

Slides based on material by: Yuting Chen, Yih-Chun Hu & Ujjal Bhowmik



## Recap from "08/27"

Consider "echo" routine:

LDI	R1, KBSR
BRzp	KPOLL
LDI	R0, KBDR
	BRzp

DPOLL	LDI	R1, DSR
	BRzp	DPOLL
	STI	R0, DDR

	BRnzp	NEXT_TASK
KBSR	.FILL	xFE00
KBDR	.FILL	xFE02
DSR	.FILL	xFE04
DSR	.FILL	xFE06

- Reading & writing from keyboard or display is common task
  - Inefficient to keep repeating this code
  - Need to free up R1 and R0 for use whenever blocks run
    - Save/restore current values before/after these blocks run

# Recap from "08/27"

Consider "echo" routine:

```
;SAVE R0, 1

KPOLL LDI R1, KBSR

BRzp KPOLL

LDI R0, KBDR
;RESTORE R0, R1
```

```
;SAVE R0, R1
DPOLL LDI R1, DSR
BRzp DPOLL
STI R0, DDR
;RESTORE R0, R1
```

	BRnzp	NEXT_TASK
KBSR	.FILL	xFE00
KBDR	.FILL	xFE02
DSR	.FILL	xFE04
DDR	.FILL	xFE06

- Reading & writing from keyboard or display is common task
  - Inefficient to keep repeating this code
  - Need to free up R1 and R0 for use whenever blocks run
    - Save/restore current values before/after these blocks run

# Repeating code

- Consider  $f(x) = x^4 + 4x^3 + 3x^2 + 2x + 1$
- Evaluate f(2)
  - How many multiplications?

# Repeating code

- Consider  $f(x) = x^4 + 4x^3 + 3x^2 + 2x + 1$
- Evaluate f(2)
  - How many multiplications?
- Suppose we wish to evaluate f(x) for many values of x
  - Why? E.g. Newton-Raphson method for finding roots of f(x)

## Aside: NR method

Suppose f(x) such that  $x, f(x) \in \mathbb{R}$  and f'(x) is well-defined. Let  $x_0$ be an initial guess for some root  $\bar{x}$  of f(x). Then the terates  $x_n$ 

$$x_1 = x_0 - \frac{f(x)}{f'(x_0)}$$
 and  $x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$ 

successively improve on the guess  $x_0$  as an approximation to  $\bar{x}$ (roughly doubling the number of correct digits at each step).

# Aside: Calculating sin(x)

- Can you think of another instance where evaluating polynomials shows up?
  - *Hint:* Some power series from Calc 1 or 2
- It is one way most calculators can compute trigonometric values?

Most don't use the power series expansions but other more efficient methods (e.g. lookup + interpolation, CORDIC, etc.)

Example:

$$\sin(x) \approx x - \frac{x^3}{3!} + \frac{x^5}{5!} - \frac{x^7}{7!} + \dots$$

### Subroutines

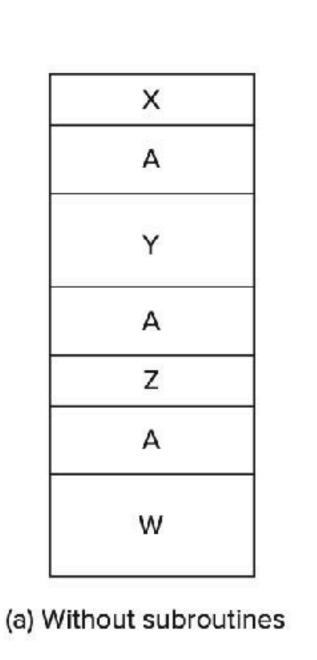
- Subroutines are blocks/pieces of code that do something specific.
   Examples:
  - Multiply two numbers
  - Sort a list of integers
  - Read keyboard press into a register
- Often called functions, methods, procedures, service calls, etc.
  - Different from functions in mathematics or functional programming languages

### Functions vs. subroutines

- In mathematics, a function f(x) takes a value from a set and returns a value in a(nother) set. If you call f with some particular value  $x_0$  then it always returns  $f(x_0)$ .
- In CS/programming, a function foo is a piece of code that can be called, *perhaps* with inputs, and does some stuff and *maybe* returns something.
- In *functional* languages (in theory at least), you can <u>replace a function call</u> with its return value and nothing *should* break.

## Subroutines

- User invokes or calls subroutine
- Subroutine code performs operation / task
- Returns control to user program with no other unexpected changes



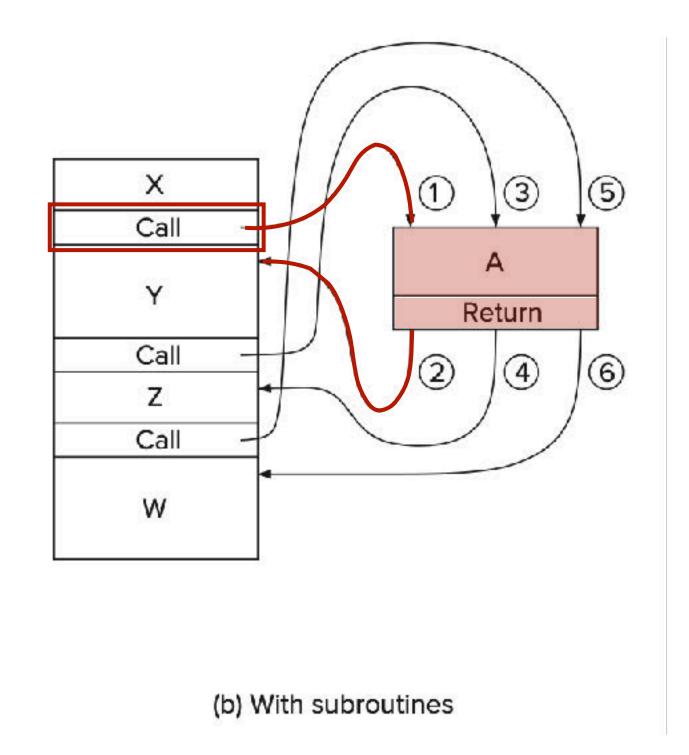


Figure 8.2 - P&P 3rd Ed.

## Subroutines in LC3

- Recall instructions that change program flow
- Subroutines make use of the JSR(R) and RET commands.
- Exercise: What is/are the difference(s) between BR/JMP and JSR/JSRR?

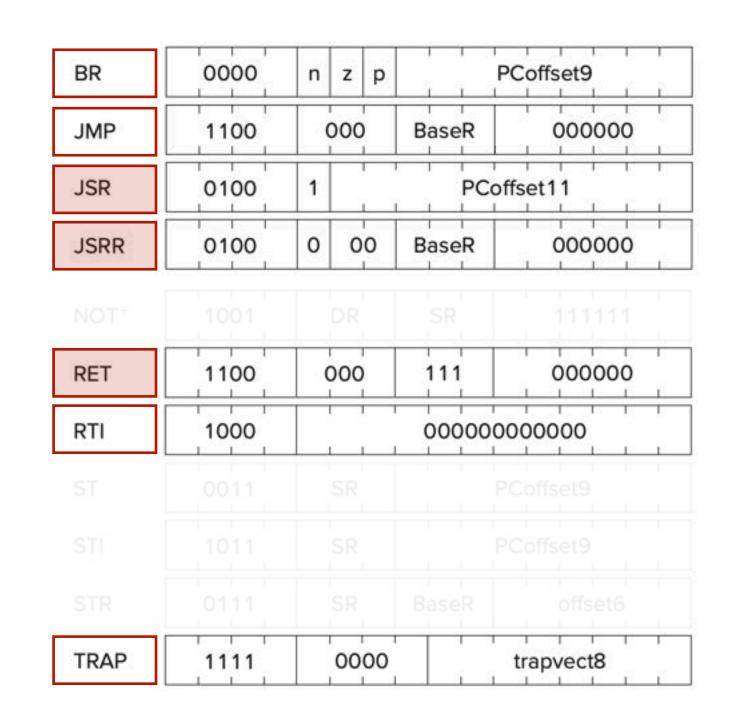


Figure "A.2" - P&P 3rd Ed.

## JSR & JSRR

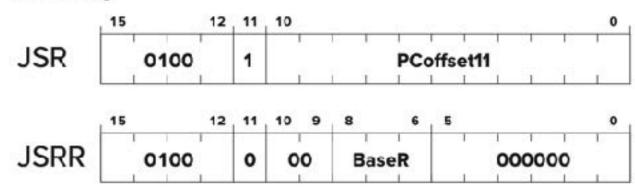
- When JSR(R) is encountered R7 is loaded with PC+ and then PC is set in one of two ways:
- JSR and JSRR differ in addressing modes (signified by bit #11).
  - PC ← PC + SEXT(PCoffset11)
  - PC ← BaseR
- After subroutine ends, RET is used to return to caller

#### JSR JSRR

Assembler Formats

JSR LABEL JSRR BaseR

#### Encoding



Appendix A, P&P 3rd Ed.



Jump to Subroutine

12

### RET & JMP

- JMP & RET are relatives; opcode is the same
  - JMP: PC ← BaseR
  - RET: PC ← R7
- Note: JSR(R) & RET rely on R7 to provide return-linkage.
- What if R7 was being used?

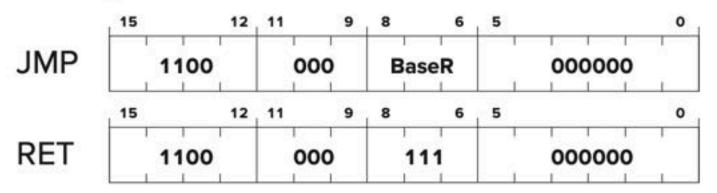
JMP
Jump

Return from Subroutine

**Assembler Formats** 

JMP BaseR RET

Encoding



## Using subroutines

#### Saving & restoring registers

- To use a subroutine the user must know:
  - It's address (or label)
  - It's arguments (where to pass in data, if any)
  - It's return values (where to put computed data, if any)
  - What it does
    - Maybe not all the gory details but definitely registers it may use or overwrite!

## Using subroutines

Saving & restoring registers

Generally we have two strategies depending on who saves/restores registers:

- Caller-saved: Onus on user to save/restore registers that will be needed later; may not know what registers subroutine will use
  - User saves/restore registers they will need (or know could get destroyed)
- Callee-saved: Subroutine knows registers it will alter/use, but cannot know what the user will need later
  - Subroutine saves/restores registers it will use

## Using subroutines

Saving & restoring registers

#### Good practices:

- Keep R7 unused, especially for nested subroutines
- Use callee-save, except for return values (should be caller saved)
- Restore incoming *arguments* to their original values unless intended to be overwritten by return value

## Example

### Multiplication

Try to complete MULTIPLY subroutine by filling in the missing piece.

## Example

### Multiplication

Try to complete MULTIPLY subroutine by filling in the missing piece.

```
; LC3 subroutine to multiply two numbers
; Inputs: R0 (multiplicand), R1 (multiplier)
; Output: R2 (result)
MULTIPLY:
    ST R0, MulSaveR0
                            ; Callee save registers
    ST R1, MulSaveR1
    AND R2, R2, #0
                            ; Clear R2 to be used as result
    ADD R2, R0, #0
                            ; Load multiplicand into R2
    ADD R1, R1, #-1
                            ; Use R1 as counter
MUL LOOP:
    BRz MUL DONE
                            ; If R1 == 0, multiplication done
    ADD R2, R0, R2
    ADD R1, R1, #-1
                            ; Decrement the counter in R1
    BR MUL LOOP
                            ; Jump back to MUL LOOP
MUL DONE:
    LD R0, MulSaveR0
                            ; Restore registers
    LD R1, MulSaveR1
    RET
                            ; Return from the subroutine
```

### Exercise

#### Exponentiation

Use the MULTIPLY subroutine in the previous slide to write an LC3 subroutine that performs exponentiation.

```
; LC3 subroutine to that performs exponentiation
 Inputs: R0 (base), R1 (exponent)
 Loop counter: R2
; Output: R2 (result)
; POW knows it should call MULTIPLY and it knows
 MULTIPLY overwrites the value in R2
POW:
POW LOOP:
                        ; If R2==0, loop complete
    BRz POW DONE
    ST R2, PowSaveR2
                        ; Caller save
                        ; Result in R2
    JSR MULTIPLY
    ADD R1, R2, #0
                        ; Copy result for next multiply
    LD R2, PowSaveR2
                        ; Caller restore
    ADD R2, R2, \#-1
                        ; Decrement counter
    BR POW LOOP
POW DONE:
```

### Exercise

#### Exponentiation

Use the MULTIPLY subroutine in the previous slide to write an LC3 subroutine that performs exponentiation.

Will this program halt? Why? Why not?

```
; LC3 subroutine to that performs exponentiation
 Inputs: R0 (base), R1 (exponent)
; Loop counter: R2
; Output: R2 (result)
; POW knows it should call MULTIPLY and it knows
; MULTIPLY overwrites the value in R2
POW:
                        ; Callee save registers
    ST R0, PowSaveR0
    ST R1, PowSaveR1
    ADD R2, R1, #-1
                        ; Initialize counter
                        ; Why can't we use R1 as counter?
                        ; Set up to call MULTIPLY
    ADD R1, R0, #0
POW LOOP:
                        ; If R2==0, loop complete
    BRz POW DONE
    ST R2, PowSaveR2
                        ; Caller save
                        : Result in R2
    JSR MULTIPLY
                        ; Copy result for JSR to multiply
    ADD R1, R2, #0
                        ; Caller restore
    LD R2, PowSaveR2
    ADD R2, R2, \#-1
                        ; Decrement counter
    BR POW LOOP
POW DONE:
    ADD R2, R1, #0
                        ; Move result to R2
    LD R0, PowSaveR0
                        ; Callee restore
    LD R1, PowSaveR1
    RET
```

### Exercise

#### Exponentiation

Use the MULTIPLY subroutine in the previous slide to write an LC3 subroutine that performs exponentiation.

Nested subroutines better save R7!

```
; LC3 subroutine to that performs exponentiation
 Inputs: R0 (base), R1 (exponent)
; Loop counter: R2
; Output: R2 (result)
; POW knows it should call MULTIPLY and it knows
; MULTIPLY overwrites the value in R2
POW:
                        ; Callee save registers
    ST R0, PowSaveR0
    ST R1, PowSaveR1
    ADD R2, R1, #-1
                        ; Initialize counter
                        ; Why can't we use R1 as counter?
    ADD R1, R0, #0
                        ; Set up to call MULTIPLY
POW LOOP:
                        ; If R2==0, loop complete
    BRz POW DONE
                        ; Caller save
    ST R2, PowSaveR2
    JSR MULTIPLY
                        ; Result in R2
    ADD R1, R2, #0
                        ; Copy result for JSR to multiply
    LD R2, PowSaveR2
                        ; Caller restore
    ADD R2, R2, \#-1
                        ; Decrement counter
    BR POW LOOP
POW DONE:
    ADD R2, R1, #0
                        ; Move result to R2
    LD R0, PowSaveR0
                        ; Callee restore
    LD R1, PowSaveR1
```

RET

### User routine vs. service routine

- Consider keyboard input:
  - It's used often and has too many specific details for most programmers
  - Improper usage could breach security of the system or mess up keyboard usage for other users/programs
- Solution: make this part of the OS
  - User program → invokes service routine (a.k.a OS call) → OS performs operation → returns control to user program

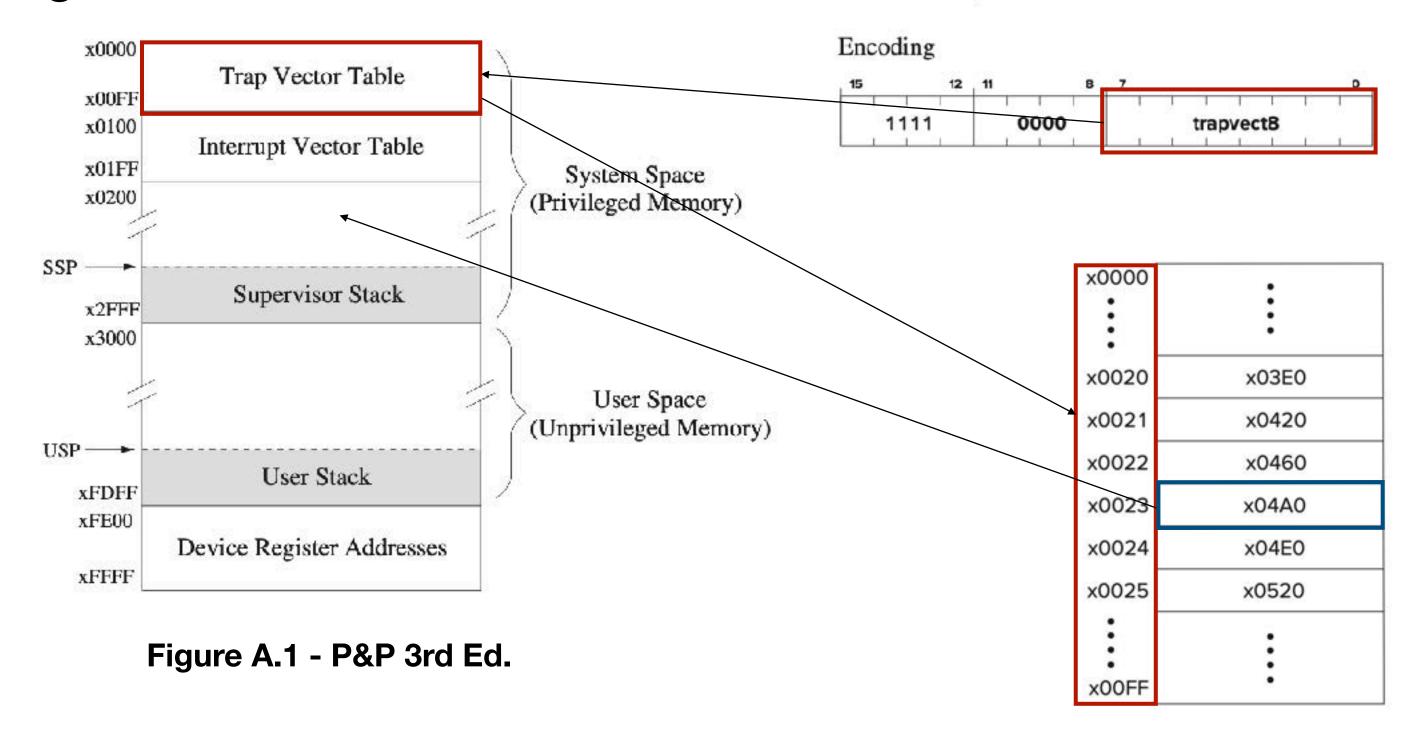
### TRAP mechanism

System calls in LC3 are achieved using the TRAP mechanism

**TRAP** 

Assembler Format

TRAP trapvector8



System Call

## TRAP mechanism

#### Table A.3 of P&P 3rd Ed.

Vector	Symbol	Routine
x20	GETC	Read a single character (no echo)
x21	OUT	Output character to monitor
x22	PUTS	Write a string to monitor
x23	IN	Print prompt to monitor, read and echo character from keyboard
x24	PUTSP	Write a string to monitor, two characters per memory location
x25	HALT	Halt program
x26		Write a number to monitor (undocumented)

Exercise: Try using each of these!

## TRAP: Flow Control

- Slight difference between editions of the textbook
- Edition 2: Last statement in TRAP is JMP R7 (i.e. RET)
- Edition 3: Last statement is RTI

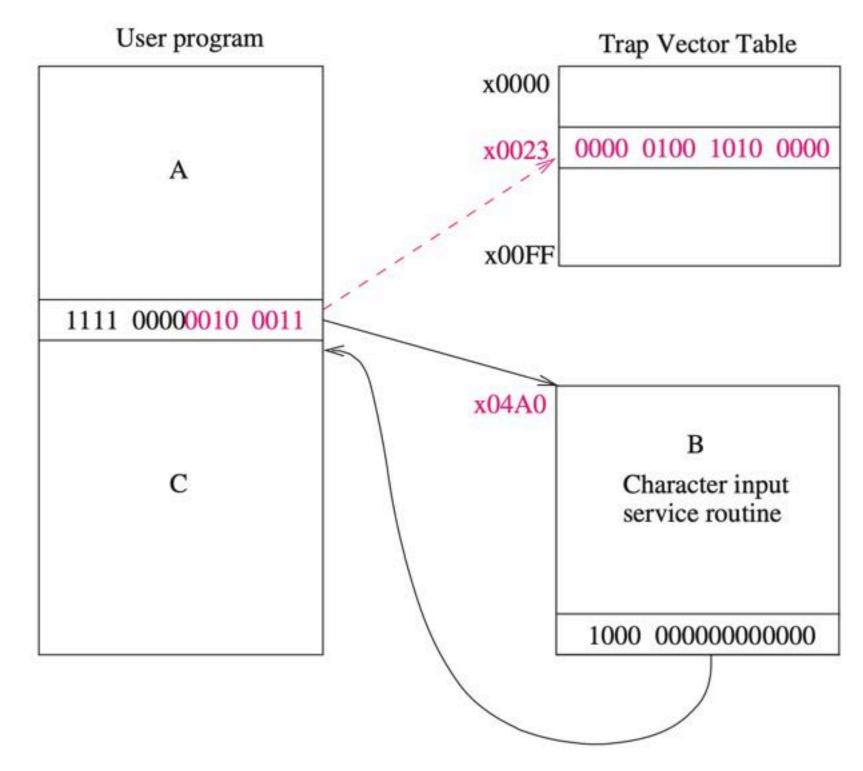
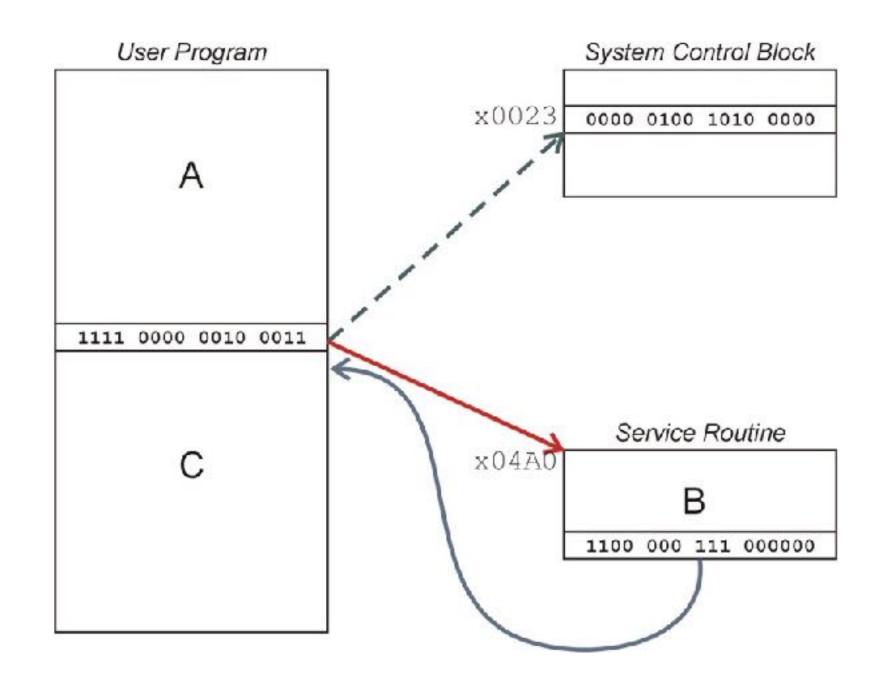


Figure 9.11 In P&P 3rd Ed.



## TRAP Mechanism: 2nd Ed.

- MAR ← ZEXT(trapvect8)
- MDR ← MEM[MAR]
- $R7 \leftarrow PC$
- PC ← MDR
- •
- JMP R7



## TRAP example

- What are the values in R0 and R7 right before IN?
- How about right before HALT?

```
.ORIG x3000
```

```
AND R0, R0, #0
ADD R0, R0, #3
ADD R7, R0, #4
ADD R0, R0, #1
ADD R7, R7, #1

IN

ADD R0, R0, #1
ADD R7, R7, #0

HALT
•END
```

```
;init R0
;set R0 to 3
;set R7 to 7
;increment R0
;increment R7

;same as 'TRAP x23'
;increment R0
;increment R7
```

## RTI: Return from TRAP/Interrupt

2nd edition: LC3 will overwrite R7

Which one does EWS use?

• 3rd edition: R7 will be left unchanged.

Mechanism? Uses
 stacks → next
 lecture.

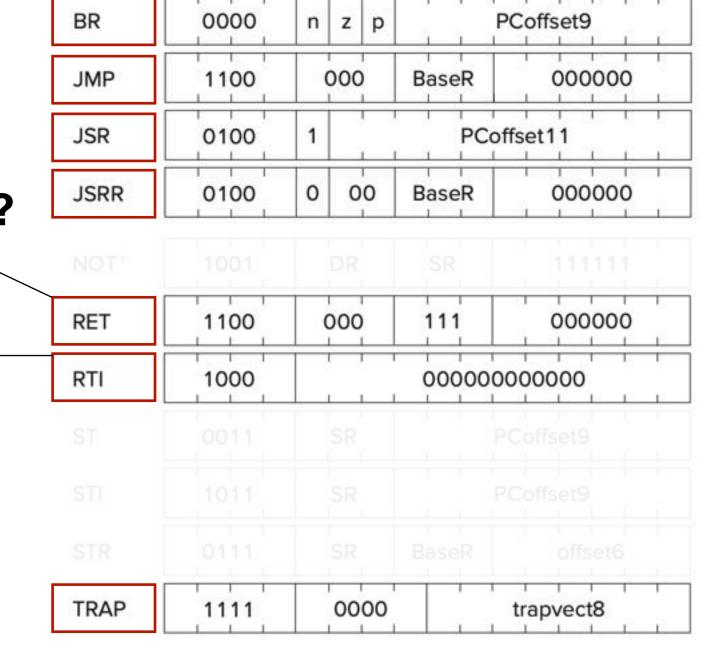


Figure "A.2" - P&P 3rd Ed.

### TRAP vs. subroutines

- Service routines (TRAP) provide 3 main functions
  - Shield programmers from system-specific details (KBDR, KBSR, etc.)
  - Write frequently-used code just once
  - Protect system recourses from malicious/clumsy programmers
- Subroutines provide the same functions for non-system (user) code
  - Lives in user space
  - Performs a well-defined task
  - Is invoked (called) by another user program
  - Returns control to the calling program when finished