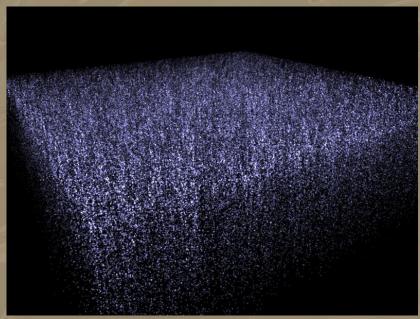
Particle Systems

CS 418 – Interactive Computer Graphics TA: Gong Chen Fall 2012

Particle System

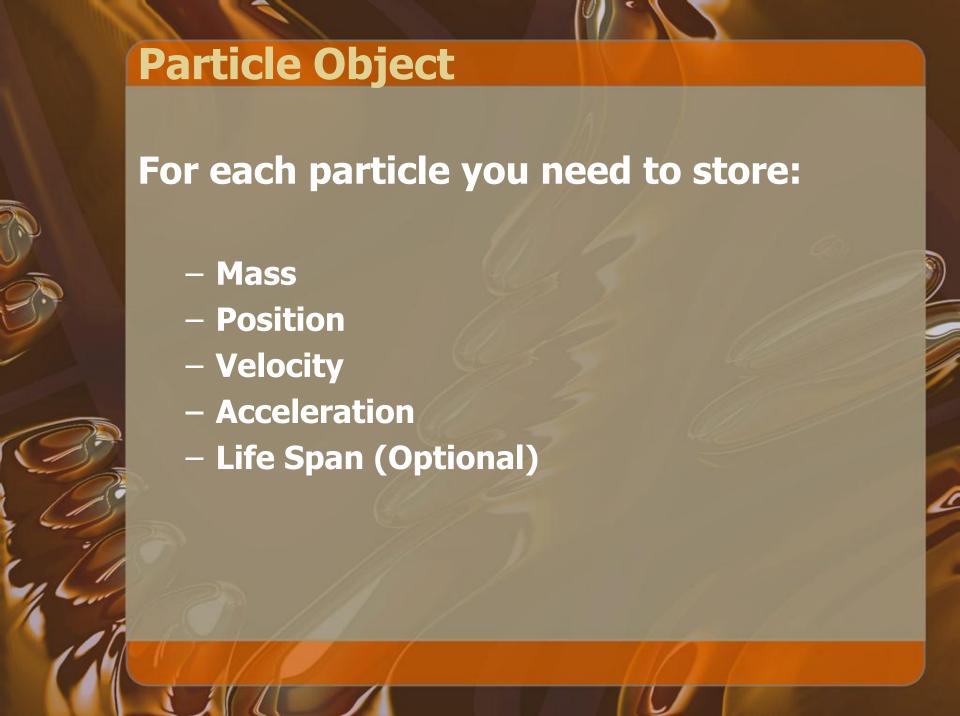
• Particle Dynamic System: Simulate a massive number of interacting elements





Particle System

- Basic Examples:
 - F=ma rule
 - Gravity force
 - Bounce back from floor.
- Particle examples:
 - simple points, or billboard sprites
 - http://www.lighthouse3d.com/opengl/billboarding/index.php
 - You cannot use a particle system library





- For each frame you should:
 - Create some new particles
 - Delete "dead" particles
 - Update particle "Position" based on physics
 - Render particles in new positions.

Reaction to environment

Aging: Time-varying attributes

birth

Source



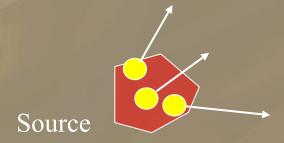


- Specify a source location to generate particles
- Each particle has initial position & velocity
- Add some randomness in initial condition.

Fix initial condition

Source

Add more randomness



Update particles

 Given forces on this particle. How do you determine its next position?

- Euler Method $x(t_0 + h) = x_0 + h\dot{x}(t_0)$
 - Simplest to implement.
 - Not very stable, so don't jump too much at time.
 - Beware of accumulated numerical error

Midpoint Method

$$y_{n+1}=y_n+hf\left(t_n+rac{h}{2},y_n+rac{h}{2}f(t_n,y_n)
ight)$$

Types of Forces

Unary forces:

- Gravity
 - Make object moving down.
 - Constant acceleration on all particles.

N-ary forces:

- Spring force :
 - Add a spring to connect two particles.
 - Force depends on deviation from rest length.
 - Damping: Force that depends on Rate of change in length.

$$\mathbf{f}_{i} = -\left(k_{s}(\|\mathbf{d}\| - s) + k_{d}\frac{\dot{\mathbf{d}} \cdot \mathbf{d}}{\|\mathbf{d}\|}\right) \frac{\mathbf{d}}{\|\mathbf{d}\|}$$

 k_s : spring constant

 k_d : damping factor

s: rest length

$$O_{\mathbf{d}=\mathbf{x}_i-\mathbf{y}}^{\mathbf{x}_i}$$

$$\dot{\mathbf{d}} = \dot{\mathbf{x}}_i - \dot{\mathbf{y}}$$

Update Rules

- Apply all forces on this particle (gravity, etc).
- Acc = F/m
- $V = V + Acc^* \Delta t$
- $P = P + V^* \Delta t$
- Life = Life Δt

× KEEP IN MIND:

Δt should not be too large!

Bounce from floor

- Particle can not fall through floor.
- Detect if P.y <= floor height.
- If collide with floor
 - Bounce back (Ex: V.y = abs(V.y))
 - Add some friction ? → Reduce velocity for each bounce
 - Add some randomness in how particles bounce back.



