CS232 Exam 2 March 14, 2008

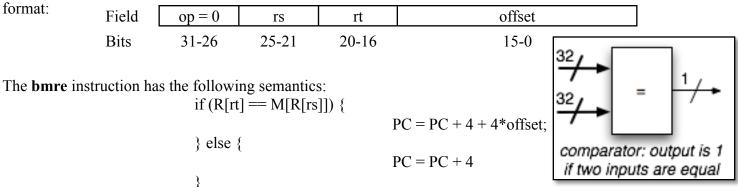
Name:						
Section:	10am	noon	2pm	3pm	4pm	(circle one)

- This exam has 5 pages, including this cover. Page 5 is a reference on pipelining, performance and IEEE 754 single-precision floating point.
- There are three questions, worth a total of 100 points.
- No written references or calculators are allowed.
- Write clearly and show your work. State any assumptions you make.
- You have 50 minutes. Budget your time, and good luck!

Question	Maximum	Your Score
1	25	
2	50	
3	25	
Total	100	

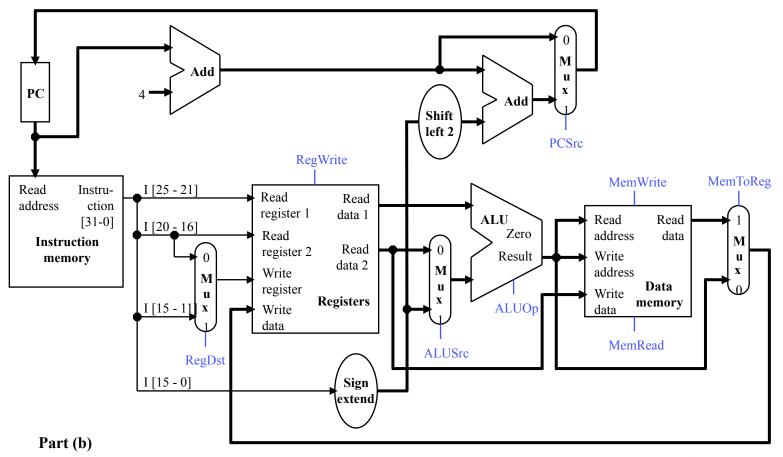
Question 1: Single-cycle CPU implementation (25 points)

Part (a) Implement the "branch if memory and register are equal" (bmre) instruction, which uses the i-type format:



Show what changes are needed to support **bmre** instruction and write (next to the signal's name) values of **all** control signals for this instruction. You should only add wires, muxes, and a comparator (as shown above) to the datapath; do not modify the main functional units themselves (the memory, register file and ALU). Try to keep your diagram neat! (20 points)

Note: While we're primarily concerned about correctness, full points will only be rewarded to solutions that do not lengthen the clock cycle. Assume that the ALU, Memory and Register file all take 2ns, and everything else is instantaneous.

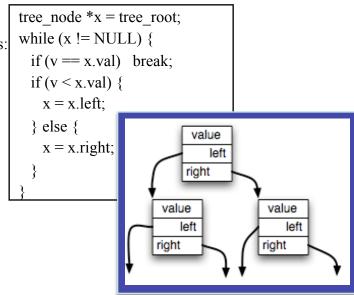


Discuss what impact supporting this instruction would have on a pipelined version of this processor. (5 points)

Question 2: Dependences and Pipelining (50 points)

A loop for searching a tree for a given value can be written as:

```
loop:
        lw
                 $t0,
                          0($a0)
                 $a1,
                          $t0,
                                  break
        beq
                         $t0,
        bge
                 $a1,
                                  qt
        lw
                 $a0,
                          4($a0)
        j
                 end
gt:
        lw
                 $a0,
                         8($a0)
end:
                 $a0,
                         $0,
        bne
                                  loop
```



break:

Part (a)

Label all dependences within one iteration of this code (not just the ones that will require forwarding). One iteration is defined as the instructions between the first 1w and the bne, inclusive. (10 points)

Part (b)

Assuming the 5-stage pipeline (shown on page 5) with forwarding, with branches predicted as **not taken** and mispredicted branches resolved in the EX stage, **complete the whole table below** (indicating which pipeline stage each instruction is in during each cycle). Assume the bge is taken. (stalls can be marked with an S or --) (30 points)

Inst	iter	1	2	3	4	5	6	7	8	9	0	1	2	3	4	5	6	7	8	9	0	1	2
lw	1	F	D	E	М	W																	
beq	1		F																				
bge	1																						
	1																						

Part (c)

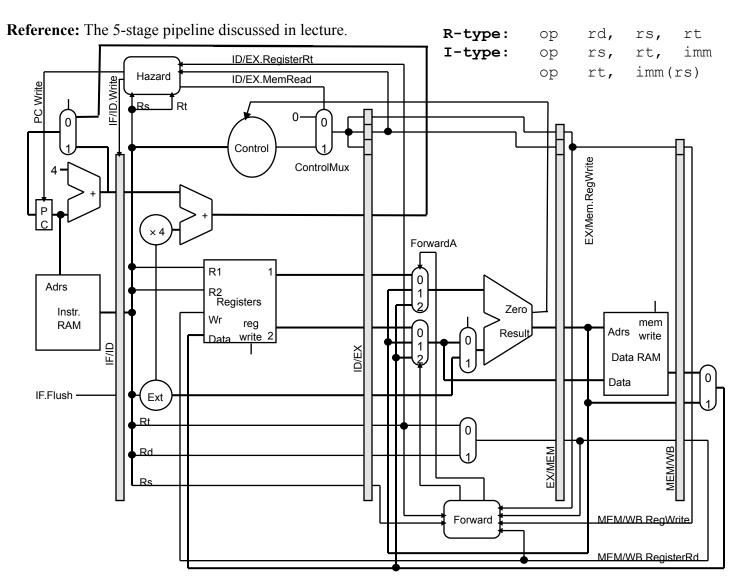
Compute the average CPI for each loop iteration assuming the bge is taken and this loop executes many iterations. (5 points)

Part (d)

How would the number of cycles per loop iteration change if the bge was not taken. (5 points)

Question 3: Concepts (25 points)

For full credit, answers should not be longer than two
an IEEE 754 single-precision floating point number. (10
29.25
e by pipelining a single cycle machine into 5 stages? Why at least 2 distinct reasons). (5 points)
on sets, how can you figure out which one is faster? (5
orwardA control signal in the pipeline on the next page. <i>If</i> iption for partial credit. (5 points)



Performance:

1. Formula for computing the CPU time of a program P running on a machine X:

 $CPU time_{X,P} = Number of instructions executed_P x CPI_{X,P} x Clock cycle time_X$

2. CPI is the average number of clock cycles per instruction:

CPI = Number of cycles needed / Number of instructions executed

3. Speedup is a metric for relative performance of 2 executions:

Speedup = Performance after improvement / Performance before improvement

= Execution time before improvement / Execution time after improvement

IEEE 754: (1 - 2s) * (1.f) * 2^{e-bias}



Single precision numbers:

- include an 8-bit exponent field and a 23-bit fraction, for a total of 32 bits.
- bias = 127
- exponents 00000000 and 11111111 reserved for special numbers
 - +/- zero (f = 0, e = 0), +/- infinity (f = 0, e = 11111111), NaN (f = !0, e = 11111111)