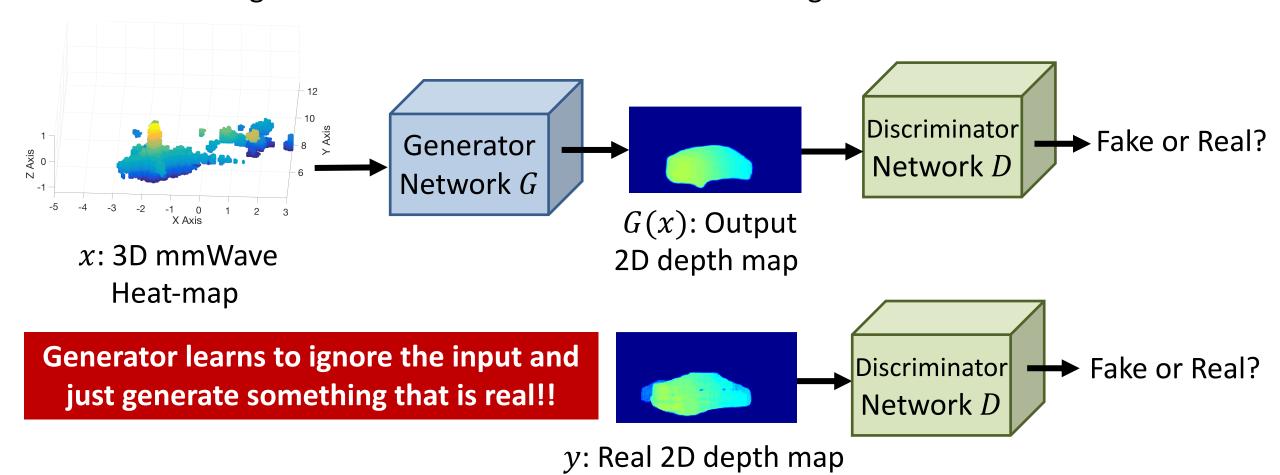
Coarse styles from source B

- Machine Learning Framework
- Extensively used for:
  - Super resolution
  - ► Learning image priors
  - ► Image transformation
  - Deep fakes



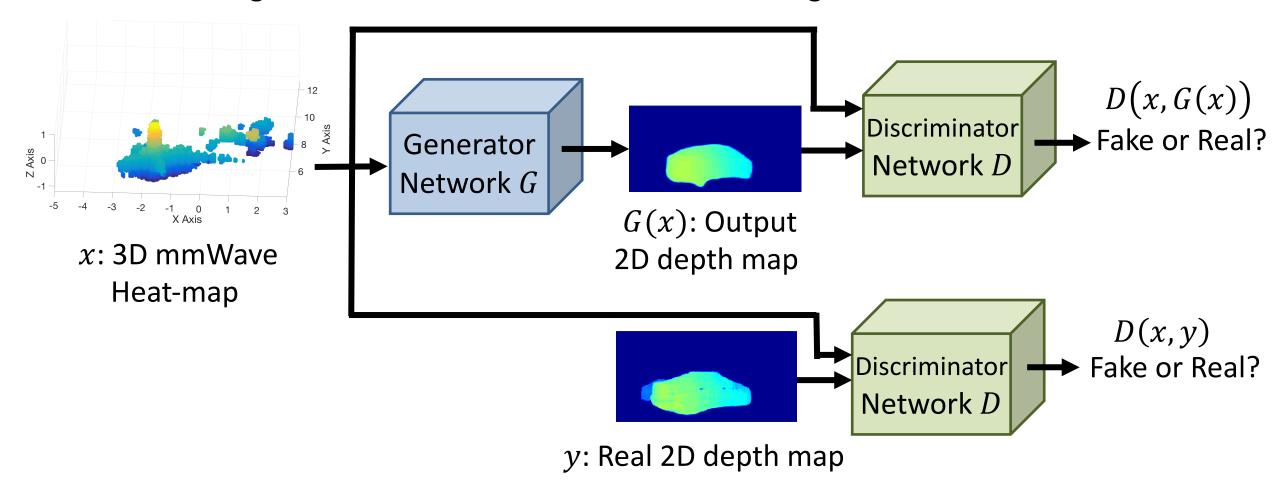
# Generative Adversarial Network (GAN)

- Generator takes 3D radar heatmap as input and outputs high resolution depth map.
- Discriminator tries to guess is the high resolution depth map is real of fake.
- Generator's goal is to fool the discriminator into thinking this is real



# Conditional Generative Adversarial Network (cGAN)

- Generator takes 3D radar heatmap as input and outputs high resolution depth map.
- Discriminator tries to guess is the high resolution depth map is real of fake.
- Generator's goal is to fool the discriminator into thinking this is real



# Conditional Generative Adversarial Network (cGAN)

Train neural networks in Generator and Discriminator to optimize for the GAN loss

$$\min_{G} \left( \max_{D} \left( \mathbf{E}_{y} \left[ \log D(x,y) \right] + \mathbf{E}_{x} \left[ \log \left( 1 - D(x,G(x)) \right) \right] \right) \right)$$

$$\min_{G} \left( \max_{D} \left( \mathbf{E}_{y} \left[ \log D(x,y) \right] + \mathbf{E}_{x} \left[ \log \left( 1 - D(x,G(x)) \right) \right] \right) \right)$$

$$\min_{G} \left( \sum_{D} \left( \mathbf{E}_{y} \left[ \log D(x,y) \right] + \mathbf{E}_{x} \left[ \log \left( 1 - D(x,G(x)) \right) \right] \right) \right)$$

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$$\min_{G} \left( \sum_{D} \left( \mathbf{E}_{y} \left[ \log D(x,y) \right] \right) \right)$$

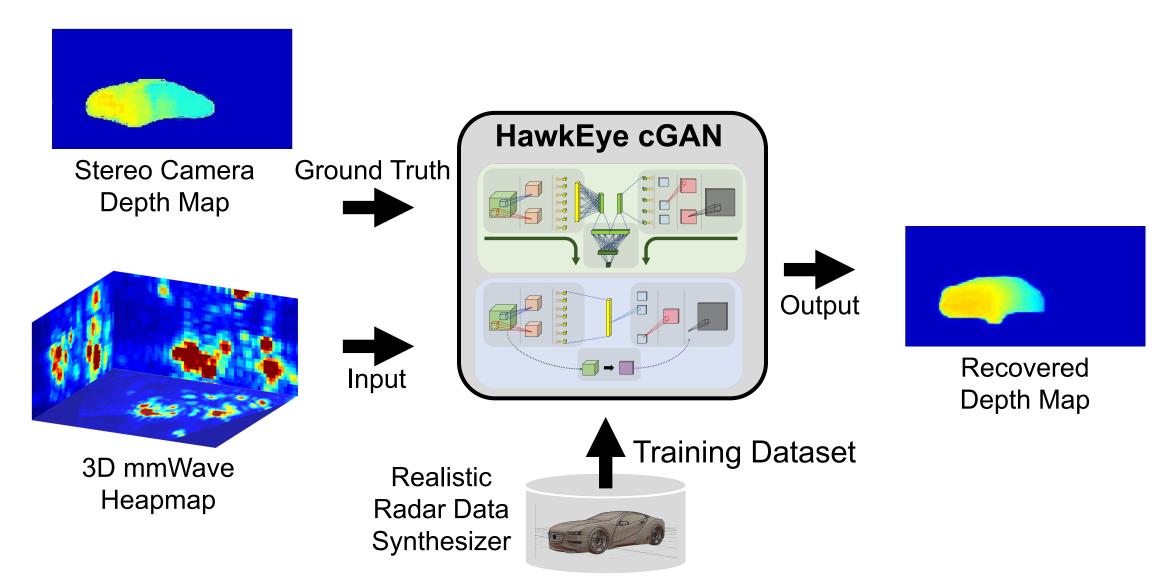
$$\min_{G} \left( \sum_{D} \left( \sum_{D} \left( \sum_{D} \left( \mathbf{E}_{y} \left[ \log D(x,y) \right] \right) \right)$$

$$\min_{G} \left( \sum_{D} \left($$

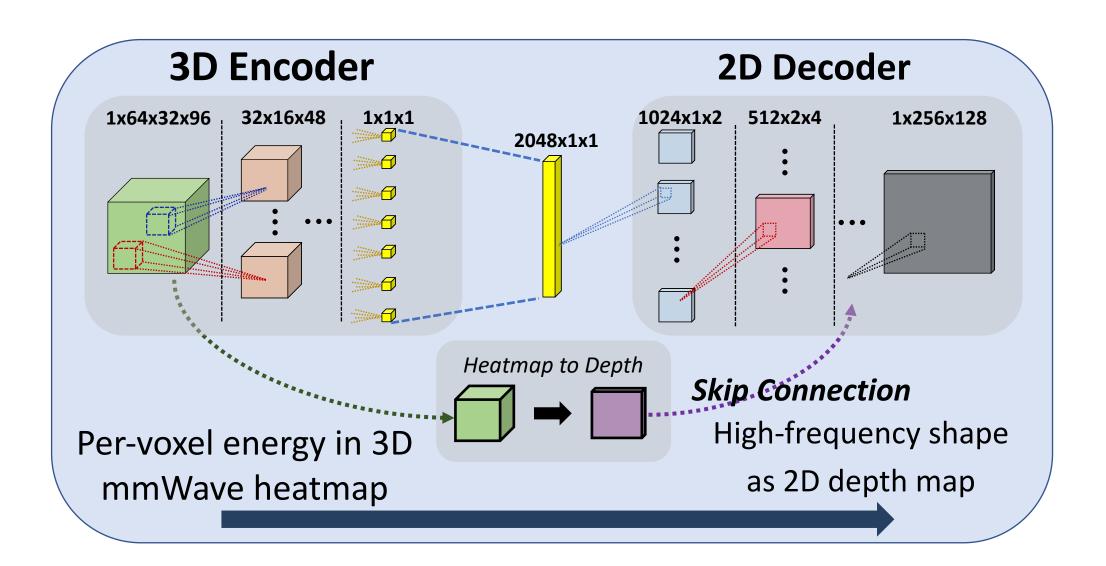
# Challenges in Using cGANs & Deep Learning for Radar Imaging

- Deep learning requires a lot of data to train!
  - ► Unlike vision and images, not much mmWave radar imaging data is available.
  - ► Collecting radar data is hard and time consuming.
- 3D Radar image has bad resolution along the azimuth and elevation but good resolution along range due of FMCW
  - ► Must preserve range information.
- Ground truth: LiDAR point clouds? Visions? ...
  - ► Perceptual and dimension mismatch.

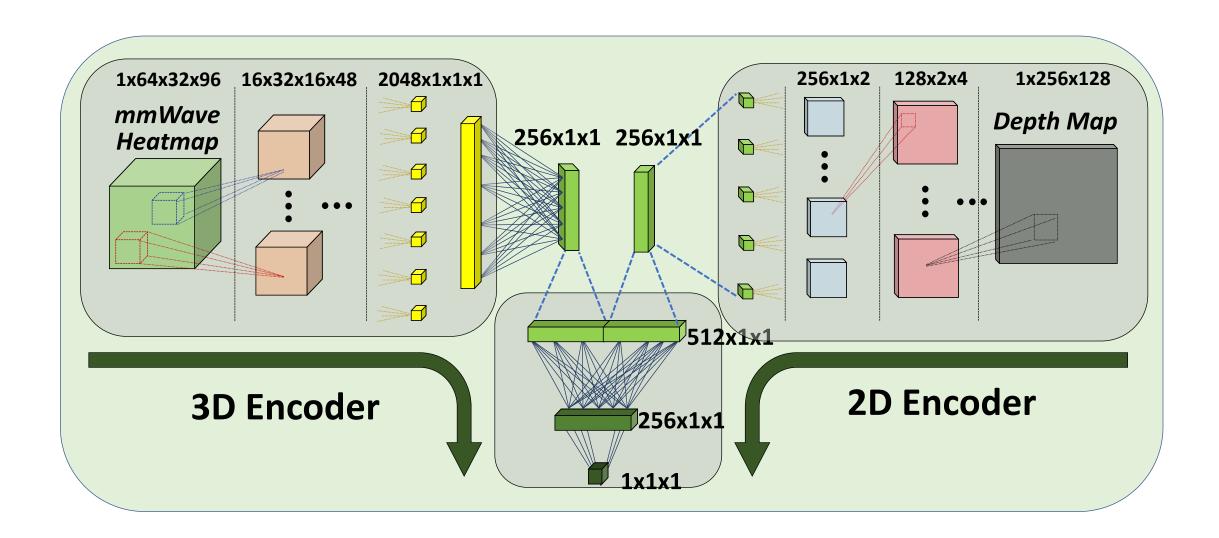
# Hawkeye Overview



## Generator Architecture



## Discriminator Architecture



# Preserving Range Information

#### **Skip Connection**

 Provide higher layers in the decoder with high-frequency ranging information from the 3D mmWave input.

#### **Loss Function**

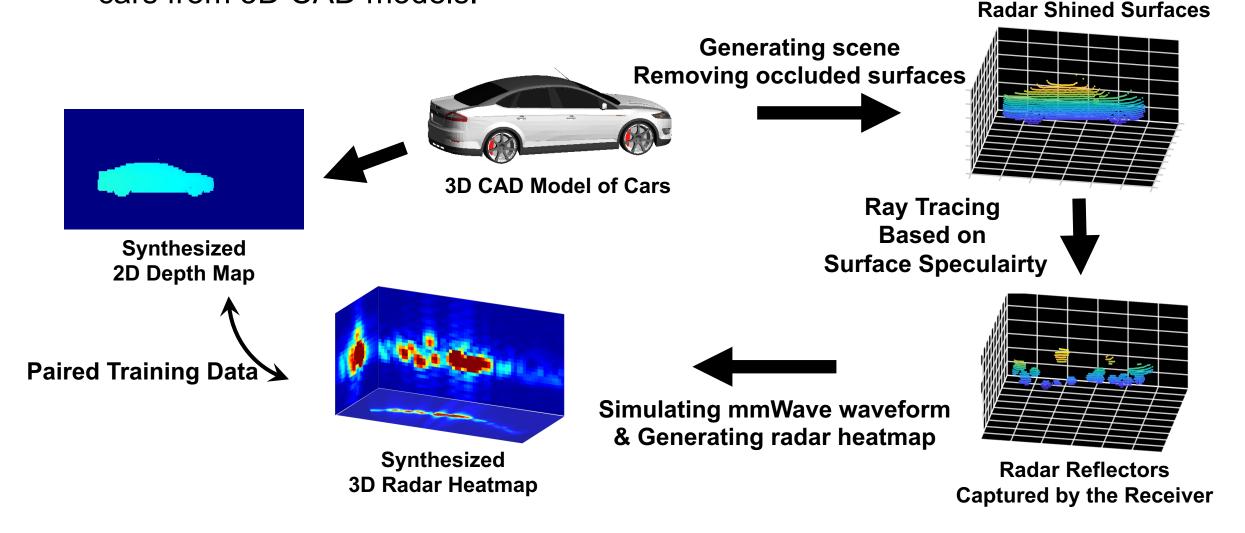
HawkEye employs a combination of three losses:

$$\mathcal{L}_{H}(G) = \mathcal{L}(G) + \lambda_{1}\mathcal{L}_{1} + \lambda_{p}\mathcal{L}_{p}$$

- $\mathcal{L}_1$  loss enforce depth values in output depth map.
- Perceptual loss from pre-trained VGG network provides perceptually interpretable images.

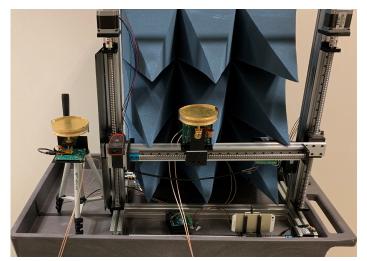
# Synthesizing Large Scale mmWave Dataset

Synthesizer generates paired 3D mmWave heatmaps and 2D depth maps of cars from 3D CAD models.



#### Real-World mmWave Data Collection

#### Millimeter Wave SAR Platform



**FMCW Baseband Circuit** 



#### Custom-built mmWave Imaging Module:

- Emulating 2D antenna array with 60 GHz radio.
- Transmitting FMCW radar waveform.

#### Controlled Experiments in Fog and Rain:

• Emulating fog and rain with fog machine and water hose.

#### **Collected Real-World Dataset:**

- Paired 3D mmWave Heatmaps, RGB Camera images, and stereo camera depth maps
- 327 Scenes of Cars (including 101 experiments in fog and rain)

Original Scene in clear visibility



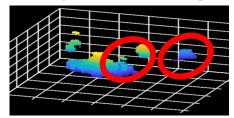
**Ground Truth** 

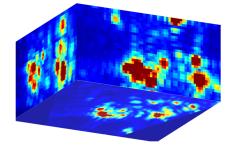
**Cameras in Dense Fog** 



Cameras fail in fog!

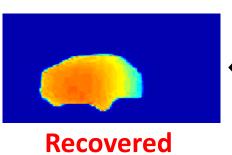
#### Radar Heatmap Captured in Fog



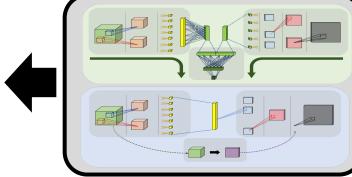


mmWave Data Collection

#### **Conditional GAN**

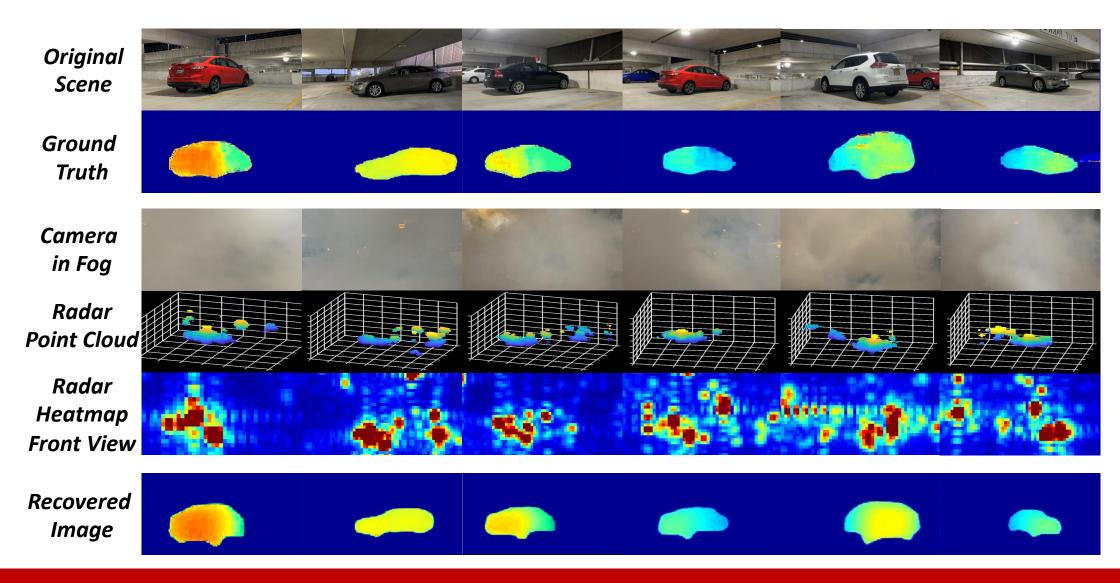


**Image** 

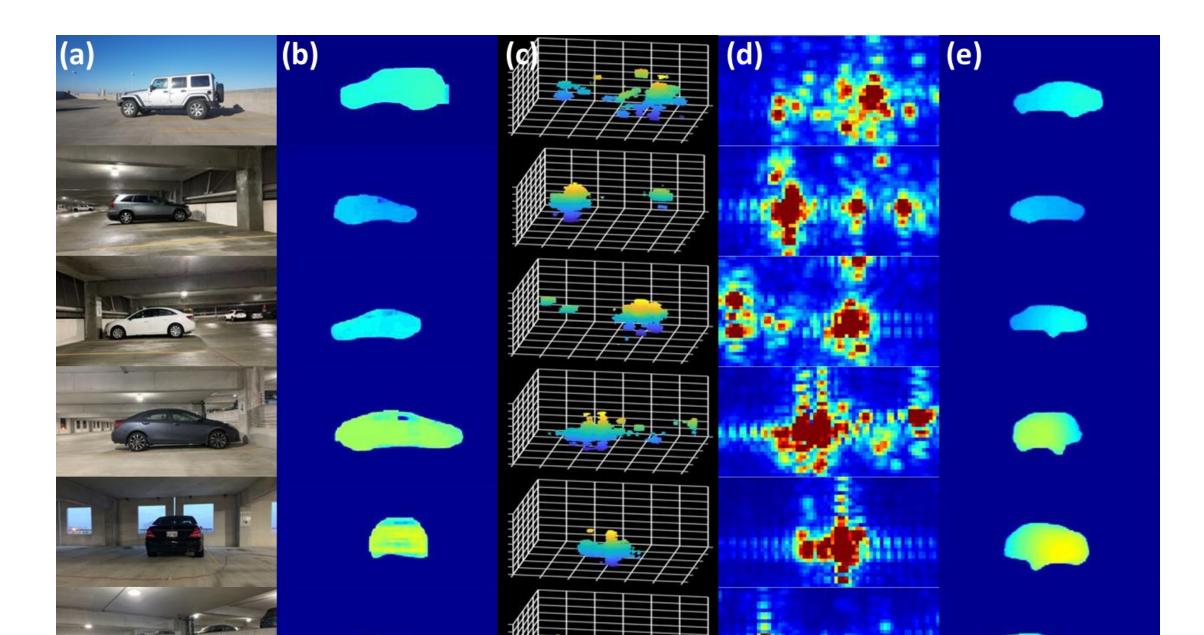


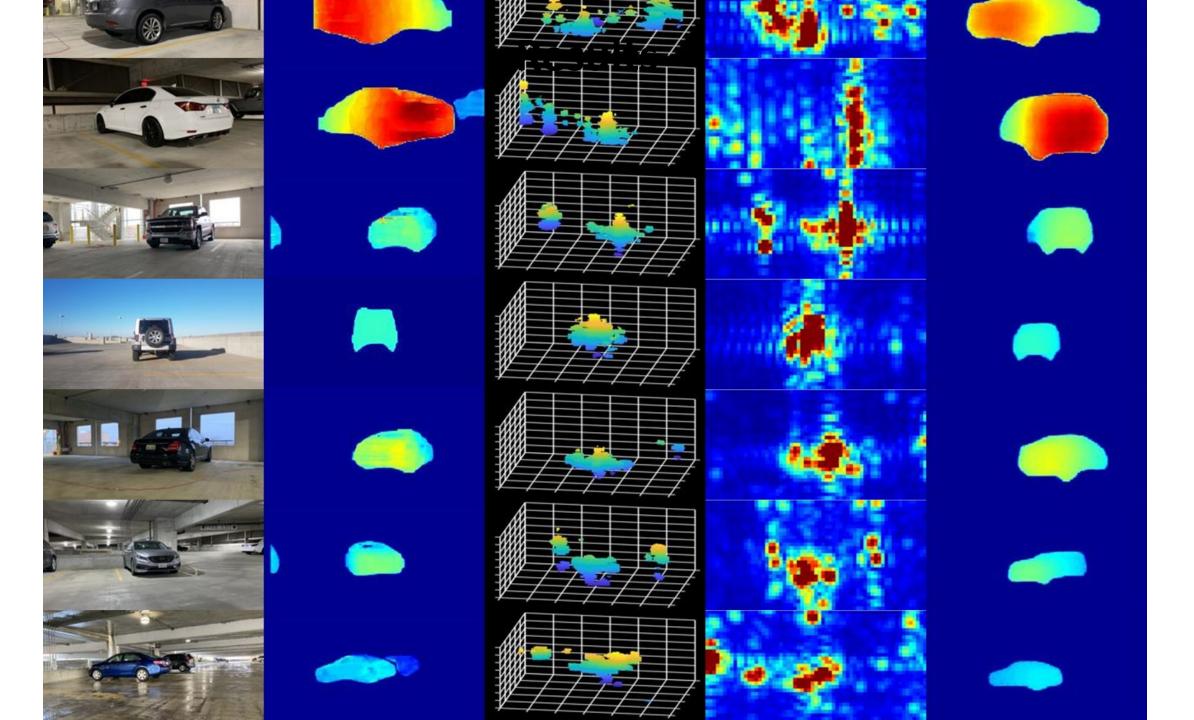


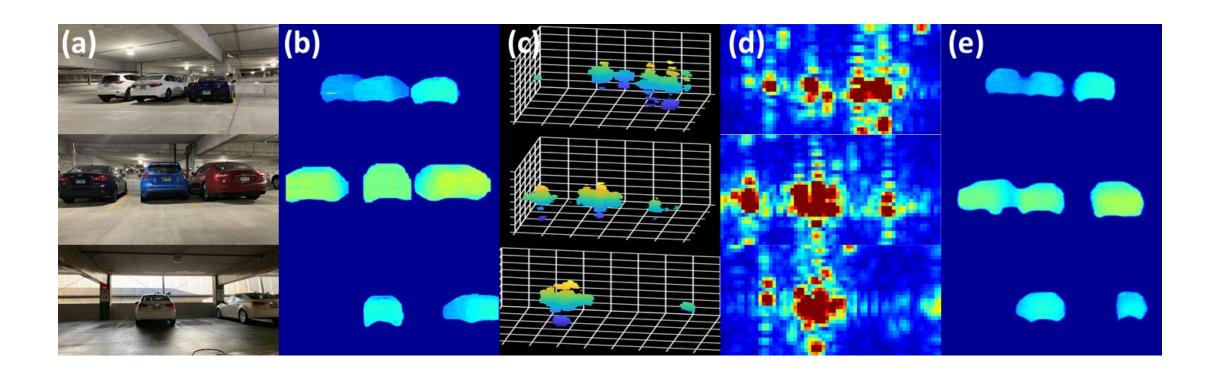
- Enhanced resolution
- Missing parts from Specularity filled
- Artifacts rejected

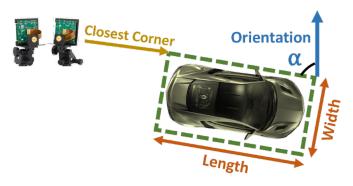


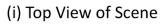
Trained using simulated data and tested using real data.





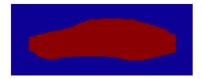








(ii) Front View of Scene



(iii) Front View Object Mask

Experiment	System	Error in	% Fictitious	% Car Surface				
		Ranging	Length	Width	Height	Orientation	Reflections	Missed
Clean Air	HawkEye	30 cm	47 cm	29 cm	9 cm	<b>27</b> °	1.5%	12.9%
	mmWave	53 cm	179 cm	89 cm	45 cm	64°	15.6%	30.5%
	$L_1$ Based Loss	40 cm	97 cm	76 cm	13 cm	37°	2.5%	13.1%
	Nearest Neighbor	90 cm	114 cm	70 cm	17 cm	68°	3.5%	16.0%
Fog	HawkEye	50 cm	83 cm	44 cm	11 cm	<b>29</b> °	2.5%	15.4%
	mmWave	67 cm	222 cm	99 cm	53 cm	72°	20.9%	31.9%
	$L_1$ Based Loss	60 cm	108 cm	80 cm	12 cm	38°	3.5%	13.8%
	Nearest Neighbor	121 cm	117 cm	76 cm	18 cm	45°	3.6%	22.3%
	HawkEye	23 cm	64 cm	37 cm	8 cm	<b>30</b> °	1.3%	10.2%
Synthesized Data	mmWave	29 cm	182 cm	77 cm	31 cm	62°	10.8%	19.2%
	$L_1$ Based Loss	20 cm	113 cm	73 cm	14 cm	47°	3.4%	9.3%
	Nearest Neighbor	81 cm	81 cm	57 cm	13 cm	64°	5.2%	17.5%

## Limitations

Works for single cars.

Only cars and nothing other than cars.

Radar is uses SAR and is not real time.

• Mobile experiments not possible.