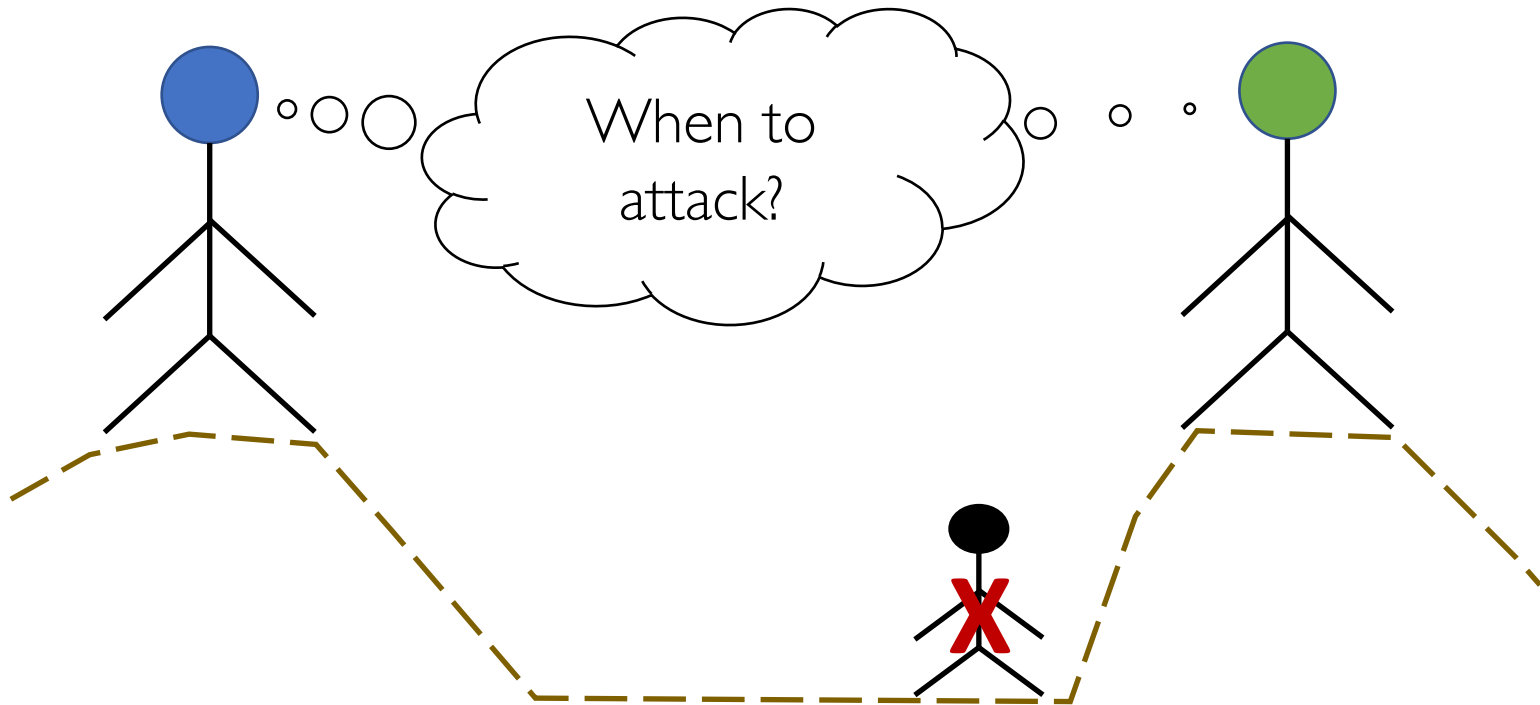


# Distributed Systems

**CS425/ECE428**

*Instructor: Radhika Mittal*

# While we wait.....



Two generals must agree on a time to attack the enemy base. They can communicate with each-other by sending messengers. But, a messenger may get killed by the enemy along the way. Thankfully, they have unlimited no. of messengers at their disposals.

**How can the two generals agree on a time to attack?**

# Logistics Related

- OHs information is up on website/course calendar
- Sign-up forms for VM clusters is available on CampusWire.
  - Please fill it up by Thursday, Jan 25<sup>th</sup>, Thursday, 11:59pm.
- MP0 will be released on Wednesday.
- Lecture recordings on MediaSpace should be accessible to all registered students.

# Today's agenda

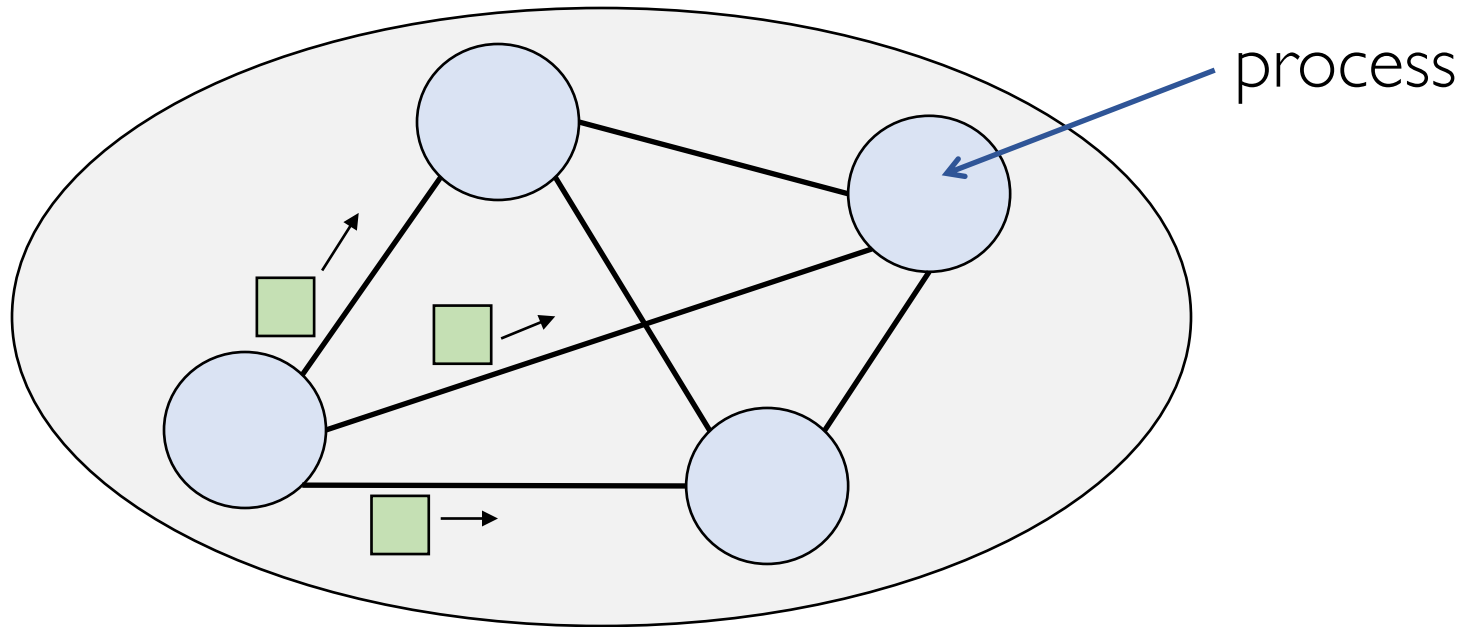
- **System Model**

- Chapter 2.4 (except 2.4.3), parts of Chapter 2.3

- **Failure Detection**

- Chapter 15.1

# What is a distributed system?



**Independent components** that are **connected by a network** and communicate by **passing messages** to achieve a common goal, appearing as a **single coherent system**.

# Relationship between processes

- Two main categories:
  - Client-server
  - Peer-to-peer

# Key aspects of a *distributed* system

- Processes must communicate with one another to coordinate actions. Communication time is variable.
- Different processes (on different computers) have different clocks!
- Processes and communication channels may fail.

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# Two ways to model

- Synchronous distributed systems:
  - Known upper and lower bounds on time taken by each step in a process.
  - Known bounds on message passing delays.
  - Known bounds on clock drift rates.
- Asynchronous distributed systems:
  - No bounds on process execution speeds.
  - No bounds on message passing delays.
  - No bounds on clock drift rates.

# Synchronous and Asynchronous

- Most real-world systems are asynchronous.
  - Bounds can be estimated, but hard to guarantee.
  - Assuming system is synchronous can still be useful.
- Possible to build a synchronous system.

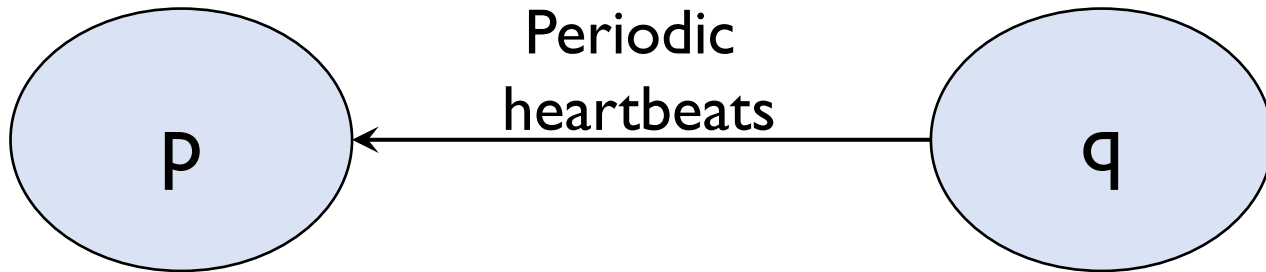
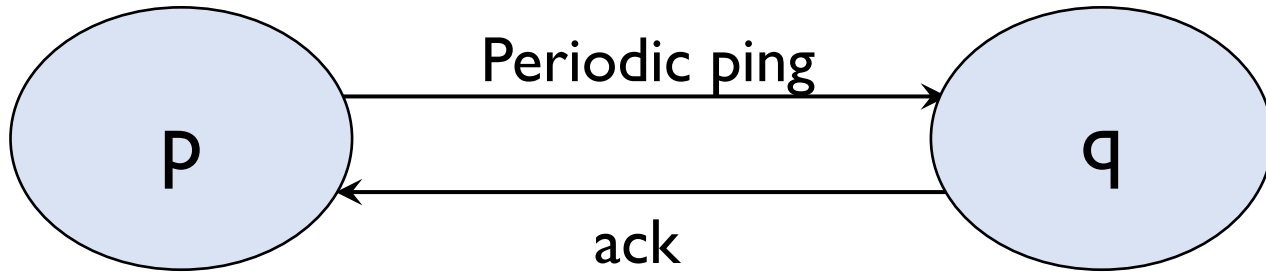
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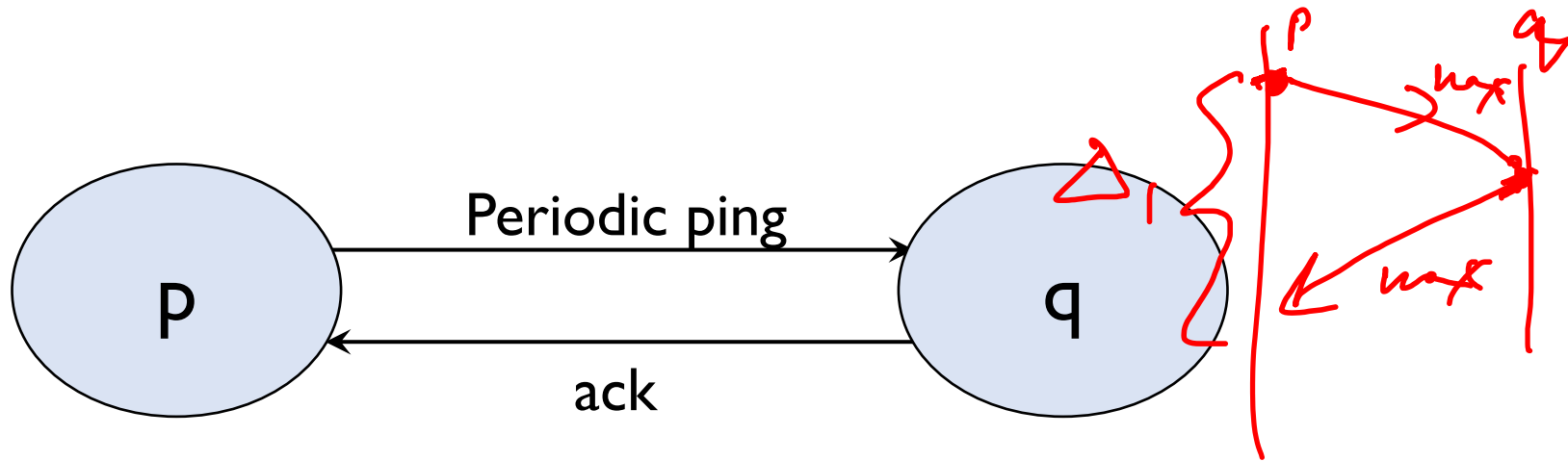
# Types of failure

- **Omission:** when a process or a channel fails to perform actions that it is supposed to do.
  - Process may **crash**.

# How to detect a crashed process?



# How to detect a crashed process?



p sends pings to q every T seconds.

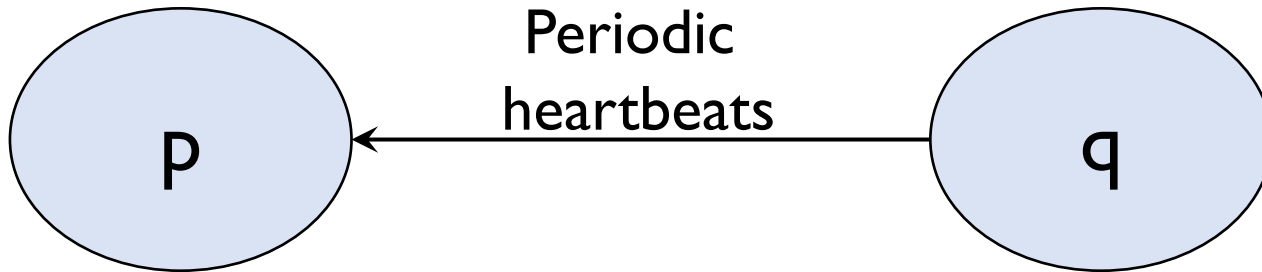
$\Delta_1$  is the *timeout* value at p.

If  $\Delta_1$  time elapsed after sending ping, and no ack, report q crashed.

If synchronous,  $\Delta_1 = 2(\text{max network delay})$

If asynchronous,  $\Delta_1 = k(\text{max observed round trip time})$

# How to detect a crashed process?



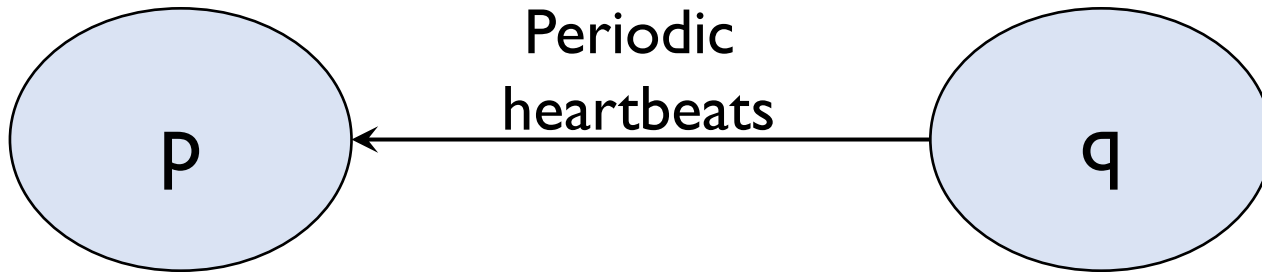
q sends heartbeats to p every  $T$  seconds.

$(T + \Delta_2)$  is the *timeout* value at p.

If  $(T + \Delta_2)$  time elapsed since last heartbeat, report q crashed.

If synchronous,  $\Delta_2 = \text{max network delay} - \text{min network delay}$

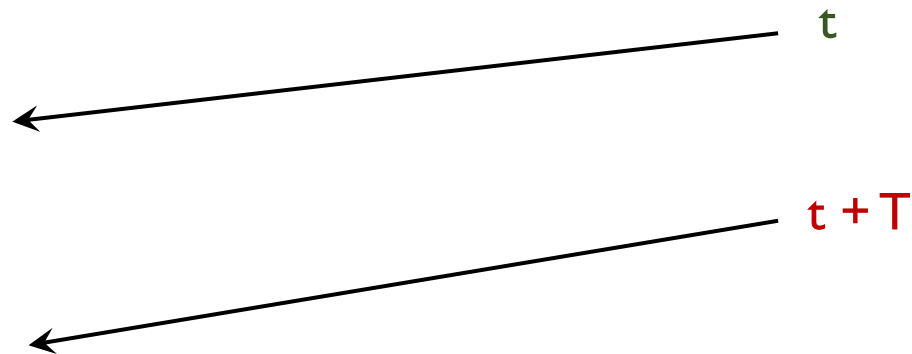
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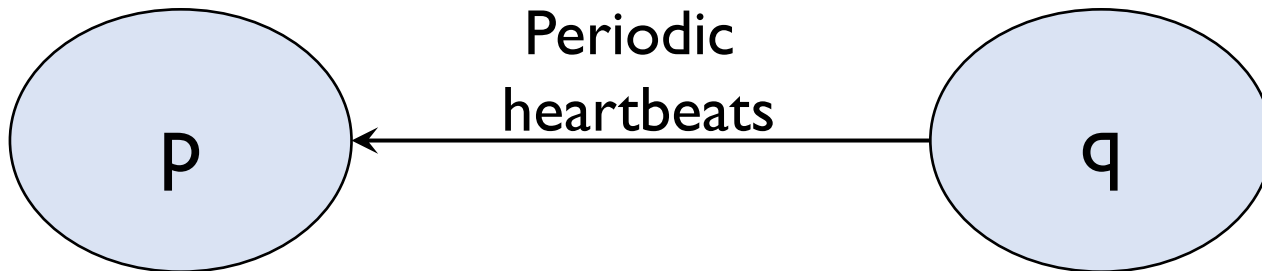
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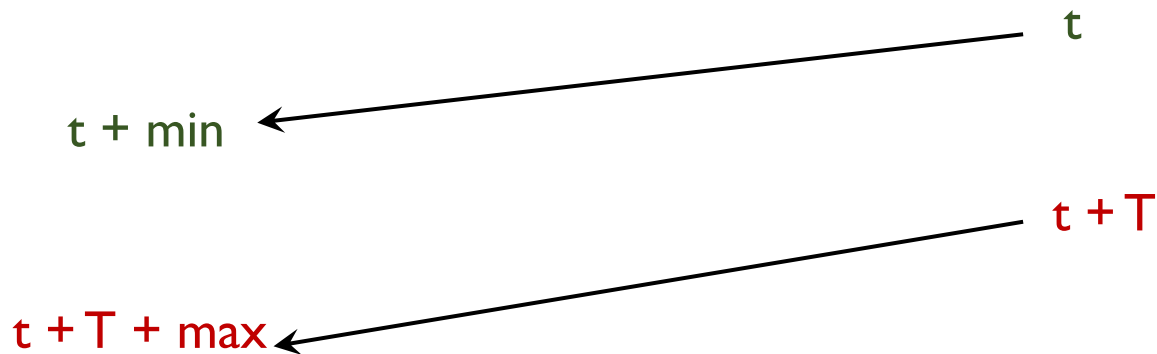
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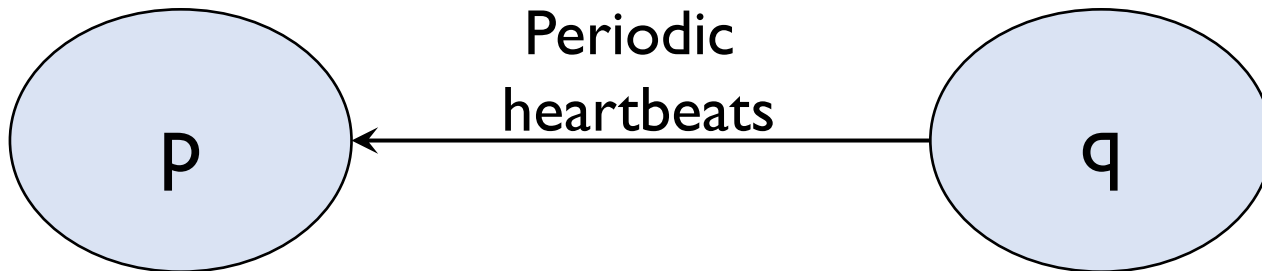
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If synchronous,  $\Delta_2 = \text{max network delay} - \text{min network delay}$

If asynchronous,  $\Delta_2 = k(\text{observed delay})$

# Correctness of failure detection

- **Completeness**
  - Every failed process is *eventually* detected.
- **Accuracy**
  - Every detected failure corresponds to a crashed process (no mistakes).

# Correctness of failure detection

- Characterized by **completeness** and **accuracy**.
- Synchronous system
  - Failure detection via ping-ack and heartbeat is both complete and accurate.
- Asynchronous system
  - *Our strategy for ping-ack and heartbeat is*
  - Impossible to achieve both completeness and accuracy.
  - Can we have an accurate but incomplete algorithm?
    - *Never report failure.*

# Metrics for failure detection

- Worst case failure detection time

Try deriving these  
before next class!

- Ping-ack:  $T + \Delta_1 - \Delta$  (where  $\Delta$  is time taken for last ping from p to reach q)
- Heartbeat:  $\Delta + T + \Delta_2$  (where  $\Delta$  is time taken for last message from q to reach p)

# Metrics for failure detection

- Worst case failure detection time
  - After a process crashes, how long does it take for the other process to detect the crash in the worst case?

# Metrics for failure detection

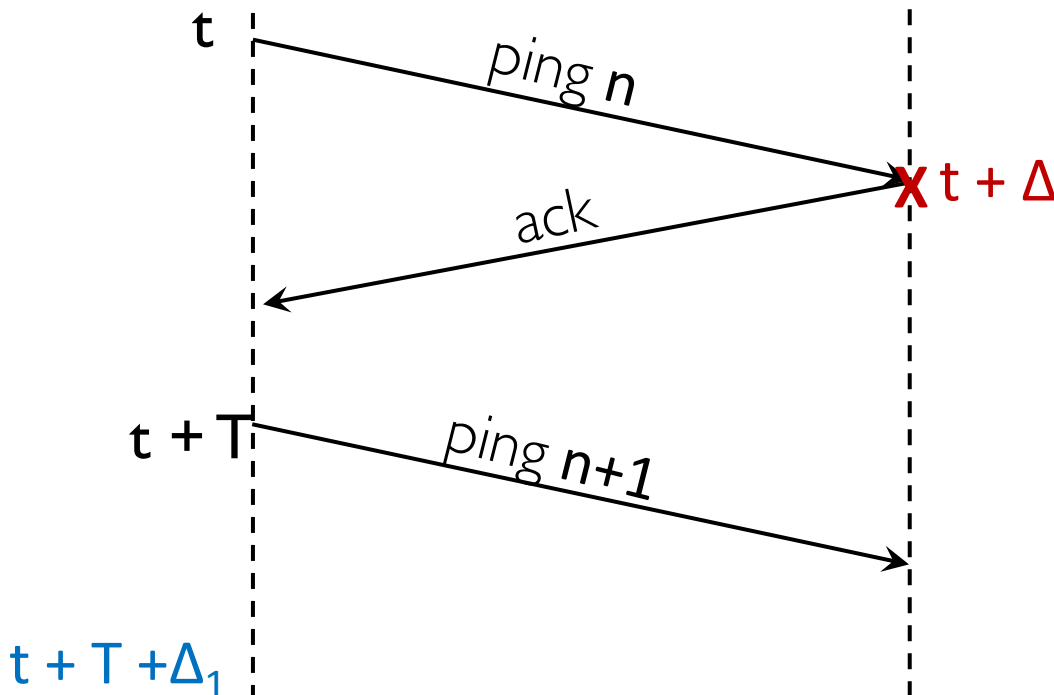
- Worst case failure detection time
  - Ping-ack:  $T + \Delta_1 - \Delta$  where  $\Delta$  is time taken for the last ping from p to reach q before q crashed. T is the time period for pings, and  $\Delta_1$  is timeout value.

Try deriving this!

# Metrics for failure detection

- Worst case failure detection time

- Ping-ack:  $T + \Delta_1 - \Delta$  where  $\Delta$  is time taken for the last ping from p to reach q before q crashed.  $T$  is the time period for pings, and  $\Delta_1$  is timeout value.



Worst case failure detection time:

$$t + T + \Delta_1 - (t + \Delta) \\ = T + \Delta_1 - \Delta$$

Q: What is worst case value of  $\Delta$  for a synchronous system?

A: min network delay



# Metrics for failure detection

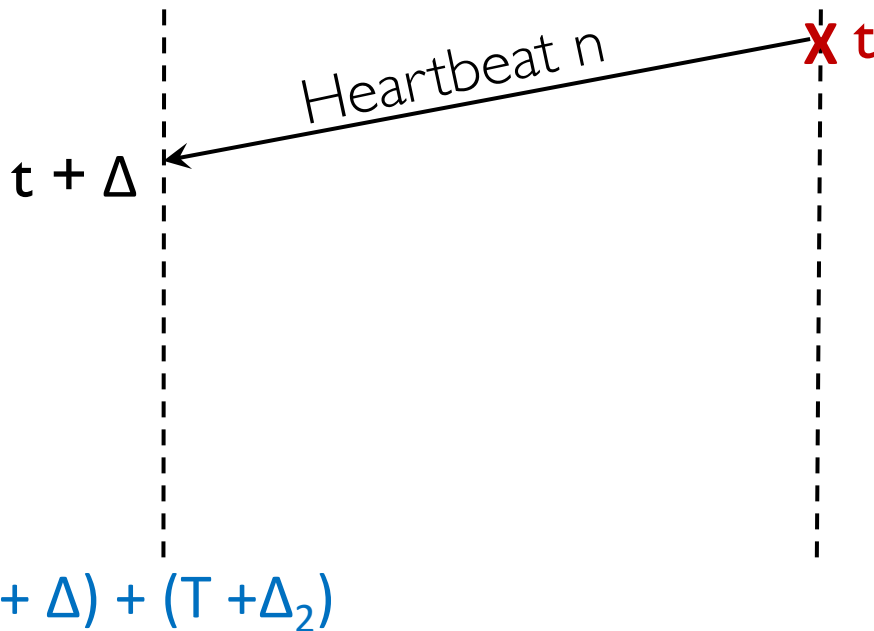
- Worst case failure detection time
  - Heartbeat:  $T + \Delta_2 + \Delta$  where  $\Delta$  is time taken for last heartbeat from q to reach p  
T is the time period for heartbeats, and  $T + \Delta_2$  is the timeout.

Try deriving this!

# Metrics for failure detection

- Worst case failure detection time

- Heartbeat:  $T + \Delta_2 + \Delta$  where  $\Delta$  is time taken for last heartbeat from q to reach p  
T is the time period for heartbeats, and  $T + \Delta_2$  is the timeout.



Worst case failure detection time:  
 $(t + \Delta) + (T + \Delta_2) - t$   
 $= T + \Delta_2 + \Delta$

Q: What is worst case value of  $\Delta$  in a synchronous system?  
A: max network delay

# Metrics for failure detection

- Worst case failure detection time
  - Ping-ack:  $T + \Delta_1 - \Delta$  (where  $\Delta$  is time taken for last ping from p to reach q before crash)
  - Heartbeat:  $T + \Delta_2 + \Delta$  (where  $\Delta$  is time taken for last heartbeat from q to reach p)

# Metrics for failure detection

- Worst case failure detection time
  - Ping-ack:  $T + \Delta_1 - \Delta$  (where  $\Delta$  is time taken for previous ping from p to reach q)
  - Heartbeat:  $T + \Delta_2 + \Delta$  (where  $\Delta$  is time taken for last heartbeat from q to reach p)
- Bandwidth usage:
  - Ping-ack: 2 messages every T units
  - Heartbeat: 1 message every T units.

# Metrics for failure detection

- Worst case failure detection time
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Effect of decreasing T?

# Metrics for failure detection

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- Bandwidth usage:
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Decreasing T decreases failure detection time,  
but increases bandwidth usage.

# Metrics for failure detection

- Worst case failure detection time
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- Bandwidth usage:
  - Ping-ack: 2 messages every T units
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Effect of increasing  $\Delta_1$  or  $\Delta_2$ ?

# Metrics for failure detection

- Worst case failure detection time
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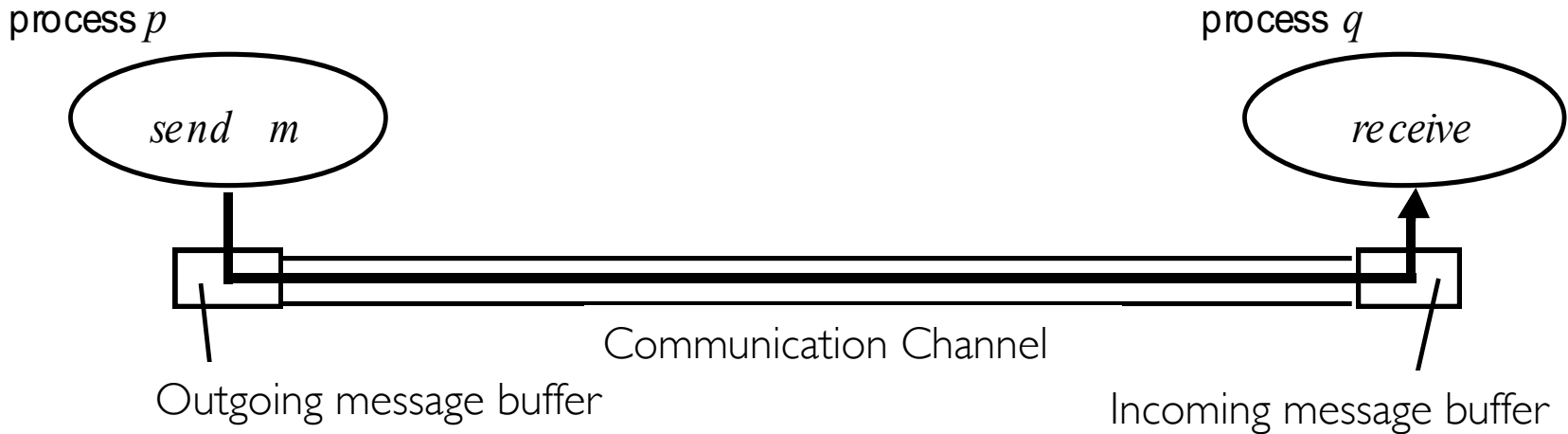
Increasing  $\Delta_1$  or  $\Delta_2$  increases accuracy (in an asynchronous system)  
but also increases failure detection time.



# Types of failure

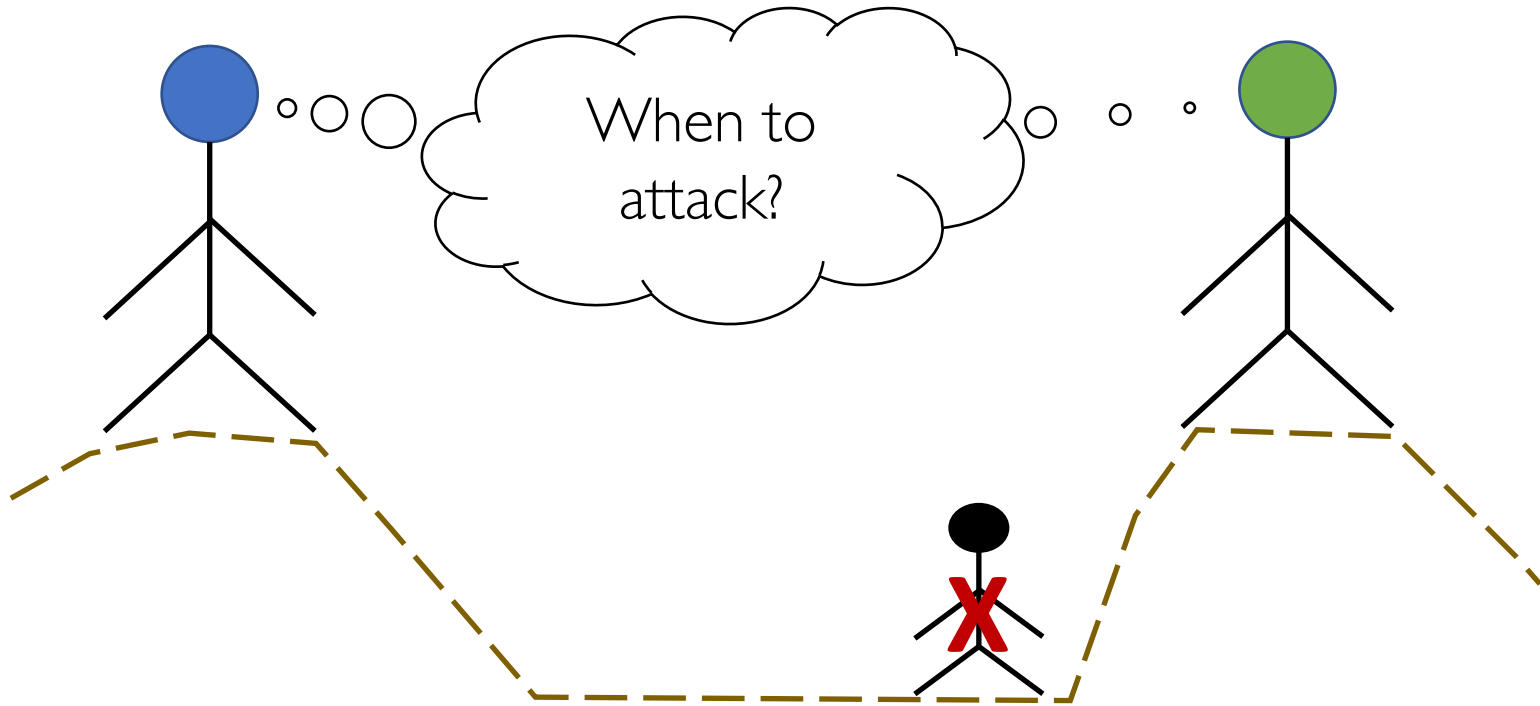
- **Omission:** when a process or a channel fails to perform actions that it is supposed to do.
  - Process may **crash**.
  - **Fail-stop:** if other processes can certainly detect the crash.
  - **Communication omission:** a message sent by process was not received by another.

# Communication Omission

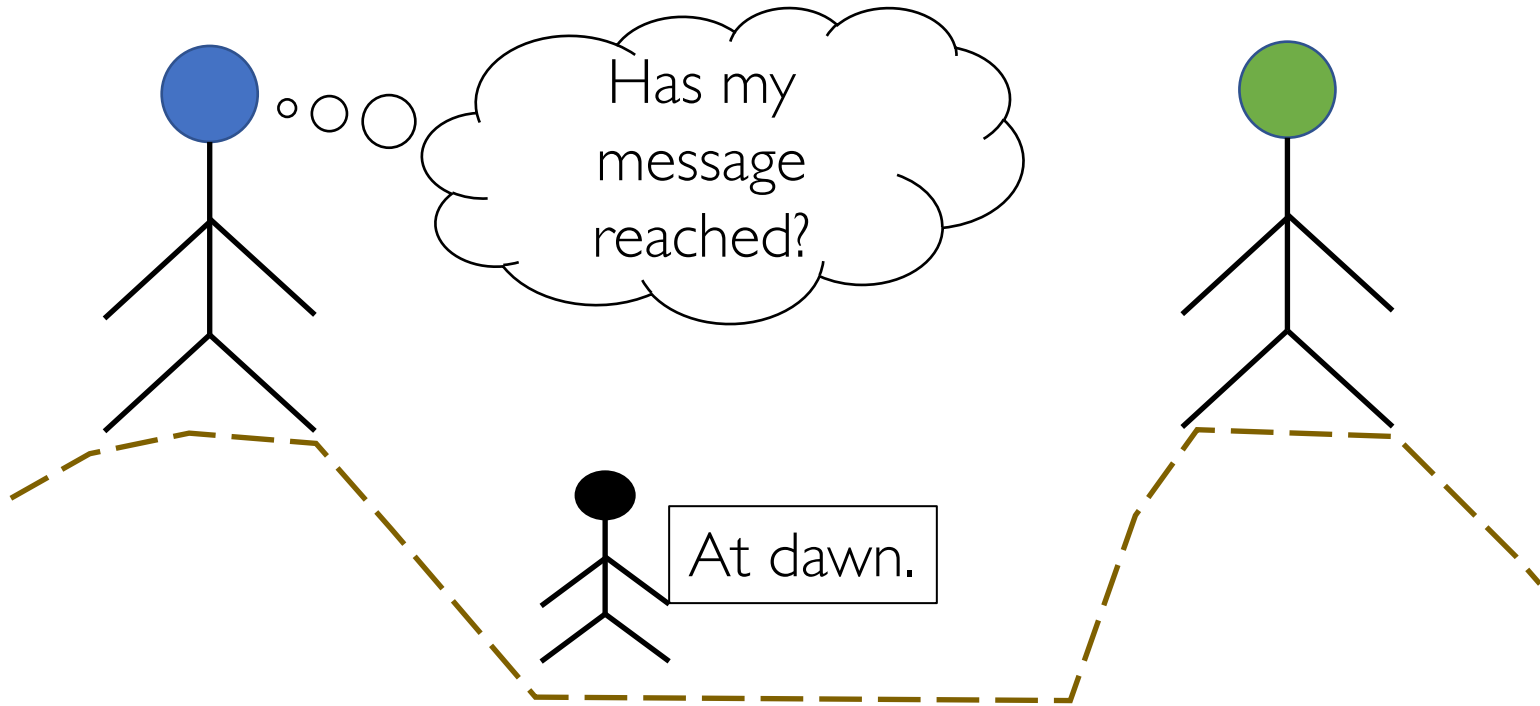


- Channel Omission: omitted by channel
- Send omission: process completes 'send' operation, but message does not reach its outgoing message buffer.
- Receive omission: message reaches the incoming message buffer, but not received by the process.

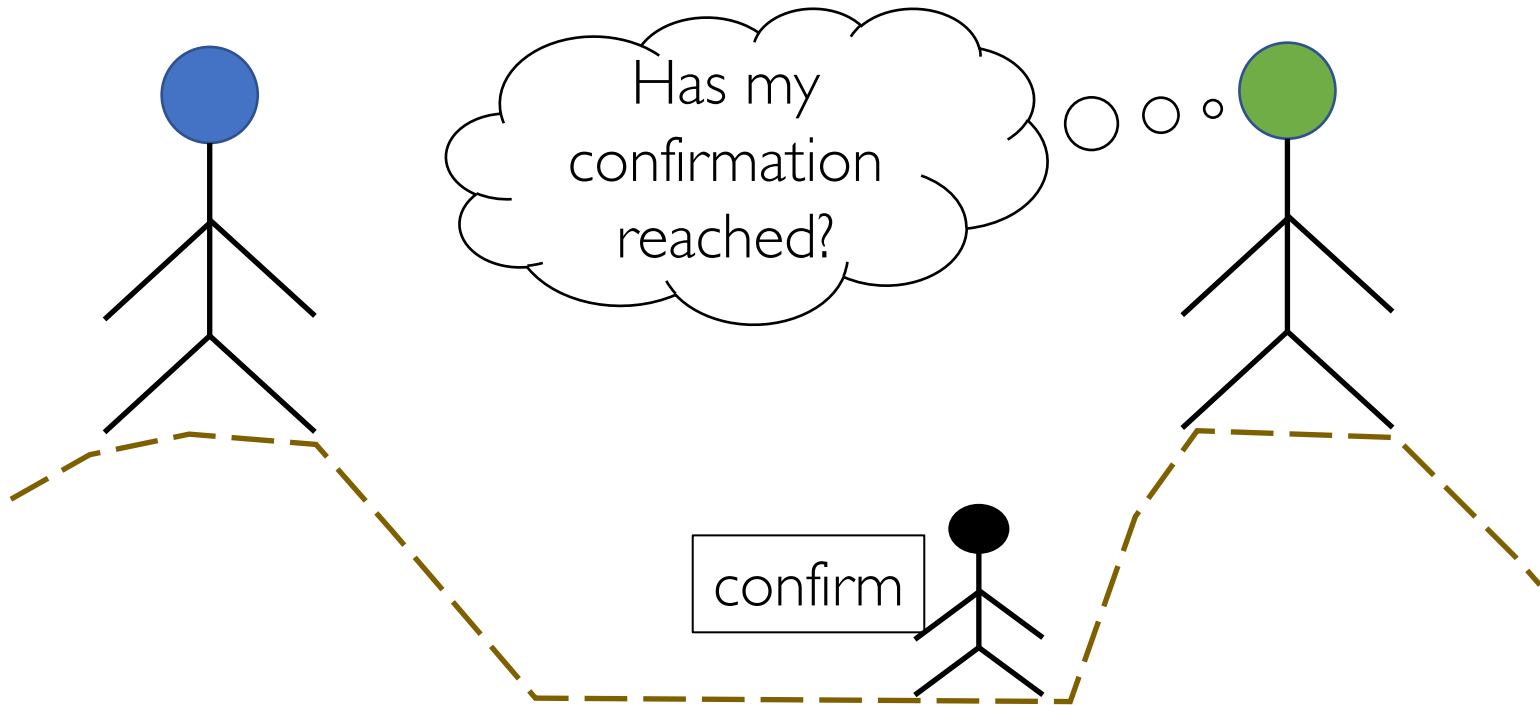
# Two Generals Problem



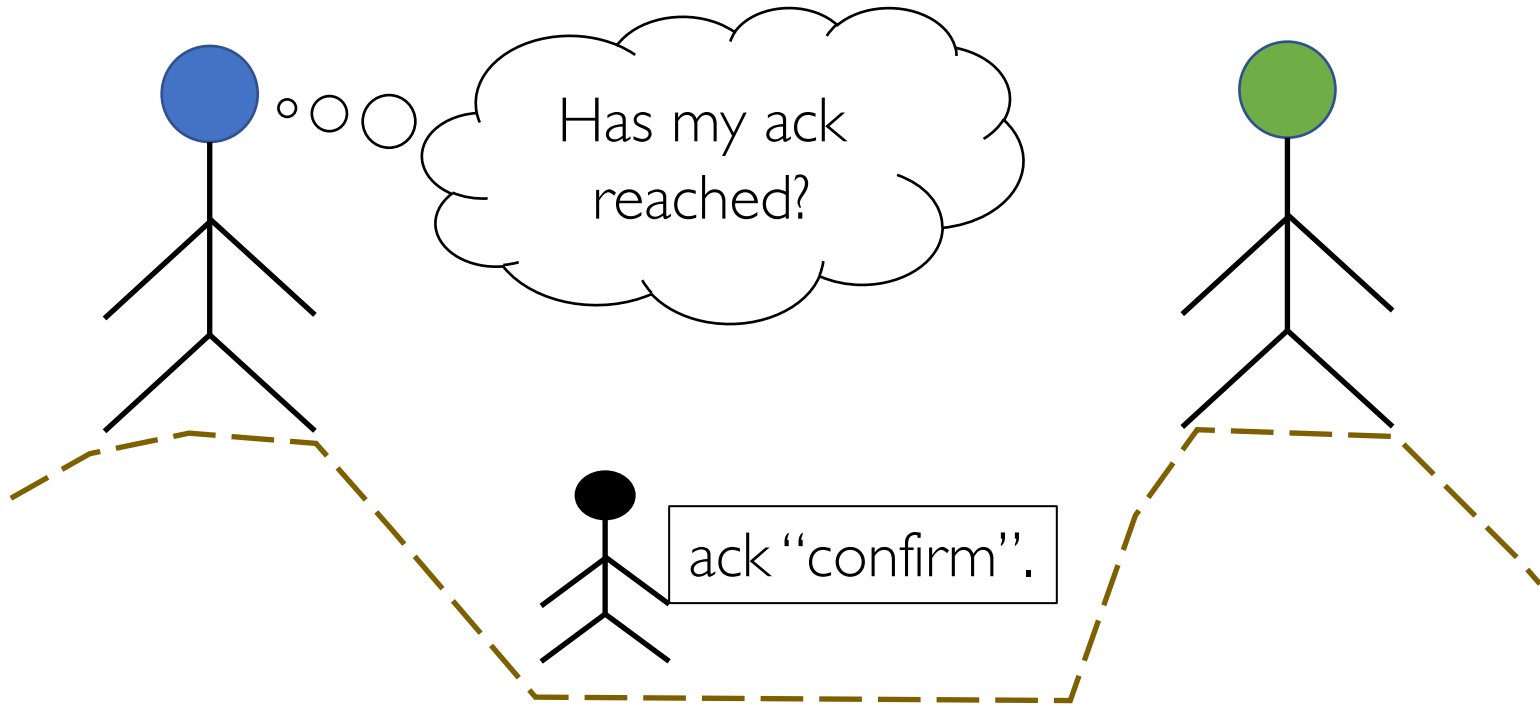
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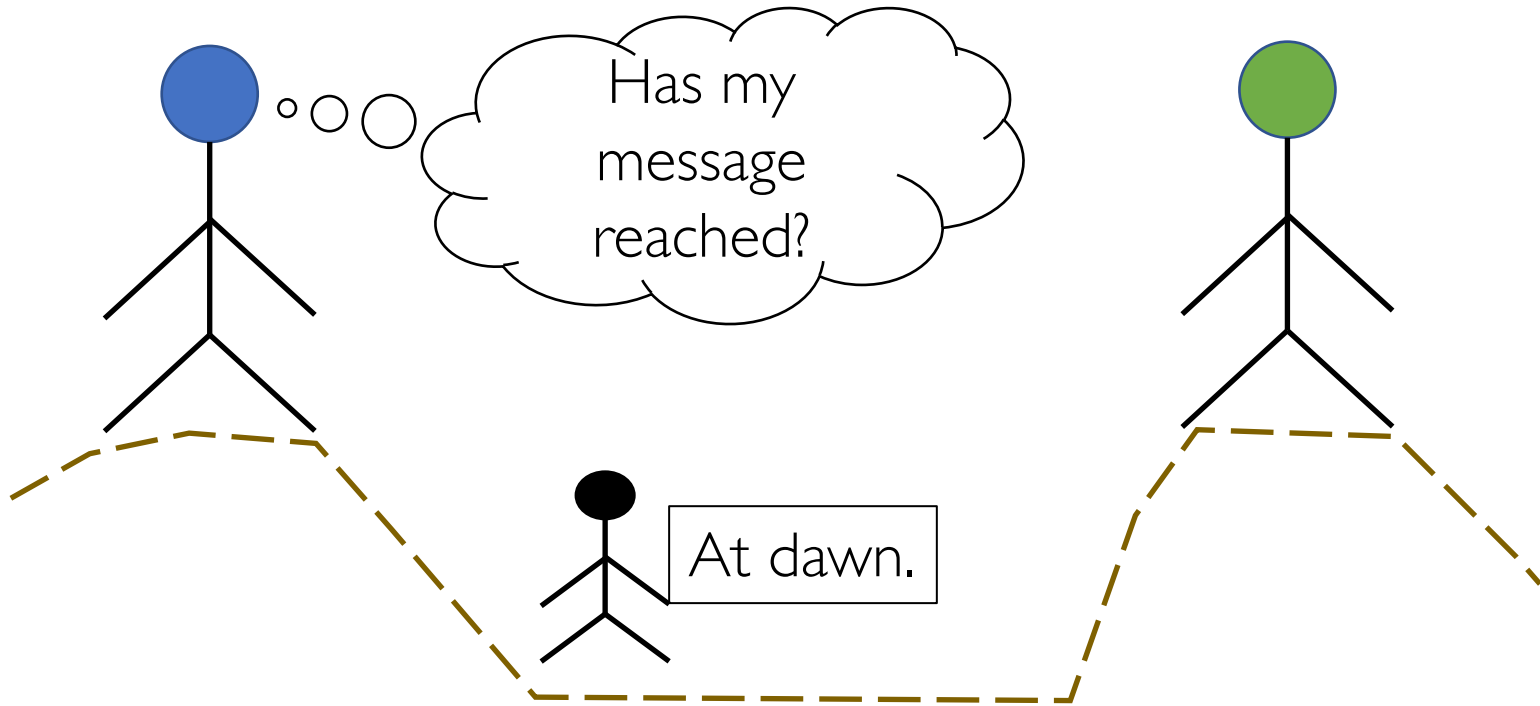
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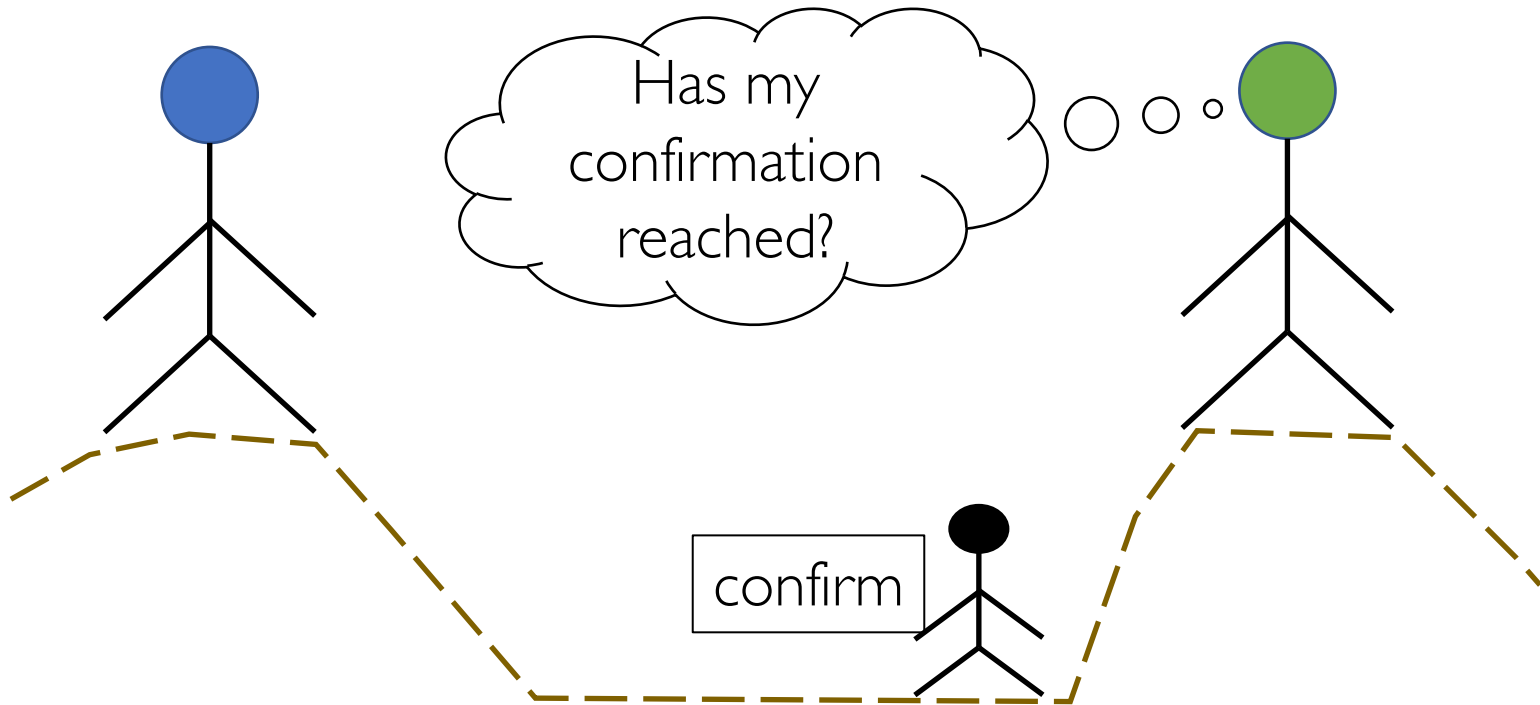


# Two Generals Problem



Keep sending the message until confirmation arrives.

# Two Generals Problem



Assume confirmation has reached in the absence of a repeated message.

**Still no guarantees! But may be good enough in practice.**



# Types of failure

- **Omission:** when a process or a channel fails to perform actions that it is supposed to do.
  - Process may **crash**.
  - **Fail-stop:** if other processes can detect that the process has crashed.
  - **Communication omission:** a message sent by process was not received by another.

Message drops (or omissions) can be mitigated by network protocols.

# Summary

- Sources of uncertainty
  - Communication time, clock drift rates
- Synchronous vs asynchronous models.
- Types of failures: omission, arbitrary, timing
- Detecting failed a process.