

<p>Course Introduction Constructing a C++ class</p> <ul style="list-style-type: none"> • C++'s use of encapsulation (.h / .cpp files) • Boilerplate code for C++ classes • “public” and “private” sections of a C++ class
<p>Constructing a C++ program</p> <ul style="list-style-type: none"> • Namespaces, including std:: and cs225:: • Utility functions like std::cout • main() <p>Building a C++ class</p> <ul style="list-style-type: none"> • Constructor
<p>Pointers Stack (“automatic”) memory in C++</p> <ul style="list-style-type: none"> • Stack memory addressing (high addresses, growing down) • Stack frames • sizeof() operator
<p>Heap (“allocated”) memory in C++</p> <ul style="list-style-type: none"> • Heap memory addresses (low addresses, growing up) • new/delete • Memory -based operators (unary & and *)
<p>Passing parameters in C++ and tradeoffs</p> <ul style="list-style-type: none"> • Pass by value • Pass by pointer • Pass by reference <p>const modifier</p>
<p>Returns in C++ and tradeoffs:</p> <ul style="list-style-type: none"> • Return by value • Return by pointer • Return by reference <p>Operator overloading Automatic default properties of a class:</p> <ul style="list-style-type: none"> • Automatic default constructor • Automatic default copy constructor • Automatic default destructor • Automatic default assignment operator <p>C++'s “Rule of Three”</p>
<p>Inheritance</p> <ul style="list-style-type: none"> • C++ inheritance syntax (public inheritance) • Abstract classes in C++

<ul style="list-style-type: none"> • Virtual methods in C++ • Pure virtual methods in C++ • Order of construction/destruction of derived classes
<p>Templates</p> <ul style="list-style-type: none"> • Motivation • Templated functions • Templated classes
<p>List ADT</p> <ul style="list-style-type: none"> • Array-based list vs. linked-list list • C++ Implementation using Templates
<p>List Analysis by Implementation</p> <ul style="list-style-type: none"> • Analysis of insert(), including: <ul style="list-style-type: none"> • Unsorted list, unsorted array: $O(1)$ • Sorted array, sorted list: $O(n)$ • Analysis of insertAfter(*ptr), including: <ul style="list-style-type: none"> • Most notable: Linked list $O(1)$ given pointer • Analysis of insertAtFront(): <ul style="list-style-type: none"> • Most notable: Array amortized $O(1)$ w/ smart resize
<p>Stack ADT LIFO ordering property Analysis: $O(1)$ push() and pop() operations w/ array and w/ list</p>
<p>Array resize strategy: double the size + move the data Array resize analysis: $O(n)$ operations every $O(n)$ times, amortized $O(1)$</p>
<p>Queue ADT FIFO ordering property C++ Iterators:</p> <ul style="list-style-type: none"> • Purpose and abstraction • Use of overloaded operators ++ and * • Use of ::begin() and ::end() • Concept of ::end() being “one past the end”
<p>Functors in C++</p> <ul style="list-style-type: none"> • Overloaded call operator, operator() • Purpose and utility
<p>Vocabulary:</p> <ul style="list-style-type: none"> • vertex/node, edge, path, root, parent, sibling, children, ancestor, descendant, subtree, and leaves • Recursive definition of a binary tree (not a BST!) • Tree properties: <ul style="list-style-type: none"> ○ full binary tree ○ perfect binary tree

○ complete binary tree
Tree ADT: insert, remove, and traverse Tree Proof: How many NULL points exist in a binary tree with n nodes? Binary tree traversals: <ul style="list-style-type: none"> • in-order • pre-order • post-order • level-order
Binary tree search: <ul style="list-style-type: none"> • depth-first searching • breadth-first searching Understanding the different aims of traversal vs. search Dictionary ADT
Binary Search Tree (BST) <ul style="list-style-type: none"> • Recursive ordered property of a BST • Running times of a BST, in terms of n and in terms of h Operations on a BST <ul style="list-style-type: none"> • find() • Use of return-by-reference to use find for insert() and remove()
BST Proof: Minimum number nodes in a tree of height h . \Rightarrow Largest possible height (h) given a tree of n nodes. Comparison of BST best case vs. worst case vs. arrays/lists
“Height balance” (b) of a node (and therefore a tree) AVL Tree Rotations: <ul style="list-style-type: none"> • Motivation and purpose • Four types of rotations: L, R, LR, and RL • Running time of a rotation
Theorems on which rotation to use based on the height balance Bound on number of rotations: <ul style="list-style-type: none"> • Max 1 rotation on insert • Max 0 rotations on find • Max $\lg(n)$ rotations on remove
AVL Proof: The maximum height (h) of a tree given n nodes. ...prove a $2 \cdot \lg(n)$ bound, understand a tighter proof can prove 1.44.
Applications of AVL: <ul style="list-style-type: none"> • Range-based searching • Nearest neighbor searching <ul style="list-style-type: none"> ○ Application: kd-tree
Motivation of BTree Idea: Non-classical analysis of BTree due to not all operations taking the same amount of time Understand a BTree of order m and its properties

BTree Operations: find, insert BTree Proof: Minimum keys on a BTree of order m .
Motivation of hashing Dictionary ADT w/ a hash table Properties of a hash algorithm: <ul style="list-style-type: none"> • Hash function <ul style="list-style-type: none"> ○ Properties of a good hash function ○ SUHA • Array <ul style="list-style-type: none"> ○ Load factor ○ Running times in term of the load factor • Collision detection strategy
Collision detection strategies: <ul style="list-style-type: none"> • Open hashing: <ul style="list-style-type: none"> ○ Separate Chaining • Closed hashing: <ul style="list-style-type: none"> ○ Linear probing ○ Double hashing Purpose and utility of hashing vs. balanced BSTs
Running times of removeMin() across sorted/unordered arrays/lists \Rightarrow Motivation of a heap data structure Recursive definition of a heap
Heap operations: insert, removeMin, buildHeap <ul style="list-style-type: none"> • heapifyUp • heapifyDown • $O(n)$ buildHeap Applications of heaps: <ul style="list-style-type: none"> • heap sort
Heap Proof: Running time of buildHeap is $O(n)$
Motivation of equivalence relations and a disjoint set (representative element) Array-based Disjoint Sets
UpTree operations: union and find <ul style="list-style-type: none"> • Lazy union/find • Smart union: by size, by height • Path compression Running time of an UpTree <ul style="list-style-type: none"> • How does iterated log grow? • What can we assume about this growth when used in another algorithm?
...and 4 weeks of graphs, recently covered (not included here)!