
ECE 333 – GREEN ELECTRIC ENERGY

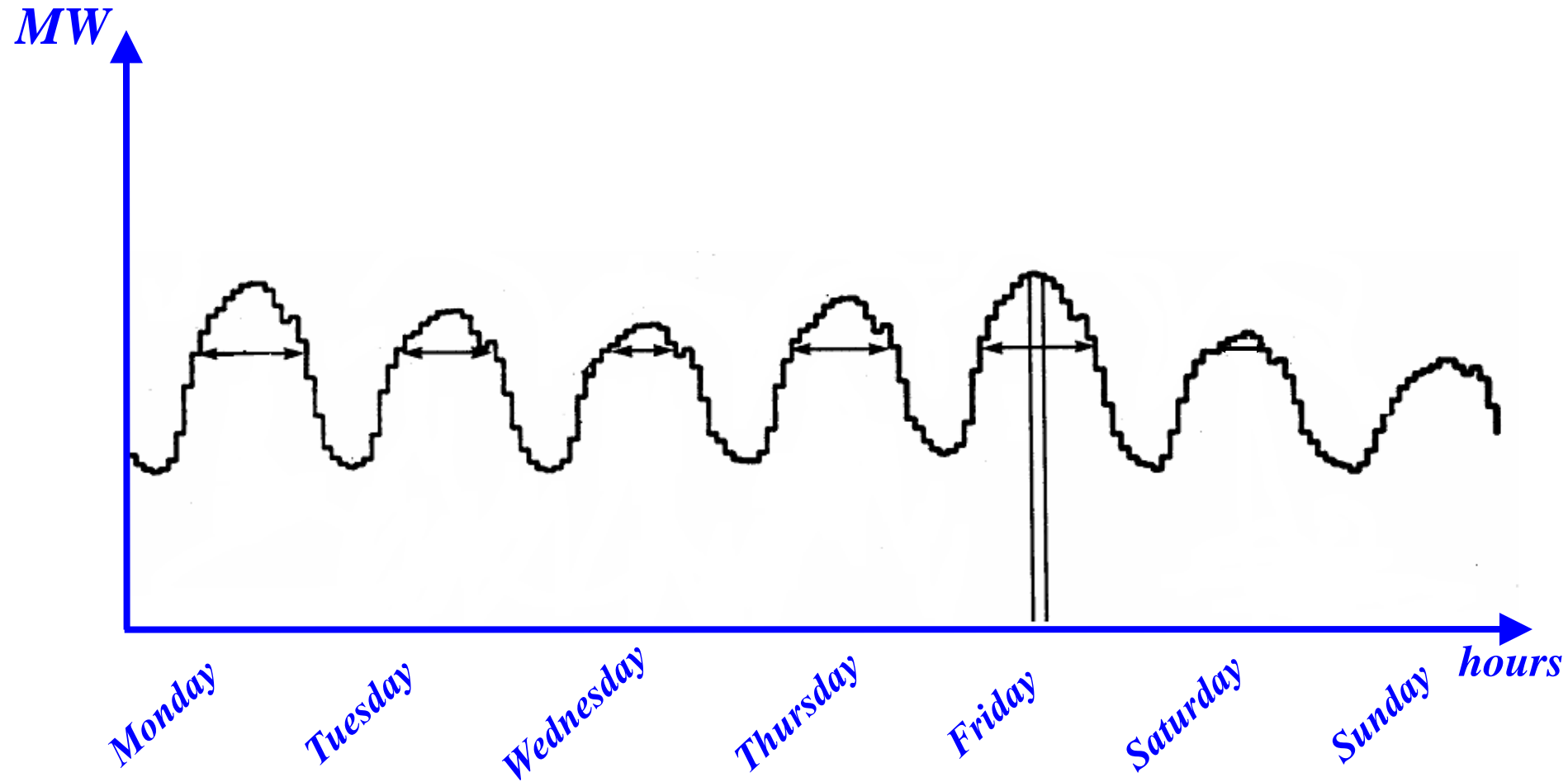
9. Basic Concepts in Power System Economics

George Gross

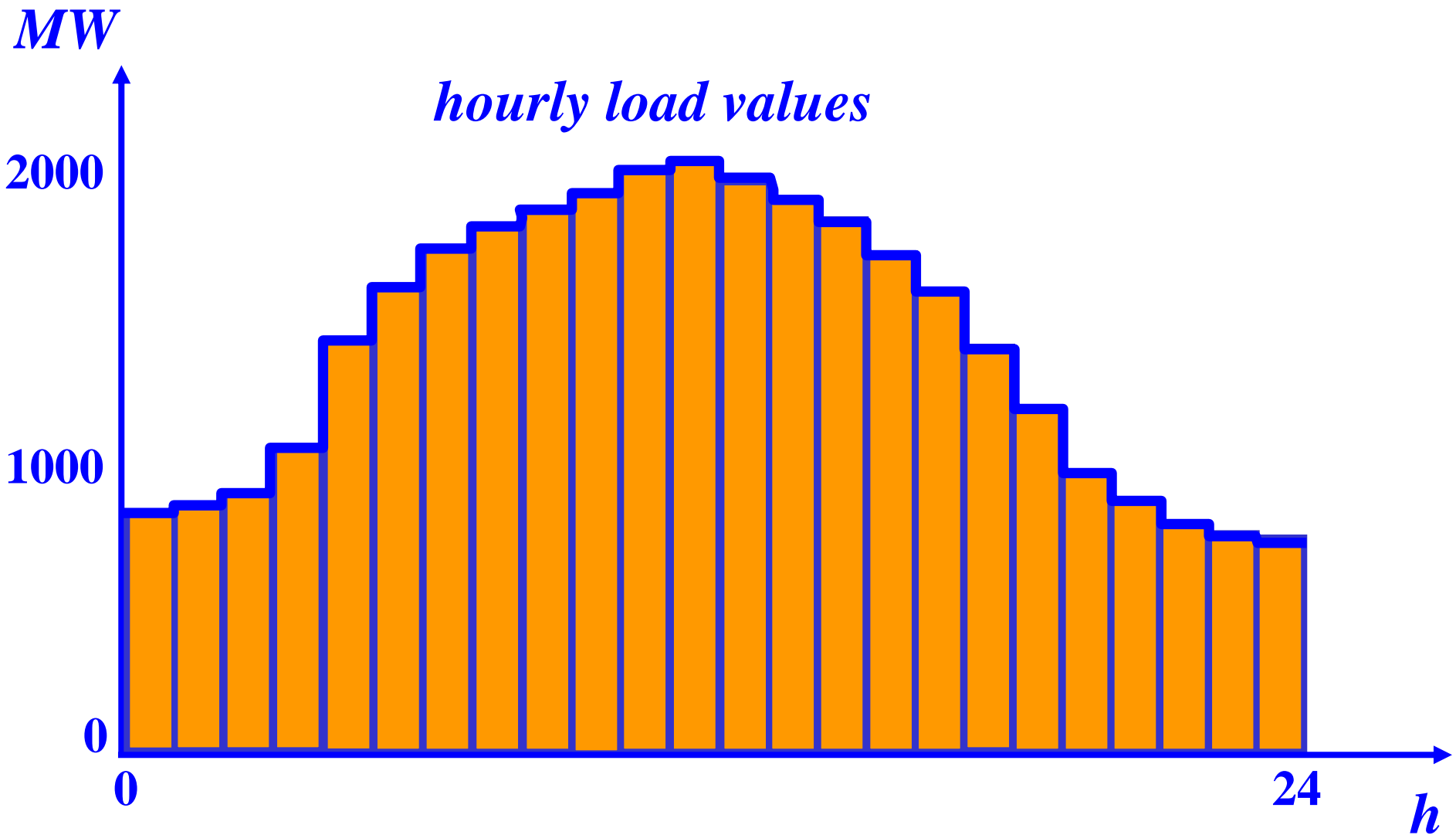
Department of Electrical and Computer Engineering

University of Illinois at Urbana–Champaign

CHRONOLOGICAL LOAD FOR A SUMMER WEEK



A WEEKDAY CHRONOLOGICAL LOAD CURVE

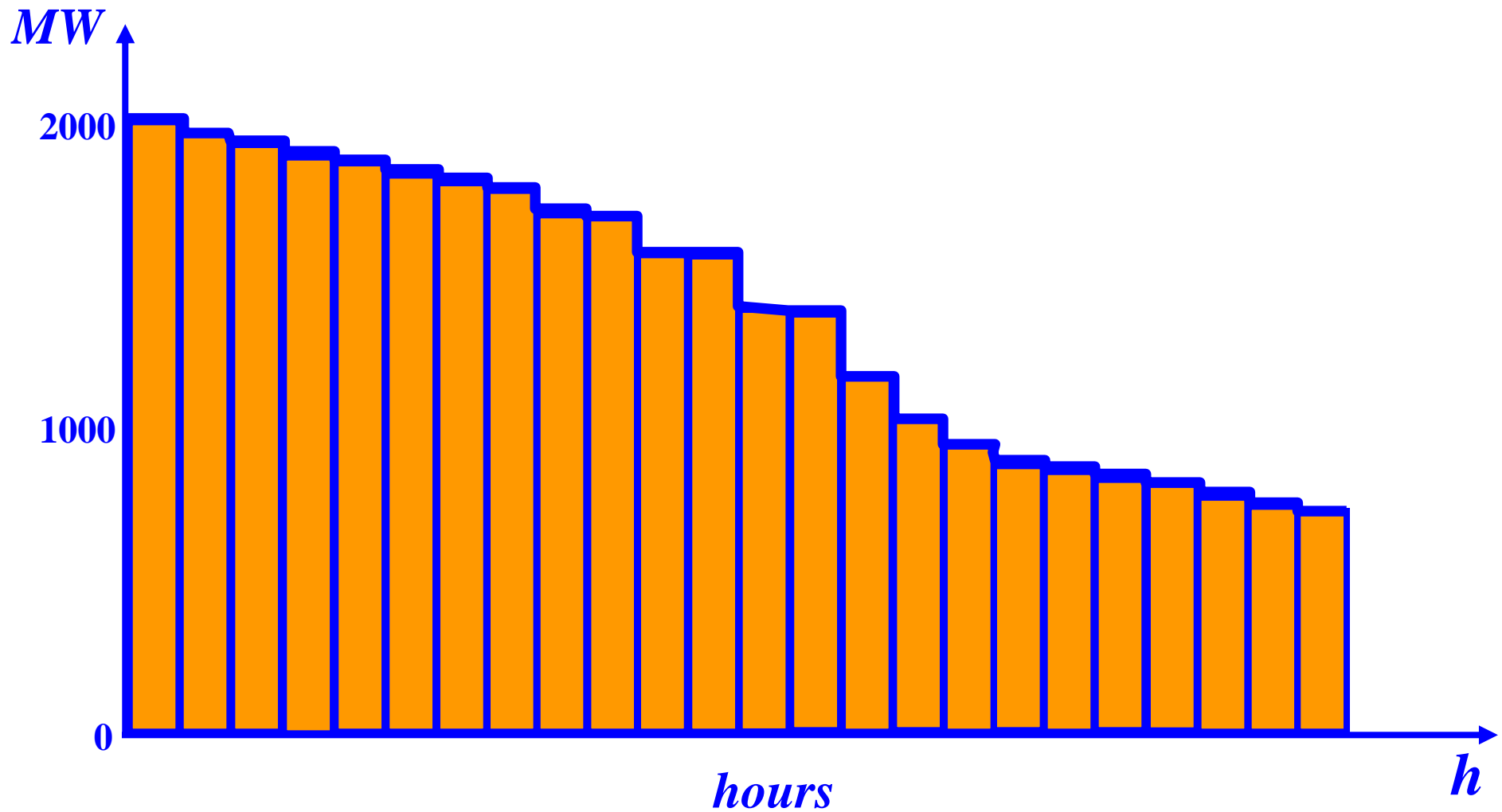


FRIDAY HOURLY LOAD VALUES

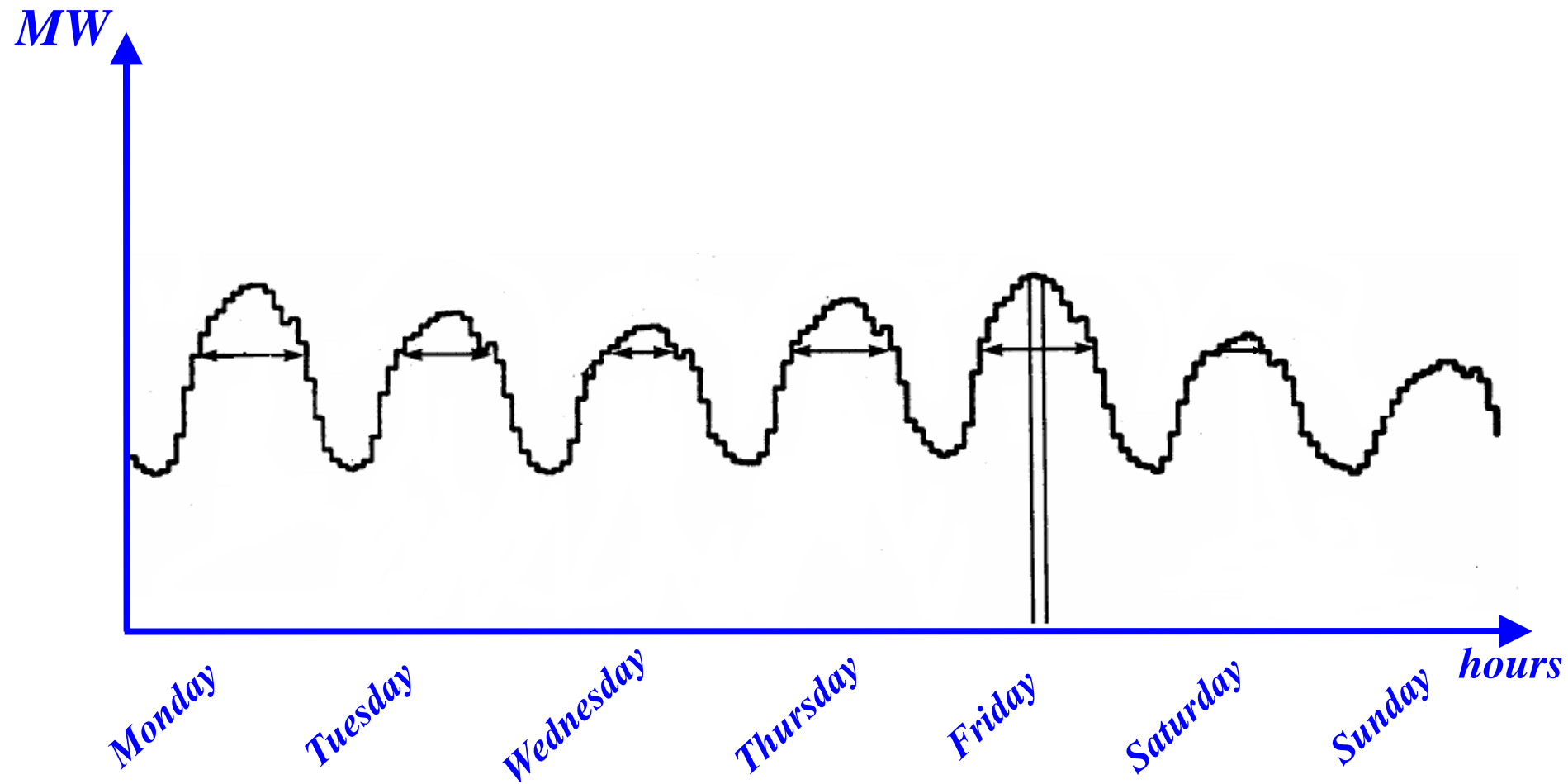
<i>hour ending at</i>	<i>load (MW)</i>
01:00	820
02:00	840
03:00	885
04:00	1,010
05:00	1,375
06:00	1,560
07:00	1,690
08:00	1,775
09:00	1,810
10:00	1,875
11:00	1,975
12:00	2,000

<i>hour ending at</i>	<i>load (MW)</i>
13:00	1,900
14:00	1,850
15:00	1,780
16:00	1,680
17:00	1,550
18:00	1,370
19:00	1,130
20:00	975
21:00	875
22:00	780
23:00	775
24:00	750

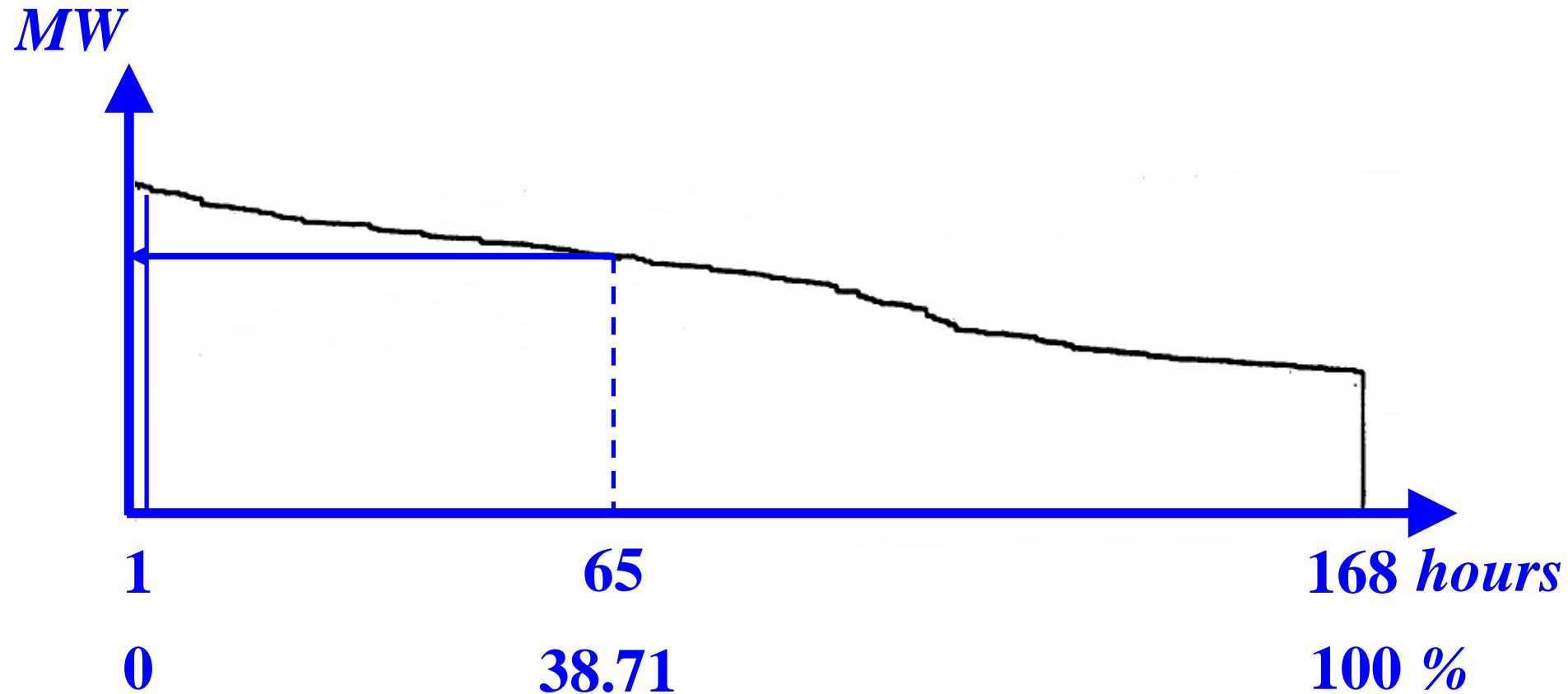
FRIDAY LOAD DURATION CURVE



CHRONOLOGICAL LOAD FOR A SUMMER WEEK



LOAD DURATION CURVE FOR A SUMMER WEEK



LOAD DURATION CURVE CHARACTERISTICS

□ Inability to

- specify the load at any specific hour
- distinguish between weekday and weekend loads

□ Ability to specify

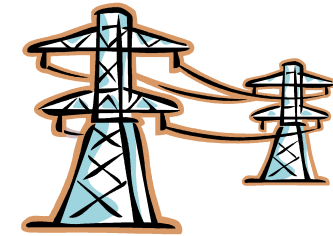
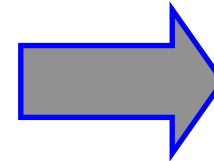
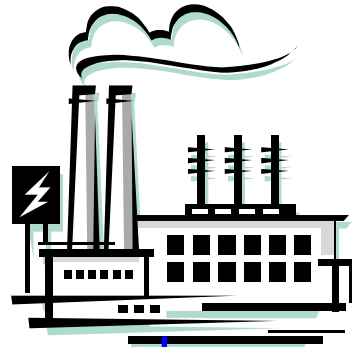
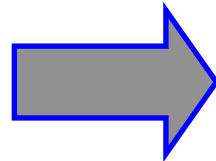
- the number of hours at which the load exceeds any given value
- the total energy demand for the given period in terms of the area under the *LDC*

CONVENTIONAL GENERATION UNIT ECONOMICS

- ❑ The costs of generation by a conventional unit are described by a so-called *input–output curve*, which specifies the amount of input required to obtain a specified level of output
- ❑ Typically, such curves are obtained from actual measurements and are characterized by their *monotonically non–decreasing forms*

INPUT – OUTPUT MEASUREMENTS

heat input
(MMBtu/h)



output
(MWh/h)

measurement
heat content &
flow-rate of fuel

measurement
energy
output

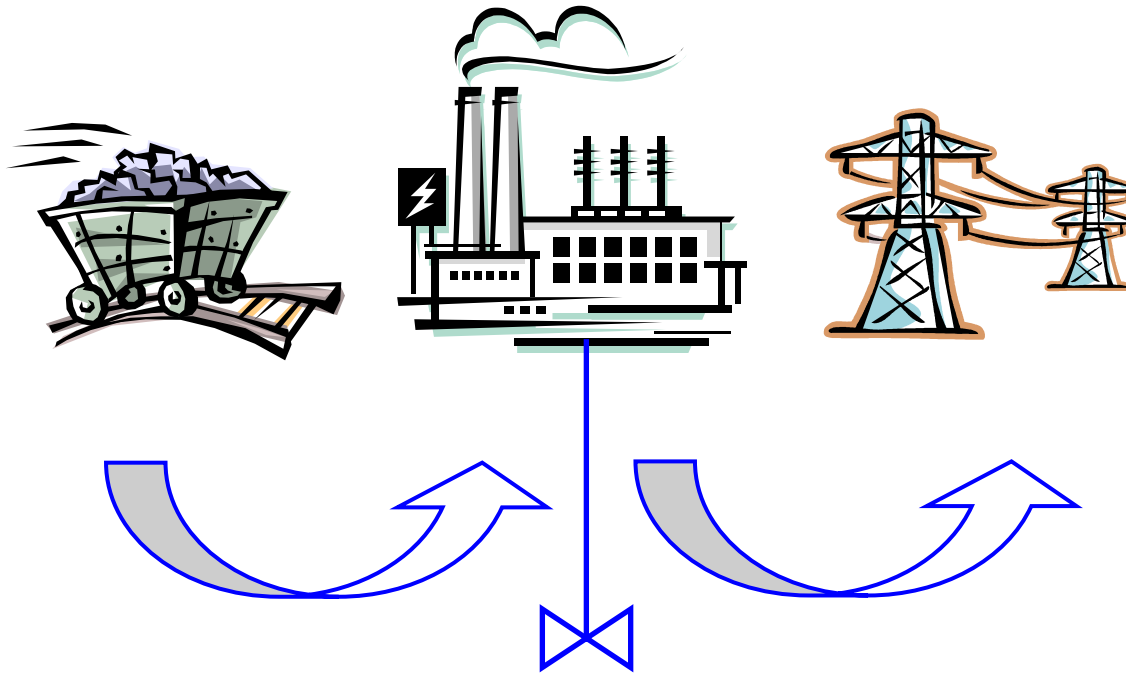
set control valve
points

EXAMPLE :

CWLP DALLMAN UNITS 1 AND 2

972
901
835
773
715
659
605
552
499
446
392
336

heat input (MMBtu/h)

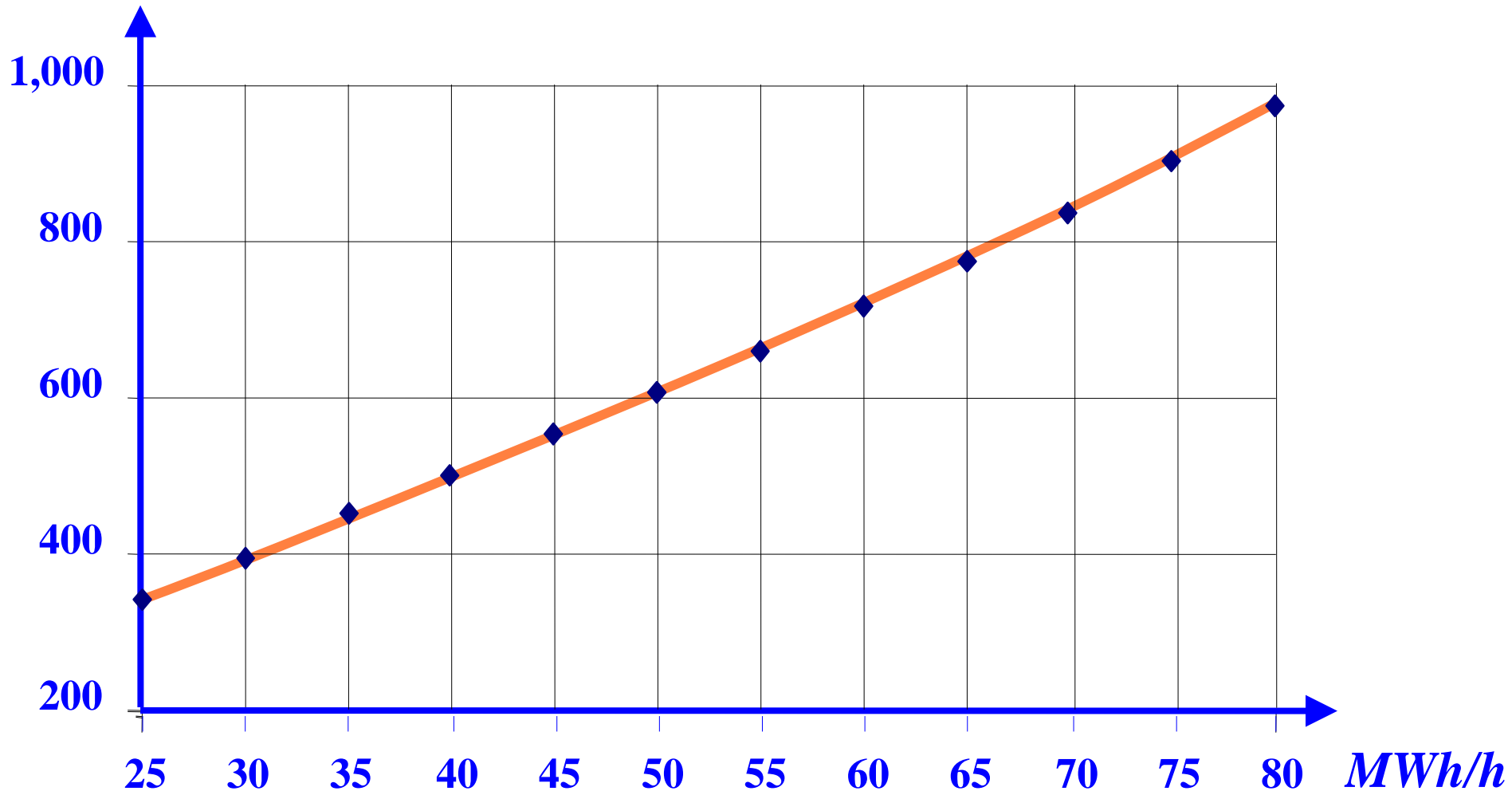


output (MWh/h)

80
75
70
65
60
55
50
45
40
35
30
25

CWLP DALLMAN UNITS 1 AND 2 INPUT – OUTPUT CURVE FITTING

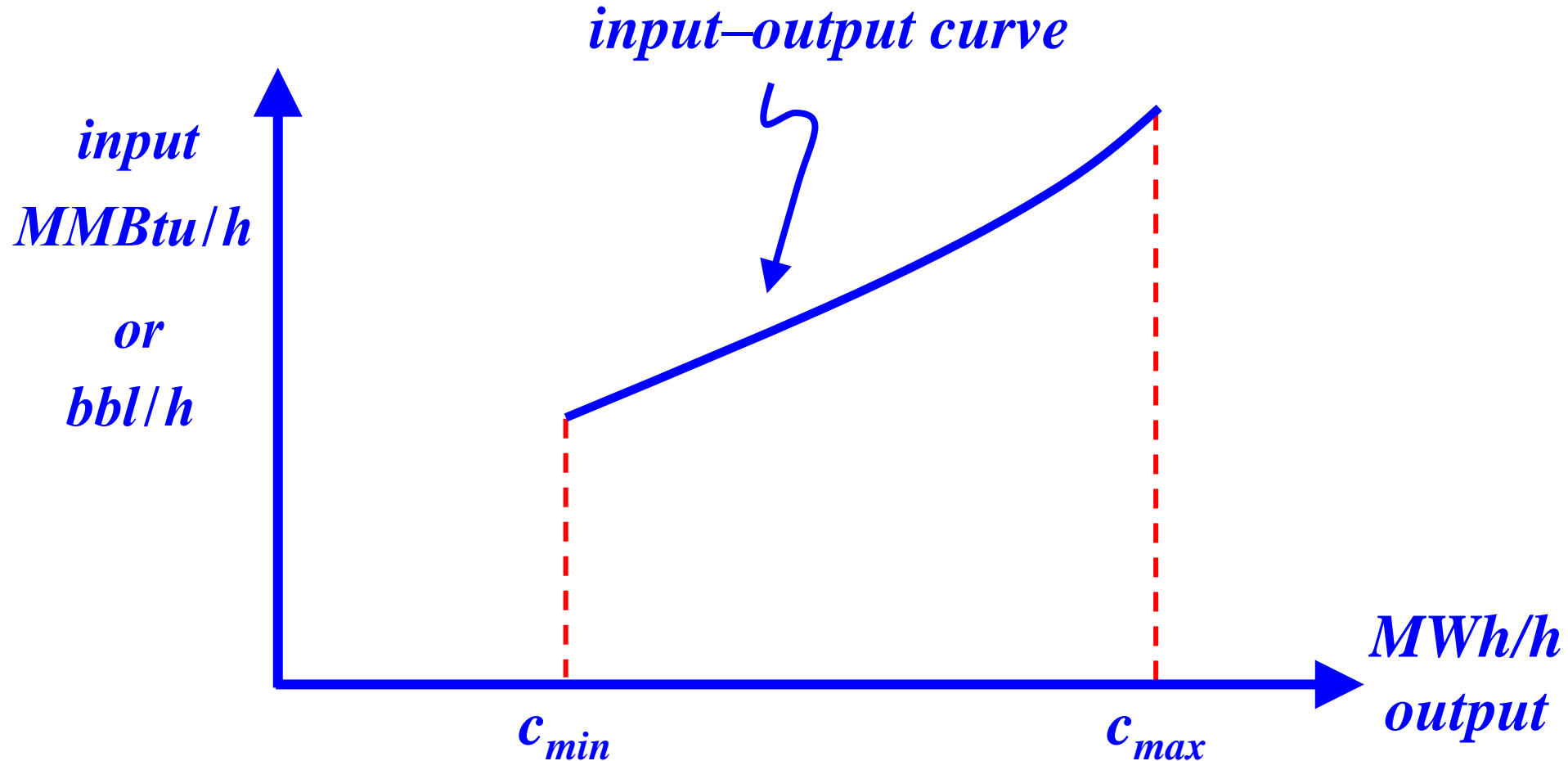
MMBtu/h



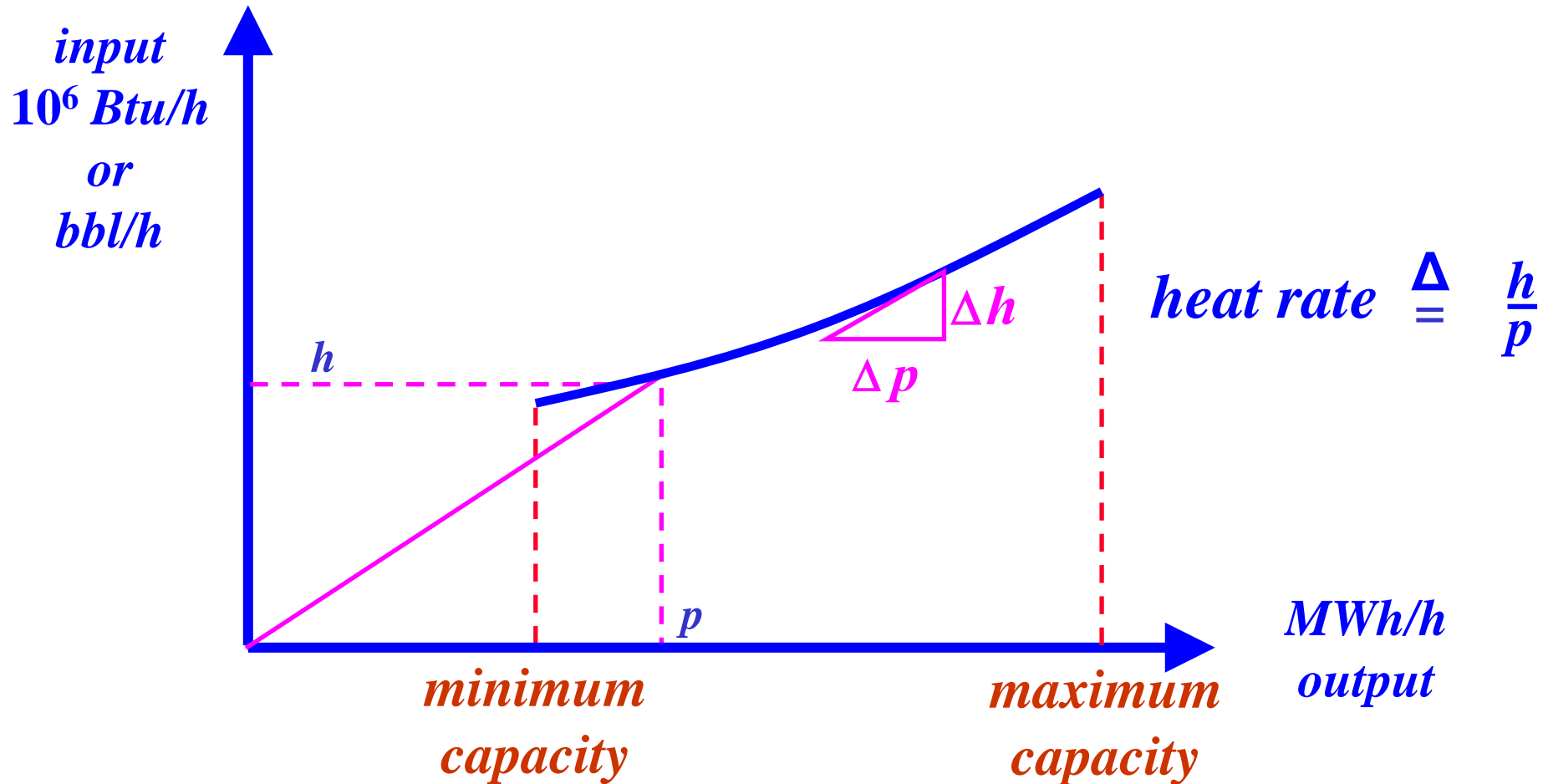
GENERATION UNIT ECONOMICS

- The output is in MW and the input is in bbl/h or Btu/h (volume or thermal heat contents flow rate of the input fuel)
- We may also think of the abscissa in units $\$/h$ since the costs of the input are obtained via a linear scaling the fuel input by the unit fuel price
- We use the input–output curve to obtain the *incremental input–output curve* to determine the costs to generate an additional MWh at a specified level of output

GENERATION UNIT ECONOMICS

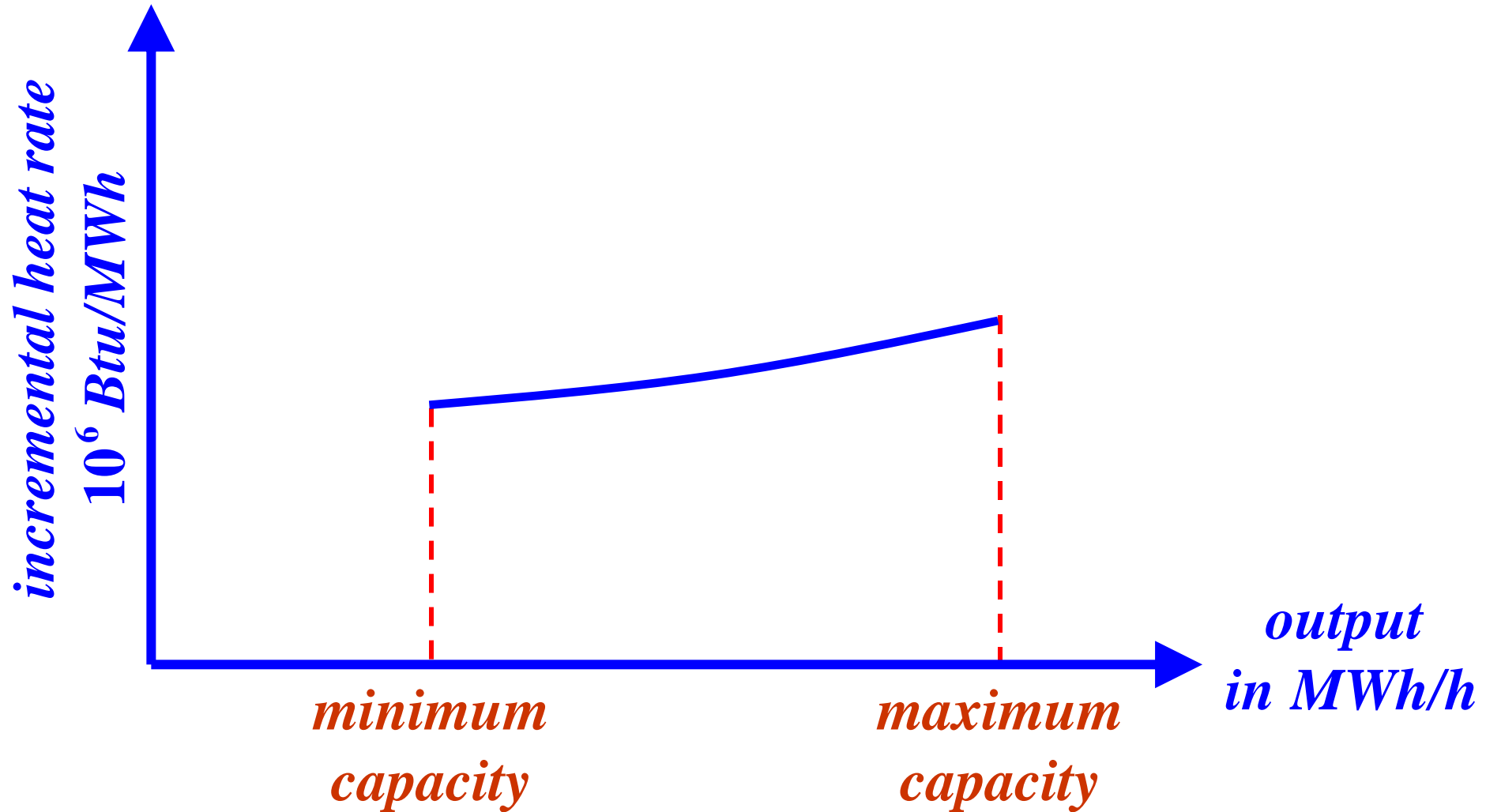


GENERATION UNIT ECONOMICS

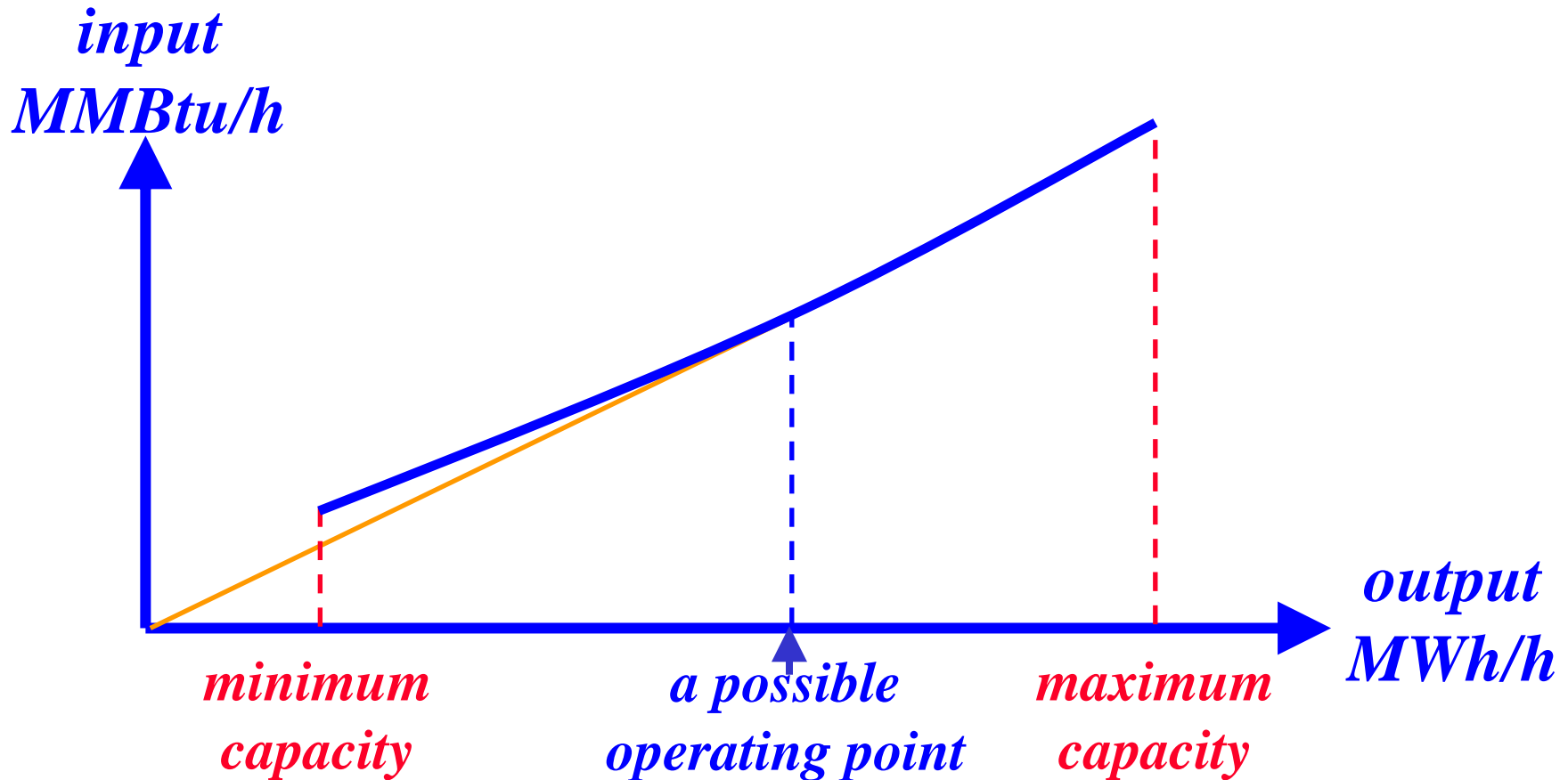


$$\text{incremental heat rate} = \frac{\Delta h}{\Delta p} = \text{incremental input output}$$

INCREMENTAL CHARACTERISTICS



HEAT RATE



$$\text{heat rate} = \frac{\text{input}}{\text{output}} \quad \text{incremental heat rate} = \frac{\text{incremental input}}{\text{incremental output}}$$

HEAT RATE

- The *heat rate* is a figure of merit widely used in the electric power industry
- The *heat rate* gives the inverse of the efficiency measure of a generation unit since

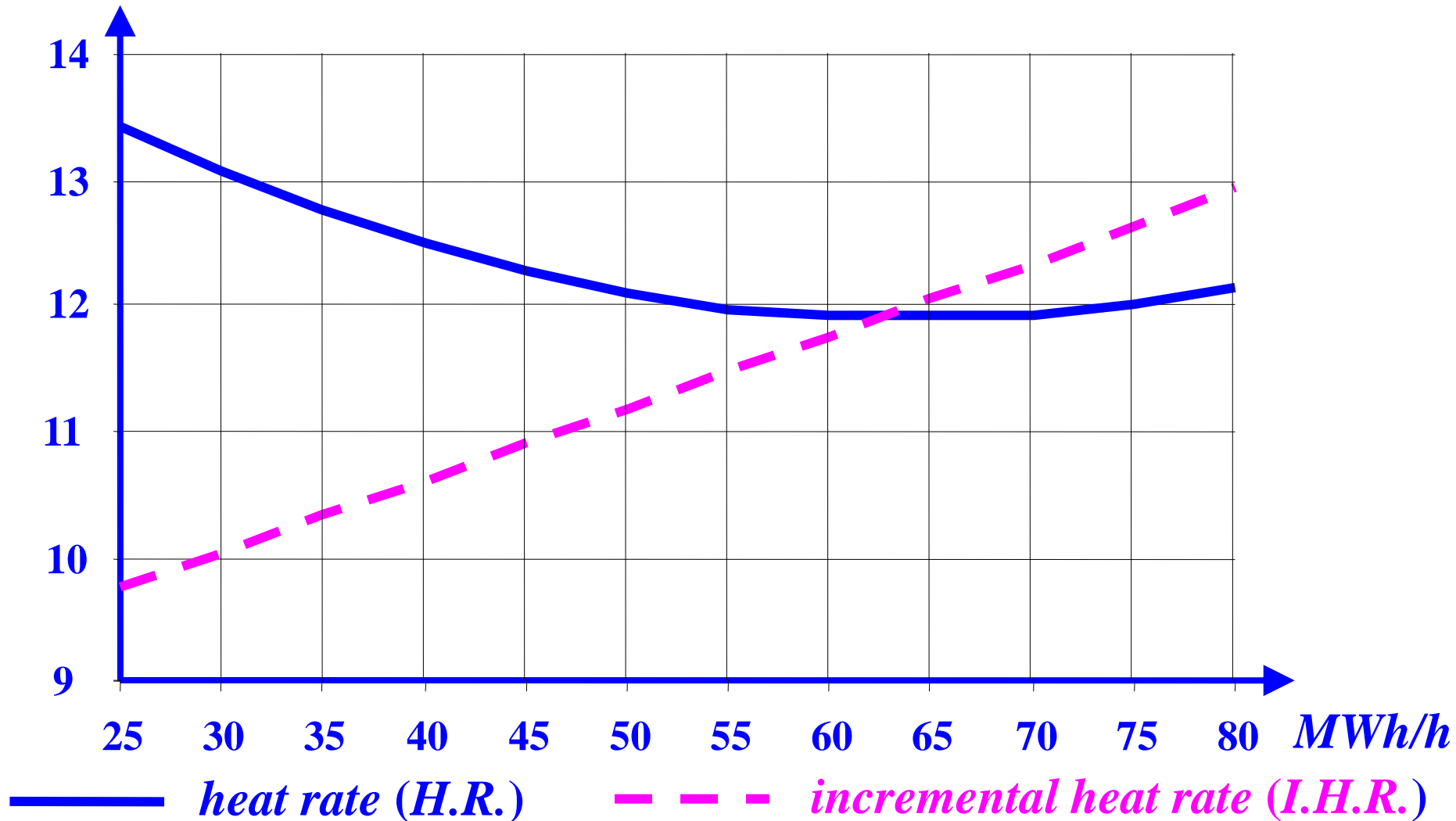
$$H.R. = \frac{\textit{input}}{\textit{output}}$$

- The lower the *H.R.*, the higher is the efficiency of the resource

CWLP DALLMAN UNITS 1 AND 2

H.R. & INCREMENTAL H.R. CURVES

MMBtu/MWh



GENERATOR CAPACITY FACTOR

- The amount of energy a generating unit produces is a function of
 - the generator capacity
 - the generator availability
 - the generator loading order to meet the load
- A 100 % available base-loaded unit with c_{max} MW capacity operates around the clock and so during a T -hour period generates total MWh given by

$$\mathcal{E} = c_{max} T$$

GENERATOR CAPACITY FACTOR

- The maximum unit can generate over T hours is

$$\mathcal{E}_{max} = c_{max} T$$

- The capacity factor \mathcal{K} of a base-loaded unit is

$$\mathcal{K} = \frac{\mathcal{E}}{\mathcal{E}_{max}} = 1$$

- A cycling unit exhibits on – off behavior since its loading depends on the system demand; its

$\mathcal{E}_{max} = c_{max} T$ exceeds the actual generation since

the unit generates only during certain periods

GENERATOR CAPACITY FACTOR

- Therefore, a cycling unit has a *c.f.*

$$K = \frac{\mathcal{E}}{\mathcal{E}_{max}} < 1$$

- For example, a cycling unit of 150 MW that operates typically $1,800\text{ hours}$ per year with no outages and at full capacity has

$$K = \frac{150 \cdot 1,800}{150 \cdot 8,760} = \frac{180}{876} = 0.21$$

- A peaking unit operates only for a few hours each year and consequently has a relatively low *c.f.*

GENERATOR CAPACITY FACTOR

- An expensive peaker may have, say, a *c.f.*

$$\kappa = 5\%$$

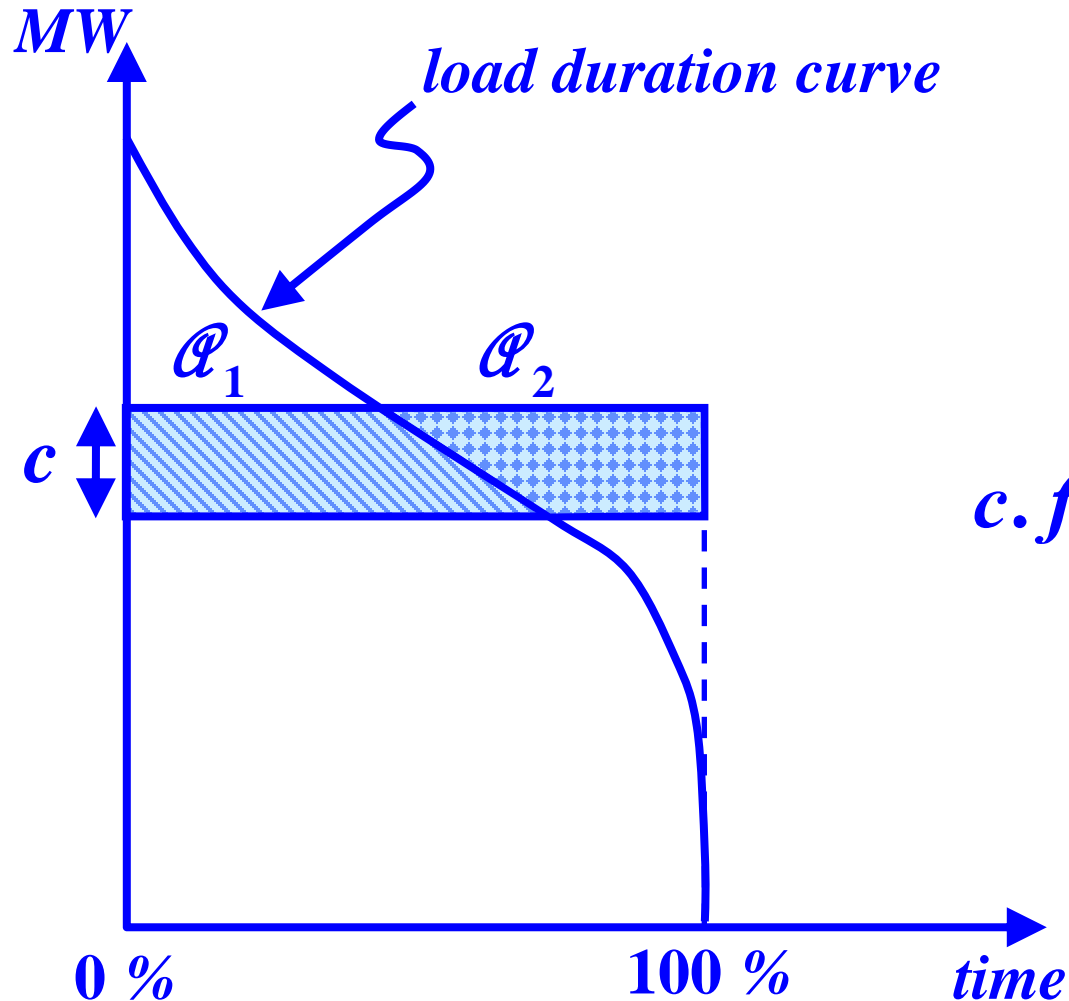
indicating that under perfect availability it operates about 438 hours a year

- Typically, κ is defined on an annual basis

$$\kappa = \frac{\textit{annual energy generated}}{\textit{maximum energy generated}},$$

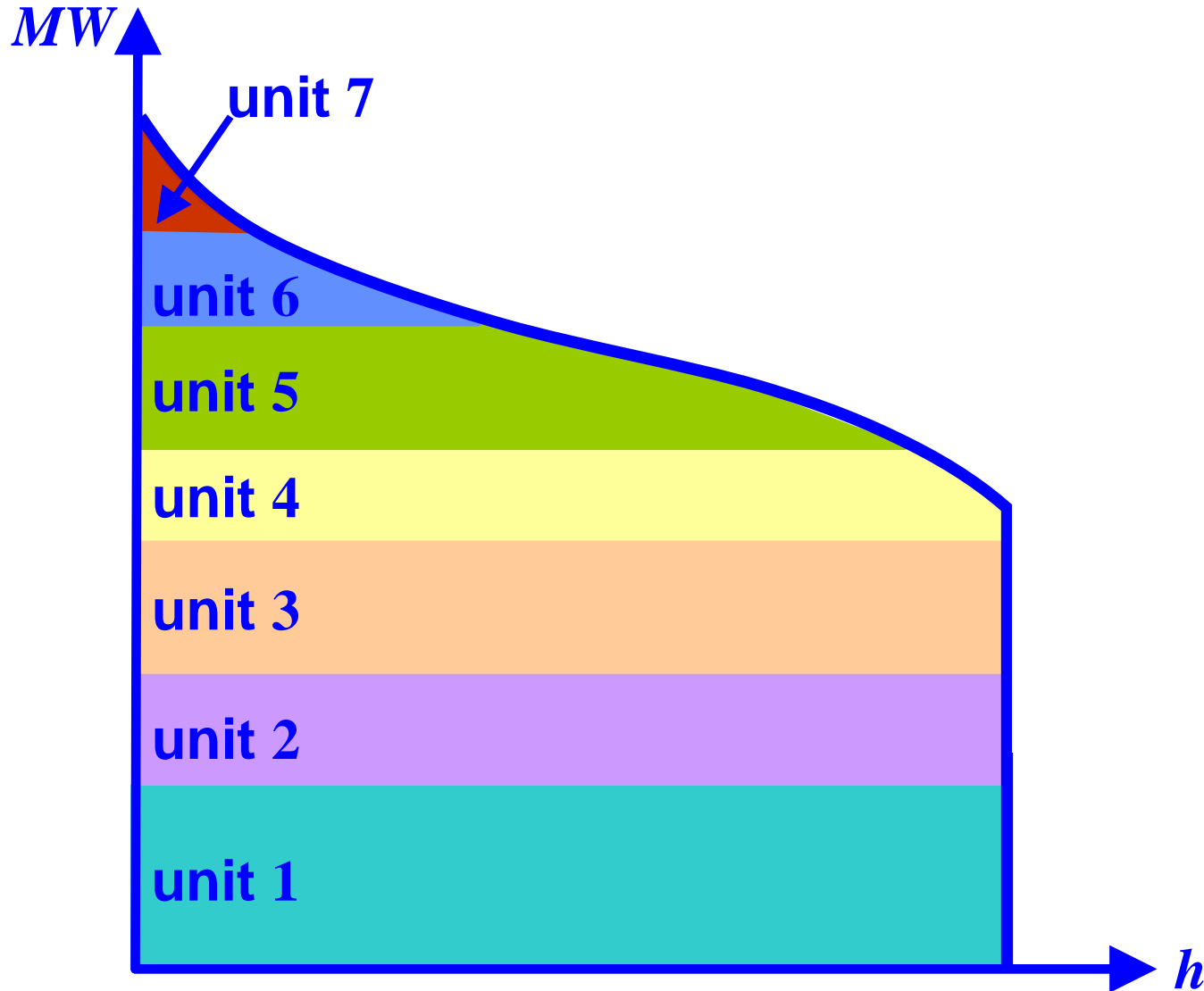
where, the denominator may account for annual maintenance and so the implication is less than **8,760 hours of operation**

CAPACITY FACTOR

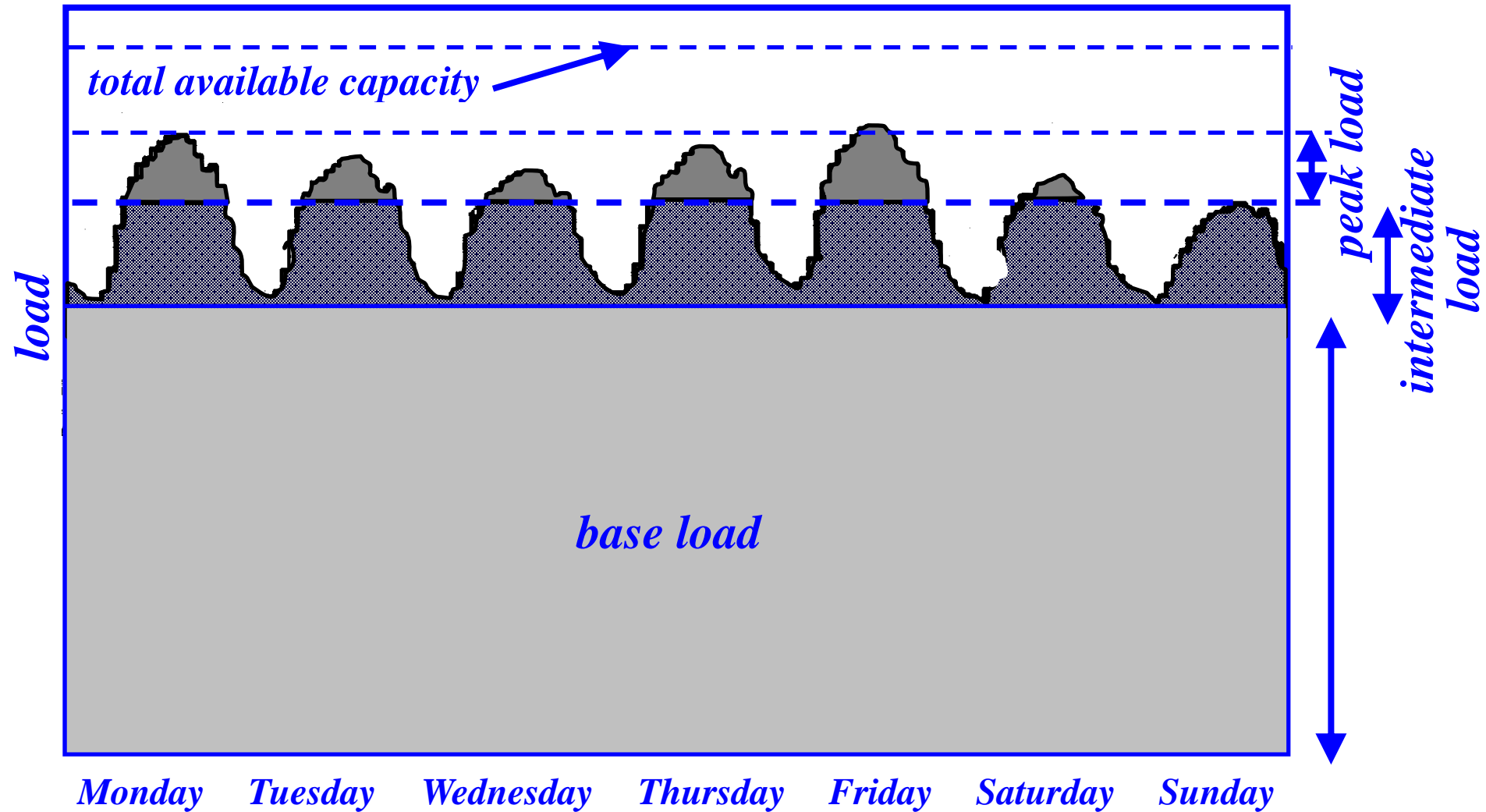


$$c.f. = \frac{Q_1}{(Q_1 + Q_2)}$$

LOADING OF RESOURCES



LOADING OF RESOURCES



RESOURCE FIXED AND VARIABLE COSTS

- ❑ Fixed costs are those cost elements that are independent of the operation of a resource and are incurred even if the resource is not operating
- ❑ Typical components of fixed costs are:
 - investment or capital costs
 - insurance
 - fixed *O&M*
 - taxes

RESOURCE FIXED AND VARIABLE COSTS

- Variable costs are associated with the actual operation of a resource

- Key components of variable costs are
 - fuel costs

 - variable *O&M*

 - emission costs

ANNUALIZED INVESTMENT OR CAPITAL COSTS

□ The *fixed charge rate* annualizes the capital costs to produce a yearly uniform cash–flow set over the life of a resource

□ The annual fixed costs are

$$\text{yearly costs} = (\text{fixed costs}) \cdot (\text{fixed charged rate})$$

□ Typically, the yearly charge is given on a per unit

– *kW* or *MW* – basis

ANNUALIZED INVESTMENT OR CAPITAL COSTS

- ❑ The fixed charge rate represents the interest on loans, acceptable returns for investors and other fixed cost components: however, each component is independent of the generated MWh
- ❑ The rate primarily depends on the costs of capital

ANNUALIZED VARIABLE COSTS

- The variable costs are a function of the number of hours of operation of the unit or equivalently of the capacity factor κ
- The annualized variable costs may vary from year to year

$$\text{variable costs} = \left[\left(\begin{array}{c} \text{fuel} \\ \text{costs} \end{array} \right) \left(\begin{array}{c} \text{heat} \\ \text{rate} \end{array} \right) + \left(\begin{array}{c} \text{variable} \\ \text{O \& M costs} \end{array} \right) \right] \left(\begin{array}{c} \text{number of} \\ \text{hours} \end{array} \right)$$

ANNUALIZED VARIABLE COSTS

- ❑ The yearly variable costs explicitly account for
fuel cost escalation
- ❑ Often, the yearly costs are given on a *per unit – kW*
or *MW – basis*
- ❑ We illustrate these concepts with a pulverized –
coal steam plant

EXAMPLE: COAL – FIRED STEAM PLANT

<i>characteristic</i>	<i>value</i>	<i>unit</i>
<i>capital costs</i>	1,400	<i>\$/kW</i>
<i>heat rate</i>	9,700	<i>Btu/kWh</i>
<i>fuel costs</i>	1.5	<i>\$/MBtu</i>
<i>variable costs</i>	0.0043	<i>\$/kWh</i>
<i>annual fixed charge rate</i>	0.16	—
<i>full output period</i>	8,000	<i>h</i>

EXAMPLE: COAL – FIRED STEAM PLANT

- The annualized fixed costs per kW are

$$(1,400 \$ / kW)(0.16) = 224 \$ / kW$$

- The initial year annual variable costs per kW are

$$\left[\begin{array}{l} (1.5 \times 10^{-6} \$ / Btu)(9,700 Btu / kWh) + \\ 0.0043 \$ / kWh \end{array} \right] (8,000 h)$$

$$= 150.8 \$ / kW$$

EXAMPLE: COAL – FIRED STEAM PLANT

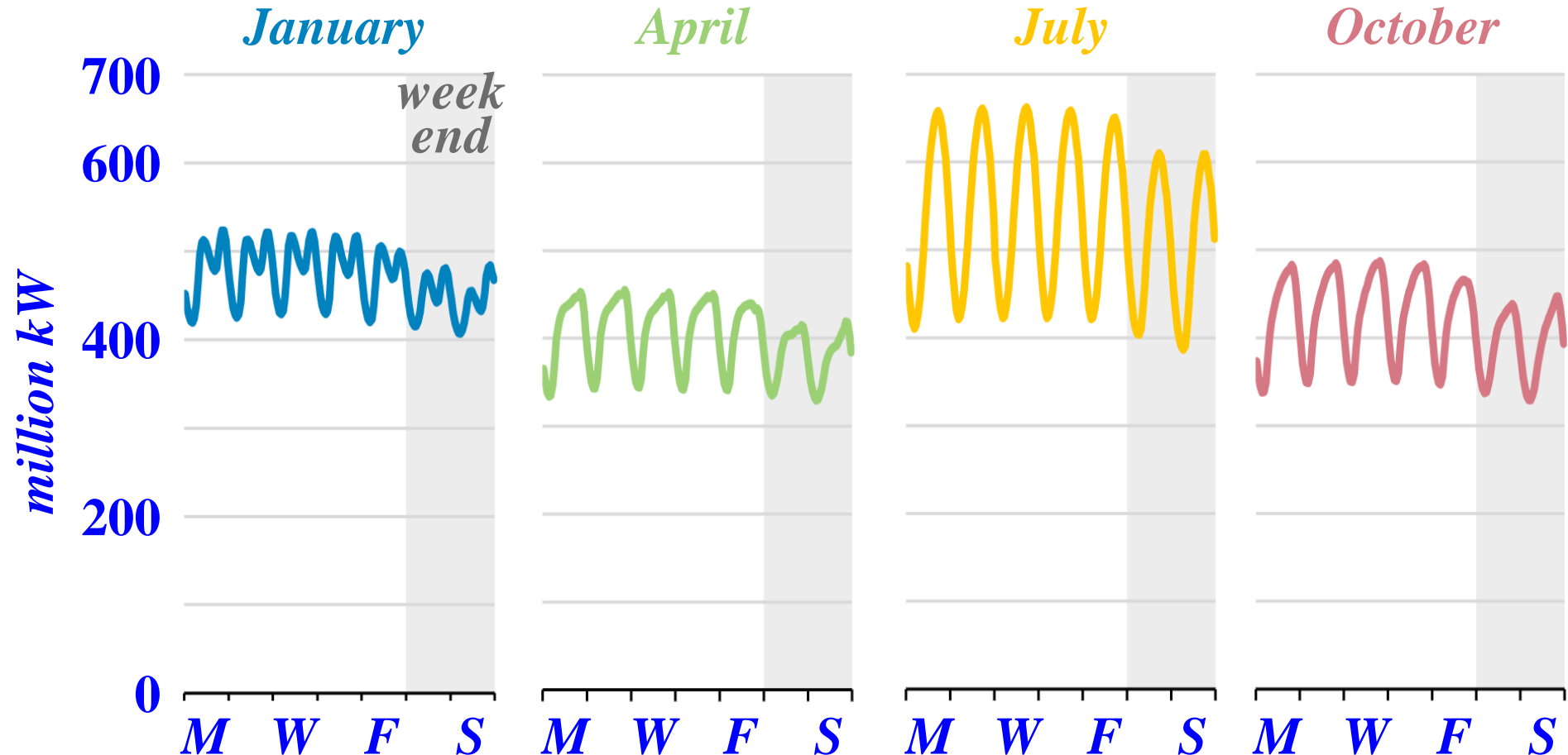
- Total annual costs for 8,000 h are

$$\frac{(224 + 150.8) \$ / kW}{8,000 h} = 0.0469 \$ / kWh$$

- Note, we do the example under the assumption of full output for 8,000 h and 0 output for the remaining 760 h of the year
- We also neglect any possible outages of the unit and so explicitly ignore any uncertainty in the unit performance

HOURLY LOADS IN TYPICAL WEEKS

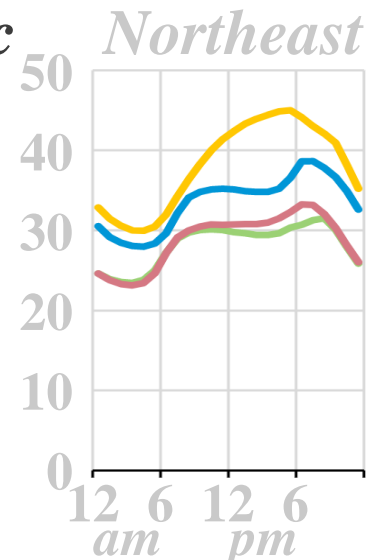
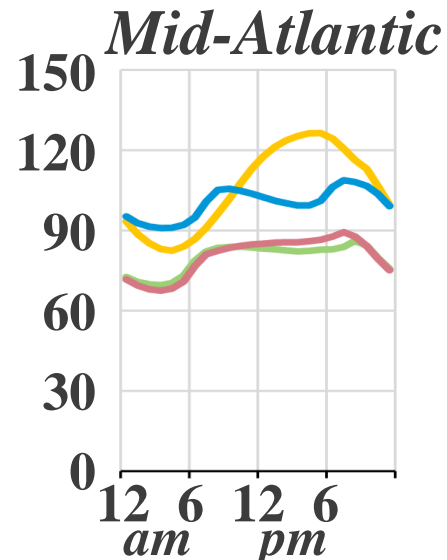
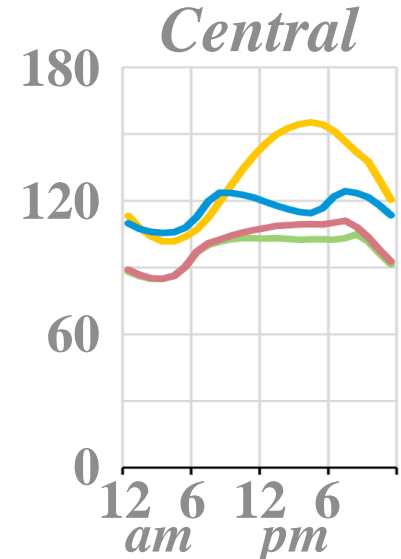
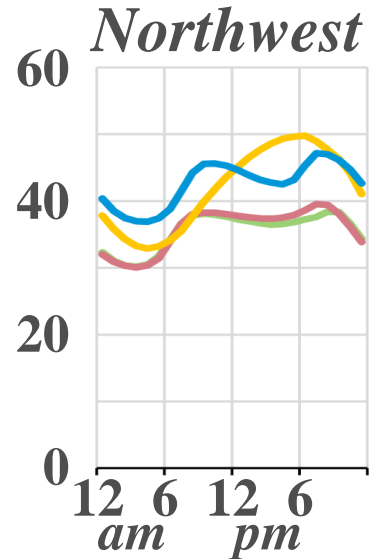
Source: EIA February 21, 2019; available at <https://www.eia.gov/todayinenergy/detail.php?id=42915>



TYPICAL DAY HOURLY LOADS

Source: EIA February 21, 2019; available at <https://www.eia.gov/todayinenergy/detail.php?id=42915>

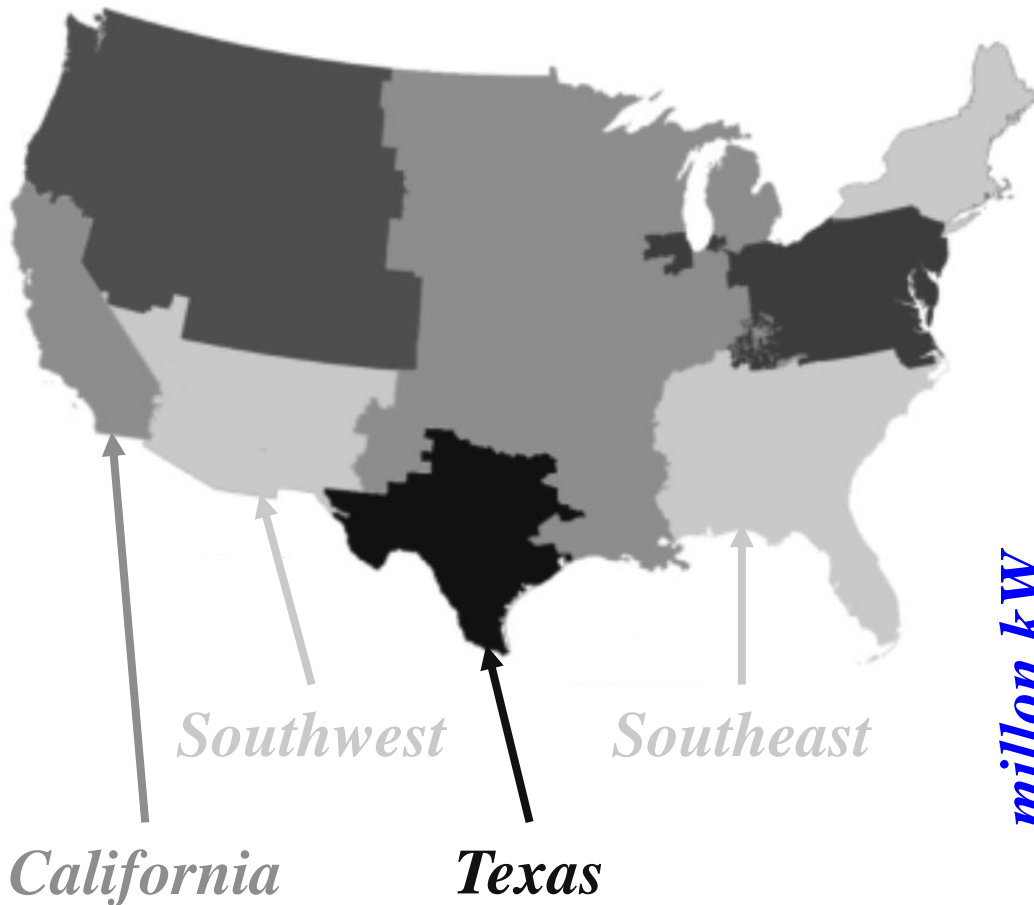
January April July October



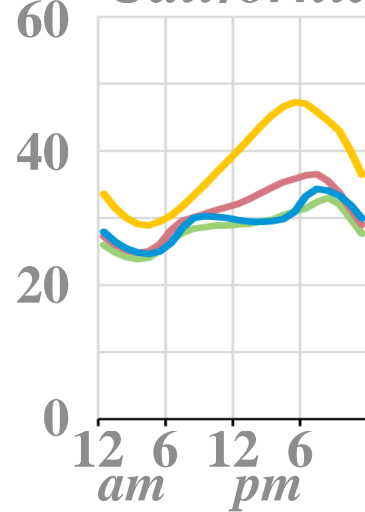
TYPICAL DAY HOURLY LOADS

Source: EIA February 21, 2019; available at <https://www.eia.gov/todayinenergy/detail.php?id=42915>

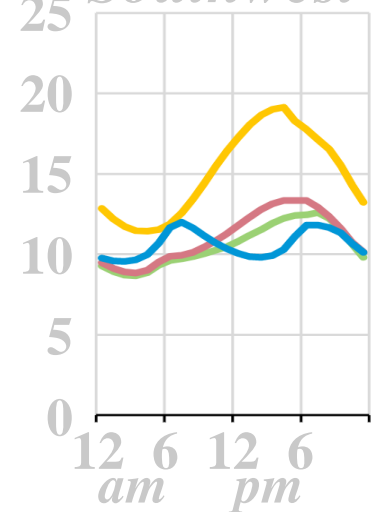
January April July October



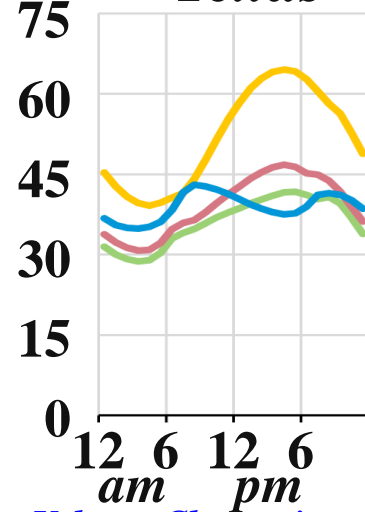
California



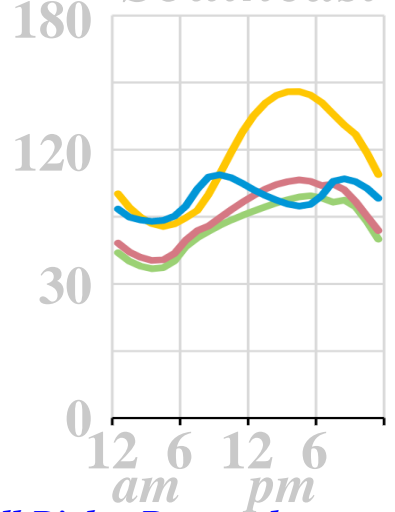
Southwest



Texas



Southeast



million kW