## CS447: Natural Language Processing

# Lecture 9: Word2Vec and basic intro to RNNs 

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## Class Admin

Assignments:
MP1: due 11:59pm Monday, Sept 30
MP2: will be released later today.
Midterm: Friday, Oct 11 in class
Closed book exam, short questions
4th Credit: Proposal due Friday, Oct 4
(via Compass)
We'll release a template later today.
We want to make sure that you have a topic, that you've started to look at relevant papers, and that your project is realistic.

## Words as input to neural models

We typically think of words as atomic symbols, but neural nets require input in vector form.

Naive solution: one-hot encoding $(\operatorname{dim}(\mathbf{x})=\mid \mathrm{Vl})$
"a" = (1,0,0, ..0), "aardvark" = ( $0,1,0, \ldots, 0$ ), $\ldots$
Very high-dimensional, very sparse vectors (most elements 0 )
No ability to generalize across similar words
Still requires a lot of parameters.
How do we obtain low-dimensional, dense vectors?
Low-dimensional => our models need far fewer parameters
Dense => lots of elements are non-zero
We also want words that are similar to have similar vectors

## Vector representations of words

"Traditional" distributional similarity approaches represent words as sparse vectors
-Each dimension represents one specific context

- Vector entries are based on word-context co-occurrence statistics (counts or PMI values)

Alternative, dense vector representations:

- We can use Singular Value Decomposition to turn these sparse vectors into dense vectors (Latent Semantic Analysis)
-We can also use neural models to explicitly learn a dense vector representation (embedding) (word2vec, Glove, etc.)

Sparse vectors = most entries are zero
Dense vectors = most entries are non-zero

## (Static) Word Embeddings

A (static) word embedding is a function that maps each word type to a single vector

- these vectors are typically dense and have much lower dimensionality than the size of the vocabulary
- this mapping function typically ignores that the same string of letters may have different senses (dining table vs. a table of contents) or parts of speech (to table a motion vs. a table)
- this mapping function typically assumes a fixed size vocabulary (so an UNK token is still required)


## Word2Vec

## Word2Vec (Mikolov et al. 2013)

The first really influential dense word embeddings
Two ways to think about Word2Vec:

- a simplification of neural language models
- a binary logistic regression classifier

Variants of Word2Vec

- Two different context representations: CBOW or Skip-Gram
- Two different optimization objectives:

Negative sampling (NS) or hierarchical softmax

## Word2Vec Embeddings

Main idea:<br>Train a binary classifier to predict which words $c$ appear in the context of (i.e. near) a target word $t$.<br>The parameters of that classifier provide a dense vector representation (embedding) of the target word $t$.

Words that appear in similar contexts (that have high distributional similarity) will have very similar vector representations.

These models can be trained on large amounts of raw text (and pre-trained embeddings can be downloaded)

## Skip-Gram with negative sampling

Train a binary logistic regression classifier to decide whether target word $t$ does or doesn't appear in the context of words $c_{1 . k}$

- "Context": the set of k words near (surrounding) $t$
- Positive (+) examples: $t$ and any word $c$ in its context
- Negative (-) examples: $t$ and randomly sampled words $c$,
- Training objective: maximize the probability of the correct label $P(+\mid t, c)$ or $P(-\mathrm{I} t, c)$ of these examples
- This classifier represents $t$ and $c$ as vectors (embeddings) It has two sets of parameters:
a) a matrix of target embeddings to represent target words,
b) a matrix of context embeddings to represent context words
$-P(+\mid t, c)=\frac{1}{1+\exp (-t \cdot c)}$ depends on similarity (dot product) of $t, c$
Use the target embeddings as word embeddings.


## Skip-Gram Goal (during training)

Given a tuple $(t, c)=$ target, context (apricot, jam) (apricot, aardvark)

Return the probability that $c$ is a real context word:
$P(\mathrm{D}=+\mathrm{l} t, c)$
$P(\mathrm{D}=-\mid t, c)=1-P(\mathrm{D}=+\mid t, c)$

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## Skip-Gram Training data (Negative Sampling)

## Training sentence:

... lemon, a tablespoon of apricot jam a pinch ...
c1 c2 t c3 c4

Training data: input/output pairs centering on apricot
Assume a +/- 2 word window
Positive examples (for target apricot)
(apricot, tablespoon), (apricot, of), (apricot, jam), (apricot, a)
Negative examples (for target apricot)
For each positive example, sample $k$ negative examples, using noise words: (apricot, aardvark), (apricot, puddle)... Noise words can be sampled according to corpus frequency or according to a smoothed variant where freq' $(\mathrm{w})=$ freq(w) $)^{0.75}$
(This gives more weight to rare words)

## Word2Vec: Negative Sampling

$\mathrm{D}^{+}$: all positive training examples, $D:$ all negative trainng examples

Training objective:
Maximize log-likelihood of training data $\mathrm{D}^{+} \cup \mathrm{D}$ :
$\mathscr{L}(D)=\sum_{(t, c) \in D^{+}} \log P(D=+\mid t, c)+\sum_{(t, c) \in D^{-}} \log P(D=-\mid t, c)$

## The Skip-Gram classifier

Use logistic regression to predict whether the pair $(t, c)$ (target word $t$ and a context word $c$ ), is a positive or negative example:

$$
\begin{array}{rlrl}
P(+\mid t, c)=\frac{1}{1+e^{-t \cdot c}} & P(-\mid t, c) & =1-P(+\mid t, c) \\
& =\frac{e^{-t \cdot c}}{1+e^{-t \cdot c}}
\end{array}
$$

Assume that $t$ and $c$ are represented as vectors, so that their dot product tc captures their similarity

## Where do we get vectors t , c from?

Iterative approach:
Assume an initial set of vectors, and then adjust them during training to maximize the probability of the training examples.


Figure 6.13 The skip-gram model tries to shift embeddings so the target embedding (here for apricot) are closer to (have a higher dot product with) context embeddings for nearby words (here jam) and further from (have a lower dot product with) context embeddings for words that don't occur nearby (here aardvark).

## Summary: How to learn word2vec (skip-gram) embeddings

For a vocabulary of size V: Start with V random 300dimensional vectors as initial embeddings

Train a logistic regression classifier to distinguish words that co-occur in corpus from those that don't
Pairs of words that co-occur are positive examples
Pairs of words that don't co-occur are negative examples
Train the classifier to distinguish these by slowly adjusting all the embeddings to improve the classifier performance

Throw away the classifier code and keep the embeddings.

## Evaluating embeddings

Compare to human scores on word similarity-type tasks:
WordSim-353 (Finkelstein et al., 2002)
SimLex-999 (Hill et al., 2015)
Stanford Contextual Word Similarity (SCWS) dataset (Huang et al., 2012)
TOEFL dataset: Levied is closest in meaning to: imposed, believed, requested, correlated

## Properties of embeddings

## Similarity depends on window size $C$

$C= \pm 2$ The nearest words to Hogwarts:
Sunnydale
Evernight
$C= \pm 5$ The nearest words to Hogwarts:
Dumbledore
Malfoy
halfblood

## Analogy: Embeddings capture relational meaning!

vector('king') - vector('man') + vector('woman') = vector('queen')
vector('Paris’) - vector('France') + vector('Italy') = vector('Rome')


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# Dense embeddings you can download! 

Word2vec (Mikolov et al.)
https://code.google.com/archive/p/word2vec/
Fasttext http://www.fasttext.cc/
Glove (Pennington, Socher, Manning)
http://nlp.stanford.edu/projects/glove/

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## Recurrent Neural Nets (RNNs)

## Recap: Fully connected feedforward nets

Three kinds of layers, arranged in sequence:

- Input layer (what's fed into the net)
- Hidden layers: (intermediate computations)
- Output layer:
(what the net returns)


Hidden layer: vector $\mathbf{h}_{1}$
Input layer: vector $\mathbf{x}$

Each layer consists of a number of units.

- Each unit computes a real-valued activation
- In a feedforward net, each (hidden/output) unit receives inputs from the units in the immediately preceding layer
- In a fully connected feedforward net, each unit receives inputs from all units in the immediately preceding layer
Additional "Highway connections" from layers in earlier layers can be useful


## Recurrent Neural Nets (RNNs)

The input to a feedforward net has a fixed size.
How do we handle variable length inputs?
In particular, how do we handle variable length sequences?

RNNs handle variable length sequences
There are 3 main variants of RNNs, which differ in their internal structure:
basic RNNs (Elman nets)
LSTMs
GRUs

## Recurrent neural networks (RNNs)

Basic RNN: Modify the standard feedforward architecture (which predicts a string $\mathrm{w}_{0} \ldots \mathrm{w}_{\mathrm{n}}$ one word at a time) such that the output of the current step ( $\mathrm{w}_{\mathrm{i}}$ ) is given as additional input to the next time step (when predicting the output for $\mathrm{w}_{i+1}$ ).
"Output" - typically (the last) hidden layer.


Feedforward Net


Recurrent Net

## Basic RNNs

Each time step corresponds to a feedforward net where the hidden layer gets its input not just from the layer below but also from the activations of the hidden layer at the previous time step


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## A basic RNN unrolled in time



## RNNs for language modeling

If our vocabulary consists of $V$ words, the output layer (at each time step) has V units, one for each word.

The softmax gives a distribution over the V words for the next word.

To compute the probability of a string $\mathrm{w}_{0} \mathrm{w}_{1} \ldots \mathrm{w}_{\mathrm{n}} \mathrm{w}_{\mathrm{n}+1}$ (where $\mathrm{w}_{0}=<\mathrm{s}>$, and $\mathrm{w}_{\mathrm{n}+1}=\langle\backslash \mathrm{s}\rangle$ ), feed in $\mathrm{w}_{\mathrm{i}}$ as input at time step i and compute

$$
\prod_{i=1 . . n+1} P\left(w_{i} \mid w_{0} \ldots w_{i-1}\right)
$$

## RNNs for language generation

To generate a string $\mathrm{w}_{0} \mathrm{w}_{1} \ldots \mathrm{w}_{\mathrm{n}} \mathrm{w}_{\mathrm{n}+1}$ (where $\mathrm{w}_{0}=\langle\mathrm{s}\rangle$, and $w_{n+1}=\langle\backslash s>)$, give $w_{0}$ as first input, and then pick the next word according to the computed probability

$$
P\left(w_{i} \mid w_{0} \ldots w_{i-1}\right)
$$

Feed this word in as input into the next layer.
Greedy decoding: always pick the word with the highest probability
(this only generates a single sentence - why?)
Sampling: sample according to the given distribution

## RNNs for sequence classification

If we just want to assign a label to the entire sequence, we don't need to produce output at each time step, so we can use a simpler architecture.

We can use the hidden state of the last word in the sequence as input to a feedforward net:


