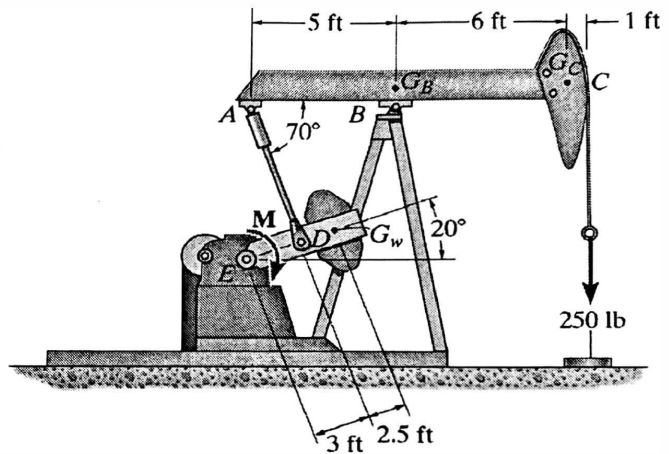
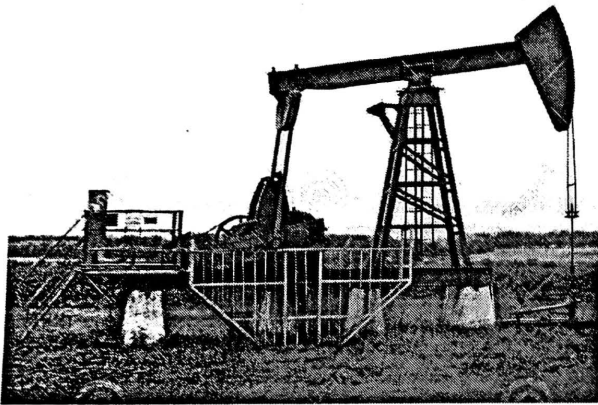


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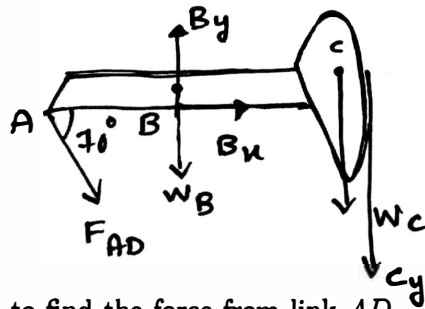
Group members: \_\_\_\_\_

### TAM 210/211 - Worksheet 9

1) A pumping unit is used to recover oil. When the walking beam  $ABC$  is horizontal, the force acting in the wireline at the well head is 250 lb. The horse-head  $C$  weighs 60 lb and has a center of gravity at  $G_c$ . The walking beam  $ABC$  has a weight of 130 lb and a center of gravity at  $G_B$ , and the counterweight has a weight of 200 lb and a center of gravity at  $G_w$ . The pitman,  $AD$ , is pin connected at its end and has negligible weight (a two-force member). Determine the torque  $M$  which must be exerted by the motor in order to overcome the force at the well head through the following steps.



a) Draw a free-body diagram for the walking beam  $ABC$

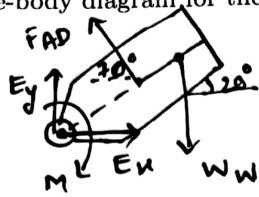


b) Use equilibrium equations to find the force from link  $AD$ .

$$\sum M_B = AD \sin 70^\circ (5) - 60(6) - 250(7) = 0$$

$$\Rightarrow AD = 449.08 \text{ lb}$$

c) Draw a free-body diagram for the member  $ED$



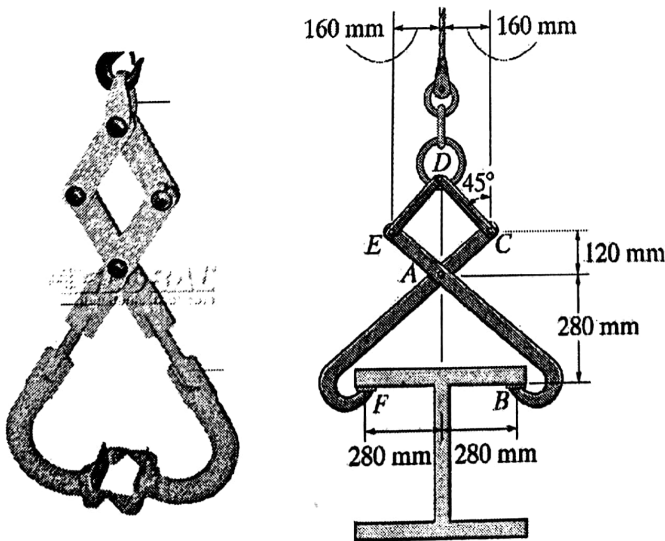
d) Use equilibrium equations to determine the torque  $M$  which must be exerted by the motor in to keep member  $ED$  at equilibrium. This is also the force necessary to overcome the force at the well head.

$$\sum M_E = -M + AD(3) - W_w \cos(20) [3 + 2.5] = 0$$

$$M = (449.08)(3) - (200) \cos 20^\circ [3 + 2.5]$$

$$M = 313.6 \text{ lb-ft}$$

2) The double link grip is used to lift a beam that weighs 4kN. The interactions between the grip and the beam at points  $F$  and  $B$  are not smooth surfaces, so horizontal forces from friction are present. Determine the magnitude of these friction (horizontal) forces at  $B$  and  $F$  necessary to keep the I-beam at equilibrium.



a) Draw a free-body diagram for ring  $D$  (use particle assumption). Then write the equations of equilibrium to find the force from link  $CD$ .



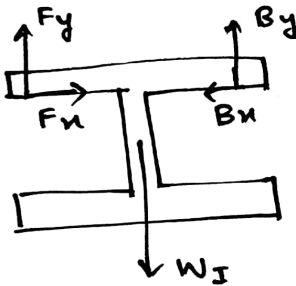
$$\sum F_y = 4 - 2CD/\sqrt{2} = 0$$

$$CD = ED = 2.83 \text{ kN}$$

$$\sum F_x = -\frac{ED}{\sqrt{2}} + \frac{CD}{\sqrt{2}} = 0$$

$$ED = CD$$

b) Draw the free-body diagram for the I-beam. Use the equilibrium equation  $(\sum M)_F = 0$  and  $\sum F_y = 0$  to determine the vertical reactions that the flange of the beam exerts on the jaw at  $F$  and  $B$ .



$$W_I = 4 \text{ kN}$$

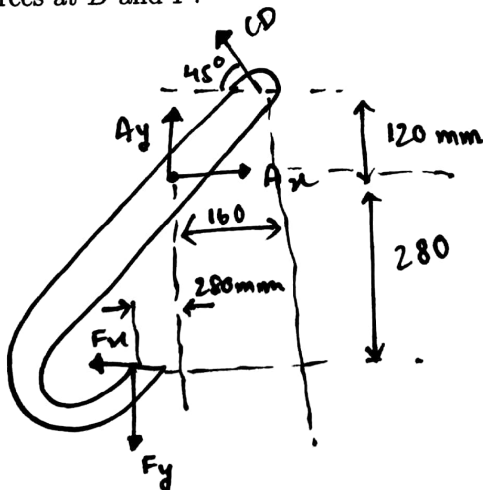
$$\sum F_x = 0 \Rightarrow F_x = B_x$$

$$\sum F_y = 0 \Rightarrow F_y + B_y - 4 = 0$$

$$\sum M_F = B_y(560) - 4(280) = 0$$

$$\Rightarrow B_y = 2 \text{ kN} \quad F_y = 2 \text{ kN}$$

c) Draw the free-body diagram for member  $CAF$ . Then use equilibrium equations to determine the friction forces at  $B$  and  $F$ .



$$CD = 2.83 \text{ kN}$$

$$F_y = 2 \text{ kN}$$

$$\sum F_x = -\frac{2.83}{\sqrt{2}} + A_x - F_x = 0$$

$$\sum F_y = -F_y + A_y + \frac{2.83}{\sqrt{2}} = 0$$

$$\Rightarrow A_y = 0$$

$$\sum M_F = A_y(280) - A_x(280) + \frac{2.83}{\sqrt{2}}(280 + 160)$$

$$+ \frac{2.83}{\sqrt{2}} [280 + 120] = 0$$

$$\Rightarrow A_x = 6 \text{ kN}$$

$$F_x = 4 \text{ kN}$$

$$B_x = F_y = 4 \text{ kN}$$