

Blending and Compositing

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Last class: finding boundaries

- Intelligent scissors
 - Good boundary has a low-cost path from seed to cursor
 - Low cost = edge, high gradient, right orientation
- GrabCut
 - Good region is similar to foreground color model and dissimilar from background color
 - Good boundaries have a high gradient
 - Optimize over both

1. What would be the result in "Intelligent Scissors" if all of the edge costs were set to 1?

2. How could you change boundary costs for graph cuts to work better for objects with many thin parts?

edge_potential(x, y) =
$$k_1 + k_2 \exp\left\{\frac{-\|c(x) - c(y)\|^2}{2\sigma^2}\right\}$$

Last Class: cutting out objects





This Class

How do I put an object from one image into another?



Image Compositing





Some slides from Efros/Seitz

News Composites

http://www.guardian.co.uk/world/2010/sep/ 16/mubarak-doctored-red-carpet-picture







"Enhanced" Version

News Composites



Original

"Enhanced" Version

Walski, LA Times, 2003

Three methods

1. Cut and paste

2. Laplacian pyramid blending

3. Poisson blending

Method 1: Cut and Paste



Method 1: Cut and Paste

Problems:

- Small segmentation errors noticeable
- Pixels are too blocky





Method 1: Cut and Paste

Problems:

- Small segmentation errors noticeable
- Pixels are too blocky
- Won't work for semi-transparent materials



Feathering

Near object boundary pixel values come partly from foreground and partly from background



Method 1: Cut and Paste (with feathering)



Alpha compositing



Output = foreground*mask + background*(1-mask)

Alpha compositing with feathering



Output = foreground*mask + background*(1-mask)

Another example (without feathering)

Mattes







Composite



Composite by David Dewey

Proper blending is key



Alpha Blending / Feathering



$$I_{\text{blend}} = \alpha I_{\text{left}} + (1 - \alpha) I_{\text{right}}$$

Effect of Window Size



Effect of Window Size





0+

$$1 + \bigvee_{0+ = 1}$$

Good Window Size



"Optimal" Window: smooth but not ghosted

How much should we blend?







Method 2: Pyramid Blending

- At low frequencies, blend slowly
- At high frequencies, blend quickly



Left pyramid

blend

Right pyramid



Method 2: Pyramid Blending





Burt and Adelson 1983

Laplacian Pyramid Blending

Implementation:

- 1. Build Laplacian pyramids for each image
- 2. Build a Gaussian pyramid of region mask
- 3. Blend each level of pyramid using region mask from the same level



image

Simplification: Two-band Blending

- Brown & Lowe, 2003
 - Only use two bands: high freq. and low freq.
 - Blends low freq. smoothly
 - Blend high freq. with no smoothing: use binary alpha



2-band Blending



Low frequency



High frequency





Blending Regions





© Chris Cameron

Related idea: Poisson Blending

A good blend should preserve gradients of source region without changing the background



Perez et al. 2003

Related idea: Poisson Blending

A good blend should preserve gradients of source region without changing the background



Perez et al. 2003

Method 3: Poisson Blending

A good blend should preserve gradients of source region without changing the background

Treat pixels as variables to be solved

- Minimize squared difference between gradients of foreground region and gradients of target region
- Keep background pixels constant

$$\mathbf{v} = \underset{\mathbf{v}}{\operatorname{argmin}} \sum_{i \in S, j \in N_i \cap S} ((v_i - v_j) - (s_i - s_j))^2 + \sum_{i \in S, j \in N_i \cap \neg S} ((v_i - t_j) - (s_i - s_j))^2$$

Example



Gradient Visualization

Source: Evan Wallace









Source: Evan Wallace

Gradient-domain editing

Creation of image = least squares problem in terms of: 1) pixel intensities; 2) differences of pixel intensities



Least Squares Line Fit in 2 Dimensions

$$\hat{\mathbf{v}} = \arg\min_{\mathbf{v}} \sum_{i} (\mathbf{a}_{i}^{T} \mathbf{v} - b_{i})^{2}$$
$$\hat{\mathbf{v}} = \arg\min_{\mathbf{v}} (\mathbf{A}\mathbf{v} - \mathbf{b})^{2}$$

Use Python least-squares solvers for numerically stable solution with sparse A (e.g. scipy.sparse.linalg.lsqr)

Examples

1. Line-fitting: y=mx+b



Examples

2. Gradient domain processing

$$\mathbf{v} = \underset{\mathbf{v}}{\operatorname{argmin}} \sum_{i \in S, j \in N_i \cap S} ((v_i - v_j) - (s_i - s_j))^2 + \sum_{i \in S, j \in N_i \cap \neg S} ((v_i - t_j) - (s_i - s_j))^2$$

source image

¹ 20	⁵ 20	⁹ 20	¹³ 20
² 20	⁶ 80	¹⁰ 20	¹⁴ 20
³ 20	⁷ 20	¹¹ 80	¹⁵ 20
⁴ 20	⁸ 20	¹² 20	¹⁶ 20

background image

¹ 10	⁵ 10	⁹ 10	¹³ 10
² 10	⁶ 10	¹⁰ 10	¹⁴ 10
³ 10	⁷ 10	¹¹ 10	¹⁵ 10
⁴ 10	⁸ 10	¹² 10	¹⁶ 10

target image

¹ 10	⁵ 10	⁹ 10	¹³ 10
² 10	⁶ v ₁	¹⁰ v ₃	¹⁴ 10
³ 10	⁷ v ₂	¹¹ v ₄	¹⁵ 10
⁴ 10	⁸ 10	¹² 10	¹⁶ 10

Other results



sources

destinations

cloning

seamless cloning







sources/destinations





Perez et al. 2003

What do we lose?

- Foreground color changes
- Background pixels in target region are replaced •



Perez et al. 2003

sources/destinations

Blending with Mixed Gradients

• Use foreground or background gradient with larger magnitude as the guiding gradient



Project 3: Gradient Domain Editing

General concept: Solve for pixels of new image that satisfy constraints on the gradient and the intensity

 Constraints can be from one image (for filtering) or more (for blending)

Project 3: Reconstruction from Gradients

- 1. Preserve x-y gradients
- 2. Preserve intensity of one pixel



Source pixels: s

Variable pixels: v

- 1. minimize $(v(x+1,y)-v(x,y) (s(x+1,y)-s(x,y))^2$
- 2. minimize $(v(x,y+1)-v(x,y) (s(x,y+1)-s(x,y))^2$
- 3. minimize (v(1,1)-s(1,1))^2

Project 3 (extra): Color2Gray

rgb2gray





Gradient-domain editing

2



Project 3 (extra): NPR

- Preserve gradients on edges
 - e.g., get canny edges with edge(im, 'canny')
- Reduce gradients not on edges
- Preserve original intensity



Colorization using optimization

- Solve for uv channels such that similar intensities have similar colors
- Minimize squared color difference, weighted by intensity similarity

$$J(U) = \sum_{\mathbf{r}} \left(U(\mathbf{r}) - \sum_{\mathbf{s} \in N(\mathbf{r})} w_{\mathbf{rs}} U(\mathbf{s}) \right)^2$$

 Solve with sparse linear system of equations



http://www.cs.huji.ac.il/~yweiss/Colorization/

Things to remember

- Three ways to blend/composite
 - 1. Alpha compositing
 - Need nice cut (intelligent scissors)
 - Should **feather**
 - 2. Laplacian pyramid blending
 - Smooth blending at low frequencies, sharp at high frequencies
 - Usually used for stitching
 - 3. Gradient domain editing
 - Also called **Poisson Editing**
 - Explicit control over what to preserve
 - Changes foreground color (for better or worse)
 - Applicable for many things besides blending

Take-home questions

- 1) I am trying to blend this bear into this pool. What problems will I have if I use:
 - a) Alpha compositing with feathering
 - b) Laplacian pyramid blending
 - c) Poisson editing?



Take-home questions

2) How would you make a sharpening filter using gradient domain processing? What are the constraints on the gradients and the intensities?

Next class

• Image warping: affine, projective, rotation, etc.